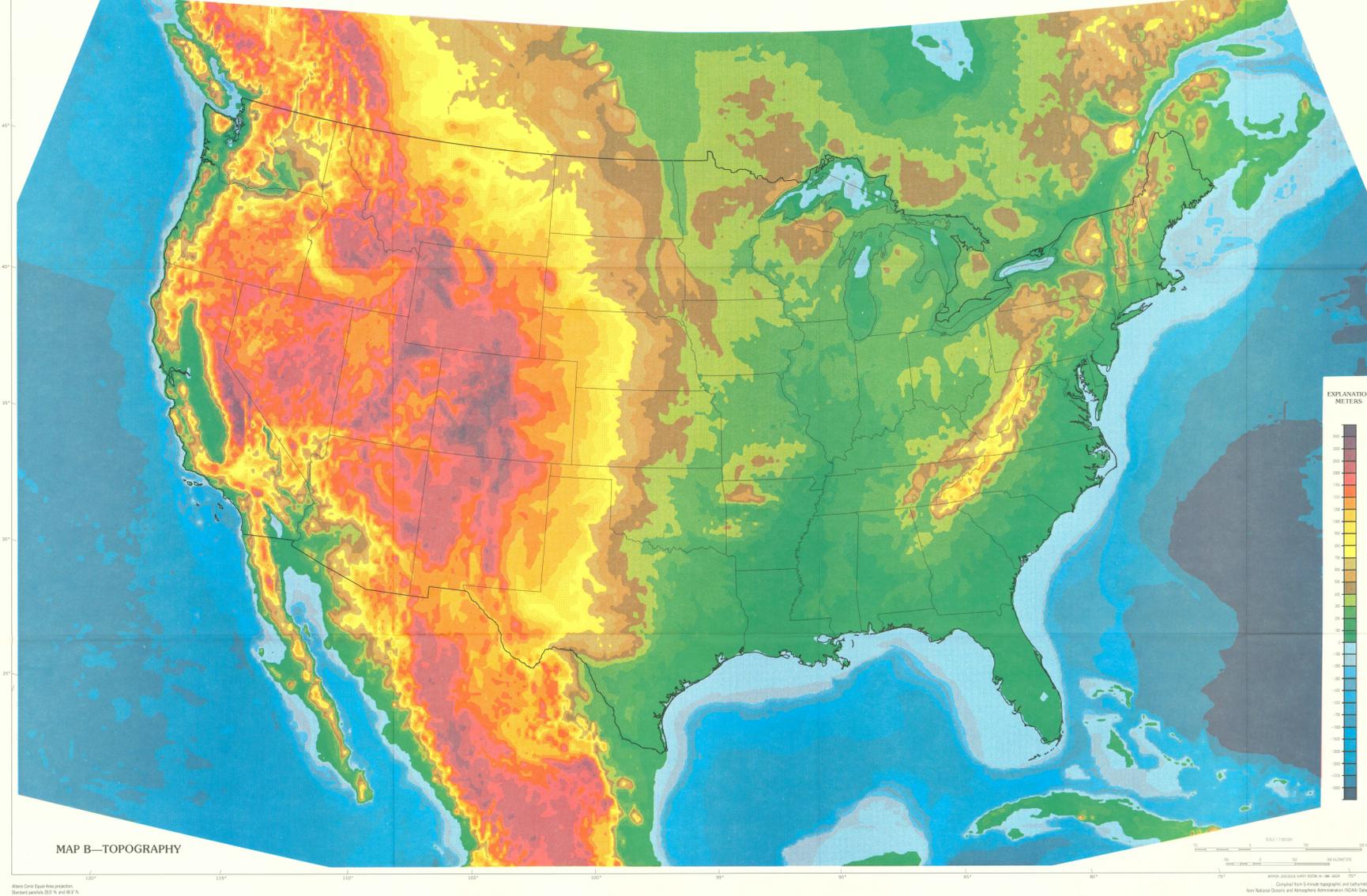


MAP A—ISOSTATIC RESIDUAL GRAVITY
Isostatic correction based on Airy-Hayford model with parameters: $\rho = 2.67 \text{ g/cm}^3$ for density of topographic load, 25 km for depth to bottom of root under sea-level elevation, and 0.4 g/cm^3 for density contrast across bottom of root. Certain offshore anomalies with widths less than about 40 km may be in error by 0.1 mGal in north—they are artifacts of the Bouguer correction that was applied to the offshore free-air gravity data (see text), and they appear as small spots of color in areas where bottom depths are changing rapidly.



MAP B—TOPOGRAPHY
Topographic map showing elevation in meters. The map uses a color scale from green (low elevation) to brown and red (high elevation). Major features include the Rocky Mountains, the Gulf Coastal Plain, and the Sierra Nevada. An inset map shows the location of the study area within the United States. A legend on the right explains the color scale in meters.

ISOSTATIC RESIDUAL GRAVITY, TOPOGRAPHIC, AND FIRST-VERTICAL-DERIVATIVE GRAVITY MAPS OF THE CONTERMINOUS UNITED STATES

By
R.W. Simpson, R.C. Jachens, R.W. Saltus, and R.J. Blakely

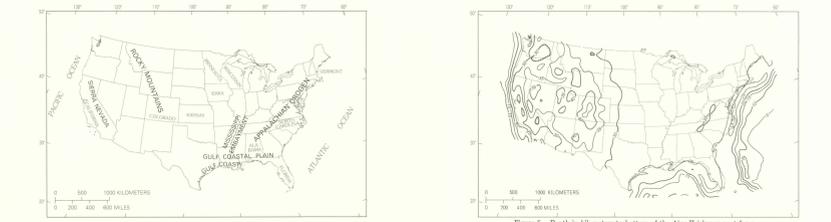


Figure 4—Geometry of compensating masses in the Airy-Hayford model. The diagram shows a cross-section of the Earth's crust and upper mantle. It illustrates the Airy-Hayford model of isostasy, where a topographic load is balanced by a root of less dense material extending into the mantle. The diagram shows the surface topography, the depth of the root, and the density contrast between the crust and the mantle.

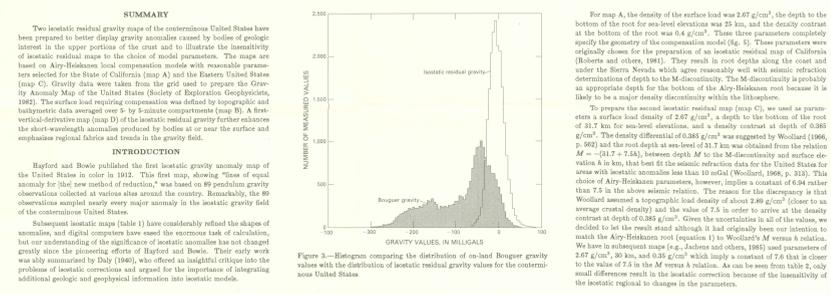


Figure 3—Histogram comparing the distribution of on-hand Bouguer gravity values with the distribution of isostatic residual gravity values for the conterminous United States.

Table 1.—Isostatic gravity maps of the United States

Observations	Scale	Reference
89	1:7,000,000	Hayford and Bowie (1912)
124	1:7,000,000	Bowie (1912), Gilbert (1913)
219	1:7,000,000	Bowie (1917)
296	1:32,000,000	Bowie (1924)
~1,000	1:14,000,000	Woodward (1965)
~200,000	1:14,000,000	Woodward (1965)
80,000	1:41,000,000	Lewis and Dorman (1970)
unknown	1:20,000,000	McNitt (1980)
1,800,000	1:2,500,000	Jachens and others (1985)
1,800,000	1:7,500,000	This report

Gilbert (1913) recognized as an early date the utility of isostatic gravity anomaly maps for depicting density distributions associated with geologic features, and he clearly understood the pitfalls lurking in the interpretation of isostatic anomalies. Woodford (1965, 1969) spent much of his career investigating the relations of isostatic gravity anomalies with both mapped geologic and other crustal parameters determined from seismic experiments. The utilization of both these uses to use all kinds of data and techniques to solve the important problems of the anatomy of the crust continues to serve us as an example.

In this report, in addition to presenting the latest refinements to that first isostatic map, we wish to emphasize two points: (1) For the purpose of displaying the gravity anomalies caused by bodies of geologic interest in the upper parts of the crust, the application of an isostatic correction of some sort is more important than the nature of the isostatic model or the values of its parameters; root isostatic residual maps, regardless of model, will appear very similar in their main patterns and features. (2) Most anomalies remaining in an isostatic residual gravity map reveal a great deal about lateral density contrast in the crust and upper mantle, but they tell little about the state of local isostatic equilibrium in a specific area. It is usually either difficult or impossible to determine from an isostatic map alone whether an individual anomaly indicates undercompensation or overcompensation, and to use isostatic anomalies in this light leads to divert attention from their more common significance as indicators of important density contrasts within the crust. These points are elaborated upon in the following sections.

Because isostatic residual maps display so clearly anomalies caused by geologic features in the upper crust, a considerable number of the conterminous United States has been prepared on a clear base at a scale of 1:8,000,000 (Jachens and others, 1985) to facilitate comparison with other maps at the same scale, including the geologic map (King and Bohlen, 1974), basement rock map (Daly and Muehlberger, 1985), tectonic map (Cohen, 1961), magnetic anomaly map (Dietz, 1962), and a map of general tectonic, tectonic and physiographic provinces in the fold and thrust belts of the United States (Boyer, 1983). This manuscript version is available from the National Oceanic and Atmospheric Administration (NOAA) Data Center (Address: National Geophysical and Solar-Terrestrial Data Center, NOAA, Boulder, CO 80502).

REASONS FOR MAKING ISOSTATIC GRAVITY MAPS

Over most of the Earth's surface, the longer wavelengths of the Bouguer gravity field correlate inversely with the longer wavelengths of topography (see fig. 1). This inverse correlation is quite apparent on wavelength filters maps of Bouguer gravity and topography for which wavelengths less than 250 km have been suppressed (Simpson and others, 1982).

A variety of isostatic models have been tried over the years, including statistical approaches which filter the best isostatic response function from the data themselves (Molodt, 1952; Dorman and Lewis, 1970; McNitt, 1980). No single model or response function is likely to be appropriate for an entire continent-wide area, given the typical diversity of isostatic environments found on most continents. Still, almost all reasonable isostatic models will yield very similar results, and the differences between them are usually small. Other approaches such as the Payne anomaly (Payne, 1964, 1981; Molodt, 1966), the Crawford-Baker reduction (Crawford-Baker, 1964), and the residual Bouguer correction method (Allen, 1970; Allen and others, 1981), which all correct for isostatic residual anomalies by using average topography rather than an isostatic model, will produce very similar results because these methods also suppress short wavelength features in the topography as does the present statistical method. Distributing the compensating masses (Widling-Melrose, 1938; McNitt, 1980) rather than having them entirely local (that is, directly under the load) also has a smoothing effect similar to additional upward continuation of the topography. These considerations explain why it is so difficult to determine the actual isostatic mechanisms operating in the Earth from the gravity evidence alone, and why all of the various reasonable isostatic models give results that are similar to first order.

It would be highly desirable to be able to incorporate additional geophysical data into the construction of an isostatic model, but it does not appear to us that either the quality or quantity of such data is yet adequate to warrant such an application on a continent-wide scale. The feasibility of digital data sets will undoubtedly encourage such integrations in areas where good geophysical information, such as seismic velocities and depths to the Mohorovičić (M) discontinuity, are available (Simpson and Kanasiewicz, 1982; Gettings, 1984).

THE AIRY-HAYFORD LOCAL COMPENSATION MODEL

To prepare the isostatic residual maps (map A and C), we chose to use an Airy-Hayford model using local compensation (fig. 4). The calculation of an isostatic residual in the local Airy-Hayford model of compensation requires a choice of values for three parameters: the density ρ_c of the topographic load, the depth d_c of compensation for sea-level elevation, and the density contrast $\Delta\rho$ across the bottom of the root. These parameters determine the depth d to the bottom of the root under land areas by the relation

$$d = d_c + (\rho_c/\Delta\rho)h$$

where h is the elevation of the topographic surface above sea level (h is negative for subsea areas below sea level). For the Great Lakes region, the weight of the water in the lake was added to the topographic load in the calculation of the root.

In the Airy-Hayford formulation, oceanic crustal columns with water depth h_o (taken to be positive here) have a negative load (weight deficiency) of the same cause by the presence of water of density ρ_w rather than rock (Bjarnason and Moritz, 1987). Negative compensation is provided by an amount of denser material that has to tip at a depth given by

$$d = d_c - \rho_w(\rho_c/\Delta\rho)h_o$$

The density of the crust above the bottom of the root is frequently assumed to be constant in presentation of the Airy-Hayford model, but not such restriction is required by the equations: the density of the crust above sea level may change with depth provided only that the density contrast across the bottom of the root remains constant at all depths.

DATA SOURCES USED

The preparation of an isostatic residual gravity map requires two data sets: (1) Bouguer gravity values to define the gravity field, and (2) topographic elevations to define the surface load and the geometry of the compensating masses in the crustal column.

1. Gravity data.
The gravity values used came from the gridded data set described by Godson and Schube (1982), which was assembled to prepare the Gravity Anomaly Map of the United States (Society of Exploration Geophysicists, 1982). The density of the 1-million-meter gravity observations and the 5-millicentimeter observations is shown as an inset map on the Gravity Anomaly Map of the United States (Society of Exploration Geophysicists, 1982). For contour areas, approximately 80 percent of all 5- to 5-minute cells have at least one gravity observation available.

Outcrop, the gridded data set contains Bouguer gravity values calculated using a reduction density of 2.67 g/cm^3 and terrain corrected by computer for topography between 0.665 to 166.7 km from a given station. Often, the grid contains free-air gravity values. The coordinates of observations were projected before gridding with an Albers equal-area conic projection (Gayden, 1982) having its central meridian at 90° W and standard parallels at 29.5° and 45.5° N. The grid interval is 4 by 4 km in the projected coordinate system. In the gridding process, data within a 20-km radius of a grid point were not included, but were weighted by distance from the grid point and interpolation in areas of sparse data coverage (Godson and Schube, 1982).

Free-air values of Bouguer gravity values are subject to errors caused by uncertainties in the elevation of the observation, in the calculated terrain correction, and in the density contrast that probably continues to an uncertainty of less than 2 mGal for most observations. Additional error is introduced by ignoring the correction for terrain within 0.665 km of the site of observation (Embury, 1968, p. 104) for most stations but none of sites for a few stations. Often, the free-air values are generally more accurate than 10-20 mGal.

The grid of Godson and Schube (1982) contains free-air gravity values off-shore. We wished to continue the Airy-Hayford model offshore, so a Bouguer correction was applied to the offshore data by using the 5-minute bathymetric data set to determine water depths. Because of the averaging inherent in this bathymetric data set and because of the 40 km grid interval, this approach will produce very similar results because these methods also suppress short wavelength features in the topography as does the present statistical method. Distributing the compensating masses (Widling-Melrose, 1938; McNitt, 1980) rather than having them entirely local (that is, directly under the load) also has a smoothing effect similar to additional upward continuation of the topography. These considerations explain why it is so difficult to determine the actual isostatic mechanisms operating in the Earth from the gravity evidence alone, and why all of the various reasonable isostatic models give results that are similar to first order.

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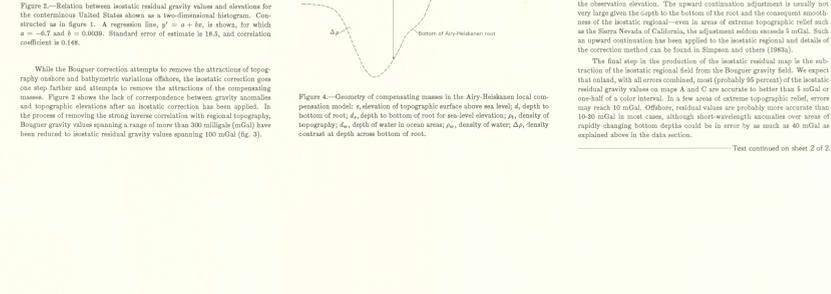


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