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1DT - an interactive, screen-oriented microcomputer program
for simulation of 1-dimensional geothermal histories

by

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Abstract

LDT is an interactive Pascal program for one-dimensional modelling of conductive and advective heat transfer in a geologic context. The program allows for user-specified physical properties, basal boundary conditions, internal heat generation, tectonic deformation, and rates of erosion. Input is from the keyboard; output is in the form of several graphic displays which may be printed during program execution, as well as a disk file of the temperature-depth conditions experienced by specified material points during the evolution of the model. LDT runs on the IBM PC and compatible microcomputers and should be easily portable to many other machines.

Introduction

Several recent studies (e.g. Draper and Bone, 1981; England and Thompson, 1984; Chamberlain and England, 1985) have exploited the power of finite difference solutions to the 1-dimensional heat-transfer equation. These authors have tapped a vein of rich ore that has not yet been exhausted, and reading about thermal models is no substitute for first-hand experience in gaining an appreciation for the phenomena of geologic heat transfer and the limitations of numerical modelling. This report describes LDT, a relatively portable, easy-to-use, microcomputer program for thermal modelling that allows for a large range of input parameters. It is hoped that others will find this program useful for teaching, self-education, and research.

To Install LDT

The program disk has source and object code for IBM PC-compatible microcomputers with appropriate graphics hardware, a routine to customize the object code for different terminals, and a batch file, `INSTALL.BAT`, to install LDT. This batch file erases the source code files, the terminal customization routine, and object code for alternate graphics hardware. Make a copy of the disk before you do anything else! Files on the program disk are detailed in Appendix 1.

To install LDT,

- Put a write-protect tab on the disk
- Copy the disk
- Log onto the drive the disk is in
- For machines with Hercules graphics boards, enter `INSTALL HGC`. For other graphics hardware, enter `INSTALL IBM`. `INSTALL` will rename some files, customize the programs for monitor characteristics (you will have to answer the same question about monitor characteristics three times) and then `ERASE` the installation programs and the object code for other graphics hardware.

You can now run LDT. Answer "?" at the first question. Though further explanation is offered below, the program is intended to be self-explanatory.

Description of Program LDT

For one-dimensional conductive and advective transfer of heat, the governing equation is

$$\frac{\partial T}{\partial t} = k \frac{\partial^2 T}{\partial z^2} - U \frac{\partial T}{\partial z} + \frac{A}{\rho c} \quad (1)$$

with T = temperature

t = time

k = thermal diffusivity

z = depth

U = velocity of the medium in the z direction

A = volumetric heat production rate

ρ = density

c = heat capacity

For finite simulations it is necessary to specify initial conditions and boundary conditions. A program to simulate conductive and advective heat transfer thus needs to provide the following:

an algorithm to solve equation (1)

an input procedure

physical properties

a heat generation function A

a velocity function U

boundary conditions

an initial temperature distribution

an output procedure

These aspects of LDT are described below.

Algorithm to Solve Equation (1) Equation (1) is solved by the Crank-Nicolson finite difference technique (Appendix 2). In this technique, the partial derivatives with respect to time are approximated by the average of the value at time = present and the value at time = present + timestep. The space derivatives are replaced by the average of their values at time = present and at time = present + timestep, with the space derivatives approximated by considering the change in values over the interval $Z - \text{spacestep}$ to $Z + \text{spacestep}$.

Inherent theoretical limits to the accuracy of finite-difference techniques are discussed by Smith (1985) and Carnahan and others (1969). Accuracy is a function of time- and space-step size. Possible ill effects due to steps that are too large can be tested empirically by running a model with a smaller steps--all that is needed is enough machine memory and more time. Several authors have tested accuracy by modelling simple scenarios for which analytic solutions are available (e.g. Draper and Bone, 1981; Haugerud, 1985). Results of these tests are encouraging, with errors in most cases no greater than a few percent.

Explicit finite difference techniques have very severe limits on permissible relative step sizes. For pure conductive transport, if the ratio

$$r = \text{diffusivity} * \text{timestep} / \text{spacestep}^2$$

exceeds 0.5 the explicit calculation is numerically unstable. The effect is not the least bit subtle. With a program that plots the geotherm every time-step, one can watch temperatures at a given grid-point oscillate with ever-increasing amplitude until the machine shuts down due to floating-point overflow.

The implicit Crank-Nicolson technique used by LDT is unconditionally stable. However, if r is large ($\gg 1$) and if there are local extreme curvatures in the geothermal gradient, temperatures in the vicinity of the extreme curvature will oscillate. The oscillations decay with time and do not appear to damage accuracy outside the affected region. Geothermal behavior within the affected region is manifestly not correctly depicted. Small time-steps are thus required to examine thermal histories in the spatial and temporal vicinity of simulated faults. Lengthy run-times can be avoided by changing to a longer time-step after local extreme curvatures in the gradient have decayed. Thermal discontinuities at external boundaries can also strain the Crank-Nicolson technique; these limitations are outlined by Smith (1985).

Input The first screen of LDT prompts the user to read a sample input file of model parameters, or for the name of an alternate input file. This file is read, then the parameters are presented screen by screen with options to accept (or change) each screen. After all screens have been approved, the user is then asked to accept (or change) the input parameters as a whole.

After a model is run, the user is offered the option of saving the modified parameters to a disk file for re-use or further editing at another session. The input parameters may also be printed at this time (Figure 1).

Note that one always modifies a pre-existing model rather than creating a model out of whole cloth.

Physical Properties Thermal conductivity, density and heat capacity are considered constant throughout the modelled space. The user is asked to specify these values.

It would be fairly easy to modify the code to allow for place-to-place variation of density and heat capacity, though this would make conversion of depth to pressure more complicated. It is possible to allow for place-to-place variation in thermal conductivity but this would require substantial re-writing of the procedure that implements the Crank-Nicolson technique.

Heat Generation Internal heat generation is specified as a slab/sawtooth function, with values interpolated between the values at the boundaries of specified layers. The user is asked to specify the number of layers, original depth to layer boundaries and the heat production at the top and base of each layer. Heat production below the base of the last layer is assumed to be zero. As the model evolves, through burial, uplift, and internal deformation, the positions of the layer boundaries are moved appropriately and the heat generation at any point is defined by linear interpolation from the values at the layer boundaries.

The top of the first layer (at the surface) does not move with time, though the base of the layer is moved. Consequently, heat generation in the uppermost layer of a model with erosion or uplift is depicted correctly only if the uppermost layer is a slab with internal heat generation constant with depth. LDT is not capable of repeating

(or excising) layers in the heat-generation structure during "thrust" events (see below). The program thus cannot easily duplicate the "thrust" scenario of England and Thompson (1984), in which a 35 km thick crust with a 10 km thick radioactive upper layer is repeated by thrusting. Attempting to create such a model with LDT will lead to an after-thrusting crust with a 45 km thick upper radioactive layer. However, such a thrust scenario can be duplicated by using the prescribed initial gradient feature and setting the initial thermal profile and heat generation structure to their post-thrusting configuration.

Velocity The model frame of reference is the surface, $Z=0$, with Z increasing downwards. Negative velocities then correspond to uplift, positive velocities to burial. The velocity function used is

$$U = a + bZ$$

with a and b constant. a is the rate of en-bloc translation, whereas non-zero values of b produce homogeneous strain. Different velocities may be prescribed for several stages in a burial/uplift history, with stages described by the time at the end of each stage.

In addition to advective heat transfer described by the velocity term, LDT incorporates the option for an instantaneous "thrust" (cf. England and Thompson, 1984) at the end of each uplift stage. In a thrust event, temperatures below a certain level (the thrust sheet thickness) are assigned values corresponding to those a certain distance (the amount of section duplicated) above this level (Figure 2). Temperature at the mesh-point closest to the thrust is then set to the average of the values at the mesh-points above and below. Low-angle normal faults may be simulated by specifying a "thrust" that duplicates a negative amount of section. Thrust sheet boundaries need not correspond to heat-generation layer boundaries.

The depth-time plot (see Output, below) is useful for insuring that the velocity function specified is the one intended.

Boundary Conditions The surface temperature is set at 0 degrees in all cases. Basal temperatures and gradients are calculated at the beginning of a model run. One has the option of then keeping the basal flux (= gradient * conductivity) constant or keeping the basal temperature constant.

Initial Temperature Distribution Initial temperatures are calculated equilibrium values for the specified heat generation, surface temperature and basal flux, or may be prescribed. If one chooses to prescribe the initial temperature, there are two options: import a geotherm (and initial time) from a disk file created by using the File option during an earlier run; and prescribe a geotherm by specifying temperatures at arbitrary increasing depths. In either case one has the option of editing the resulting temperatures.

Output LDT creates five pieces of output. During program execution, a graph of depth vs. temperature is displayed (Figure 2). The depth-T paths followed by specified material points and the geotherm are drawn on this graph at specified time intervals. At the same time, records of depth-T values for these same points are written to a disk file. After the finite difference calculation is completed, the user has the option of re-opening this disk file and using it to construct graphs of depth-time (figure 3), temperature-time (figure 4) and depth-temperature (figure 5) paths.

Hard copy of the various graphs can be created using the screen-print option displayed on various menus within the program. This option invokes a TurboGraphix procedure that supports series MX, RX, and FX Epson printers only. To produce hard copy on other printers will require using a graphics screen-dump utility that is external to program LDT or modifying LDT. Hardcopy will be automatically created if one specifies the automatic printout option on the OUTPUT screen.

The number and initial depths of the points for which P-T histories are tracked is specified in the OUTPUT screen. Negative initial depths can be specified, to track paths of points yet to be created by thrusting or subsidence and deposition.

Parameters specified in the OUTPUT screen are not saved to a disk file with the model parameters; rather, they are initialized (in procedure Header) every time the program is run. Different default values for the output procedures can be set by changing the appropriate statements at the beginning of this procedure.

After exiting program LDT one may list the records of depth-T values using program LISTPTT. LISTPTT can write this information to the screen, a disk file, or the printer.

Screens saved using the Savescreen option may be viewed and printed with program VIEW.

Help

In the first screen the user is offered the option of viewing a file of helpful hints that in part repeats and in part complements this discussion.

At almost all points in LDT typing <ESC>, or if nothing happens, control-C will either abort the program or lead to an option to abort the program.

While 'thinking', program execution may be suspended by typing <ESC>. This will branch to a menu that offers the options Abort, Change DT, Printscreen, Savescreen, New problem, File and Return. These options are invoked by typing the first letter of each.

Program Structure

The structure of the program is illustrated in Figure 6.

Implementation and Portability

LDT is written in TurboPascal, a dialect of Pascal published by Borland International. Graphic displays are implemented with the TurboGraphix package offered by Borland. The program disk has versions of LDT compiled on an IBM PC with a Hercules monochrome graphics card and an IBM PC with an IBM graphics card. LDT has been run on an IBM PC with the Hercules monochrome graphics board, an IBM PC with an IBM graphics board, a Toshiba T1100, and a Compaq. It should run on most IBM PC-compatible microcomputers with appropriate graphics hardware.

Modifying the program

Users are encouraged to modify LDT. This will require the TurboPascal compiler as well as the TurboGraphix Toolbox. These products are available for most 8088- and 8086-based machines. The compiler is also available for Z80-based machines. It should not be difficult to adapt LDT to a machine for which the TurboGraphix package is not available, provided a version of the compiler is available and the machine has dot-addressable screen graphics; indeed, LDT was written on such a machine. To do so will require writing versions of the graphics procedures described in Appendix 3. An example alternate graphics package is given in the file LDT1A.PAS on the program disk.

Likely modifications include re-dimensioning various arrays in the program to allow for more stages in the model history, allow for more heat-generation layers, or fit the program into a machine with less RAM; changing the output routines; and modifying the velocity and heat generation functions. Note that if arrays within the record type MODEL are re-dimensioned, it will be necessary to run the program 'blind' to construct an input file. If this is done, set the boolean constant FirstTime (at the head of file LDT.PAS) to true, compile, run the program, save the model parameters to the file SAMPLE.LDT, set FirstTime to false, and recompile.

Modifying the velocity and heat generation functions will require substantial rewriting of the input routines. However, the Crank-Nicolson algorithm (procedure CN) and the output routines should require little or no modification.

LDT.MSG is the text file read by the procedure invoked by "?" at the first question. This file may be modified with any text editor, using non-document mode.

Error Handling

There is little in the way of error trapping in LDT. IO errors (character instead of numeric input, for example), disk errors and the like will be fatal. If by some chance a fatal error occurs while in graphics mode, the program will return to the operating system level while in graphics mode. Resetting may then be required.

Bugs

Pay attention to your results. If they appear unreasonable, they may be! There are undoubtedly a few bugs still lurking in the 2,000+ lines of code that constitute LDT. If you do discover any problems, please contact the author. Complete documentation of the sequence of instructions that produce anomalous behavior will be very helpful.

The sections of code that use the velocity function to prescribe heat generation in the evolving model are the weakest part of the program and the most likely source of failure. To examine detailed behavior of a model, and verify that heat generation and velocity are properly assigned, there is a Troubleshoot option available when program execution is suspended by typing <ESC> (see Help, above). This option is not on the menu. Typing <T> will allow one to examine the current time; surface temperature; basal flux; and temperatures, velocities, and

heat generation at each grid point. The Troubleshoot option will erase large parts of the graphic display on most machines.

References Cited

- Carnahan, B., Luther, H. A., and Wilkes, J. O., 1969, Applied numerical methods: New York, John Wiley and Sons, 604 p.
- Chamberlain, C. P., and England, P. C., 1985, The Acadian thermal history of the Merrimack Synclinorium in New Hampshire: *Journal of Geology*, v. 93, p. 593-602.
- Draper, G., and Bone, R., 1981, Denudation rates, thermal evolution, and preservation of blueschist terrains: *Journal of Geology*, v. 89, p. 602-613.
- England, P. C., and Thompson, A. B., 1984, Pressure-temperature-time paths of regional metamorphism, Part I. Heat transfer during the evolution of regions of thickened continental crust: *Journal of Petrology*, v. 25, p. 894-928.
- Haugerud, R. A., 1985, Geology of the Hozameen Group and the Ross Lake shear zone, Maselpanik area, North Cascades, southwest British Columbia (PhD dissertation): Seattle, University of Washington, 263 p.
- Smith, G. D., 1985, Numerical solution of partial differential equations: finite difference methods (3rd edition): Oxford, Oxford University Press, 337 p.

Appendix 1. A note on the program disk

The program disk is an MS-DOS format 5 1/4" floppy disk with the following files:

LDTCOM.IBM	object code for PC with IBM graphics card
LDTCOM.HGC	object code for PC with Hercules graphics card

One of these must be renamed LDT.COM.

LDT000.IBM	overlay file for LDT with IBM graphics
LDT000.HGC	overlay file for LDT with Hercules graphics

The appropriate file must be renamed LDT.000

LDT.COM, LDT.000, and the 6 files below must be present on the default drive/directory when running LDT.

SAMPLE.LDT	file of initial values for model parameters, read by program LDT
LDT.MSG	text file read by "?" in first screen
4x6.FON	file used by the TurboGraphix procedures
8x8.FON	"
14x9.FON	"
ERROR.MSG	"

The following text files are source code for LDT and need not be present to run the program.

LDT.PAS	main program	LDT5.PAS	include file for LDT
LDT1.PAS	include file for LDT	LDT6.PAS	"
LDT2.PAS	"	LDT7.PAS	"
LDT3.PAS	"	LDT8.PAS	"
LDT4.PAS	"	LDT9.PAS	"
LDT4A.PAS	"		

LDT1A.PAS is an include file for LDT that contains a set of surrogate, non-IBM graphics routines. It is not included in the compiled versions of the program on this disk.

The 5 files below are source and object code for LISTPTT and VIEW, utilities for viewing the output files created by LDT and viewing and printing saved screen images.

LISTPTT.PAS	VIEW.PAS
LISTPTT.COM	VIEWCOM.IBM
	VIEWCOM.HGC

LDTINST.COM is a terminal installation routine that uses the files LDTINST.MSG and LDTINST.DTA. INSTALL.BAT is a batch file that renames files; configures LDT, VIEW, and LISTPTT; invokes the program LDTINST.COM; and erases all files with the extension PAS, files with the extension HGC or IBM, and files with that start with the designation LDTINST.

Appendix 2. The Crank-Nicolson method

One-dimensional heat transfer by conduction and advection is governed by the conservation equation

$$\frac{\partial T}{\partial t} = k \frac{\partial^2 T}{\partial z^2} - U \frac{\partial T}{\partial z} + \frac{A}{\rho c} \quad (1)$$

with T = temperature,
 t = time,
 k = thermal diffusivity,
 z = depth,
 U = velocity of the medium in the z direction
 A = volumetric heat production rate
 ρ = density
 c = heat capacity

Consider discrete intervals of space Dz and time Dt , such that $z = iDz$ and $t = nDt$. The partial derivatives $\partial^2 T / \partial z^2$ and $\partial T / \partial z$ can be replaced with their finite-difference equivalents $\delta_{zz}T$ and $\delta_z T$, such that

$$\delta_{zz}T = \frac{T_{i+1} + T_{i-1} - 2T_i}{Dz^2} \quad \text{and} \quad \delta_z T = \frac{T_{i+1} - T_{i-1}}{2Dz}.$$

If we approximate $\partial T / \partial t$ by $(T^{n+1} - T^n) / Dt$, and replace the right-hand side of equation (1) with the average of its finite-difference equivalents at time $t = nDt$ and $t = (n+1)Dt$, we have the Crank-Nicolson approximation:

$$\frac{T^{n+1} - T^n}{Dt} = \frac{1}{2} \left[\frac{(k\delta_{zz}T^{n+1} - U^{n+1}\delta_z T^{n+1} + A^{n+1})}{\rho c} + \frac{(k\delta_{zz}T^n - U^n\delta_z T^n + A^n)}{\rho c} \right] \quad (2)$$

Rearranging, collecting terms, and letting

$$L = \frac{kDt}{2Dz^2} \quad V_i^n = \frac{U^nDt}{4Dz} \quad \text{and} \quad H_i^n = \frac{A^nDt}{2\rho c},$$

gives

$$\begin{aligned} (-L - V_i^{n+1})T_{i-1}^{n+1} + (1+2L)T_i^{n+1} + (-L + V_i^{n+1})T_{i+1}^{n+1} \\ = (L + V_i^n)T_{i-1}^n + (1-2L)T_i^n + (L - V_i^n)T_{i+1}^n + H_i^{n+1} + H_i^n \end{aligned} \quad (3)$$

for $0 < i < i_{\max}$.

This may be written

$$a_i T_{i-1}^{n+1} + b_i T_i^{n+1} + c_i T_{i+1}^{n+1} = d_i \quad (4a)$$

with

$$\begin{aligned} a_i &= -L + V_i^{n+1} & c_i &= -L - V_i^{n+1} \\ b_i &= 1 + 2L & \text{and } d_i &= \text{right-hand side of equation (3)}. \end{aligned}$$

In a geological setting, it is useful to consider cases in which surface temperature, T_0 , is a known function of time. In this case, for $i = 1$, equation (4a) can be rewritten as

$$b_1 T_1 + c_1 T_2 = d_1, \quad (4b)$$

with

$$d_1 = (L + V_1^n) T_{i-1}^n + (1 - 2L) T_i^n + (L - V_1^n) T_{i+1}^n + H_i^{n+1} + H_i^n - (-L - V_1^{n+1}) T_0^{n+1}$$

A known basal gradient, $\partial T / \partial z$ at $z = \text{imax}(Dz)$, at time $t = nDt$, can be replaced by its central difference approximation, BG , with

$$BG^n = (T_{\text{imax}+1}^n - T_{\text{imax}-1}^n) / (2 Dz)$$

Rearranging, $T_{\text{imax}+1}^n = T_{\text{imax}-1}^n + 2 Dz BG^n$ and equation (4a), for $i = \text{imax}$, becomes

$$a_{\text{imax}} T_{\text{imax}-1} + b_{\text{imax}} T_{\text{imax}} = d_{\text{imax}}, \quad (4c)$$

with

$$a_{\text{imax}} = -2L \quad \text{and}$$

$$d_{\text{imax}} = 2L T_{i-1}^n + 2(1-L) T_i^n + H_i^{n+1} + H_i^n + 2Dz((L - V_i^n) BG^n - (-L + V_i^{n+1}) BG^{n+1})$$

A known basal temperature can be treated in the same fashion as a known surface temperatures.

Equations 4a, 4b, and 4c constitute a set of $m (= \text{imax})$ simultaneous equations in m unknowns, in which the unknowns are temperatures at each gridpoint at time $= (n+1)Dt$. The equations are tridiagonal, that is, in the form

$$\begin{aligned} b_1 T_1 + c_1 T_2 & & & = d_1 \\ a_2 T_1 + b_2 T_2 + c_2 T_3 & & & = d_2 \\ & a_3 T_2 + b_3 T_3 + c_3 T_4 & & = d_3 \\ & & \dots & \\ & & & \dots & & \dots \\ & & & & a_m T_{m-1} + b_m T_m & = d_m. \end{aligned}$$

LDT uses these relations to predict temperatures in a one-dimensional crust. The tridiagonal set of equations is solved by the procedure TRIDAG, translated from the FORTRAN subroutine presented by Carnahan and others (1969, p. 446).

Smith (1985) indicates that under certain conditions the Gaussian elimination algorithm implemented in TRIDAG is subjected to error-amplification. An option to check for susceptibility to machine error in TRIDAG is presented during the input portion of LDT. Ordinarily this should not be selected. If the option is selected, values for a, b, and c for $i-1$, i , and $i+1$ will be printed whenever the inequalities

$$b_i > \text{abs}(a_i + c_i) \quad \text{and} \quad b_i > \text{abs}(c_{i-1} + a_{i+1})$$

with $a_1 = c_m = 0$, are not preserved.

Appendix 3. Graphics procedures used by LDT

LDT uses graphics procedures provided by the TurboGraphix Toolbox marketed by Borland International. If LDT is implemented on a machine for which the TurboGraphix Toolbox is not available, surrogates for the procedures listed here must be written. A set of surrogates for use on the Otrona Attache, a CP/M machine with dot-addressable graphics, is included on the program disk as file LDT1A.PAS.

```
procedure InitGraphic;
    Checks to see if graphics hardware is present, enters graphics
    mode, and clears screen.

procedure EnterGraphic;
    Enters graphics mode and clears screen.

procedure LeaveGraphic;
    Leaves graphics mode and returns to text mode.

procedure DefineWorld( n : integer; xmin, ymin, xmax, ymax : real);
    Defines world n with corners of screen at (xmin,ymin) and
    (xmax,ymax).

procedure SelectWorld( n : integer);
    Selects world n as the current world. Used because TurboGraphix
    requires it; could be replaced by a dummy procedure.

procedure SelectWindow( n : integer);
    Selects window n as the active window. Could also be replaced
    by a dummy procedure.

procedure DrawLine( xl, yl, x2, y2 : real);
    Draws a line from (xl,yl) to (x2,y2). Checking that values of x and
    y are within bounds is done by LDT before DrawLine is invoked.

procedure HardCopy( inverse : boolean; mode : byte);
    Does a screen dump. If inverse=false then black and white are
    reversed. Mode controls the number of dots per inch. LDT uses
    mode=6.

procedure SaveScreen( filename: string);
    Saves current screen to the disk file filename.
```

Figure Captions

Figure 1. Listing of model parameters produced by LDT. Model is named "sample" and is depicted in figures 2-5. The velocity function prescribed is for a 3-stage deformation history, with 0.5 million years of quiescence ended by a "thrust" event, another 10 million years of quiescence, and then 20 million years of erosion at 0.4 mm/yr coupled with homogeneous thinning at a strain rate of $1 \times 10^{-15} \text{ sec}^{-1}$.

Figure 2. Initial output of LDT. Vertical axes are depth in km with ticks at 10 km intervals; horizontal axes are temperature in degrees Celsius. Sweeping lines are instantaneous geotherms. A) Sample model immediately after "thrust" event. Note that "thrust" is at depth of 15 km and repeats 10 km of thermal section. Vertical and straight diagonal lines are P-T paths of discrete rock masses. B) After completion of model run (time > 50 my). Geotherms have been drawn at 2 my intervals.

Figure 3. Depth-time plot produced by LDT. Vertical axis is depth in km; horizontal axis is time in millions of years. Curves are paths followed by selected points. Note rapid burial by thrusting, quiescence, and then uplift/erosion (all points move to shallower depths) coupled with homogeneous thinning (all points move closer together).

Figure 4. Temperature-time plot produced by LDT. Vertical axis is temperature; horizontal axis is time in millions of years.

Figure 5. Depth-temperature (P-T) plot produced by LDT. Vertical axis is depth in km, horizontal axis is temperature in degrees Celsius.

Figure 6. Flow chart for use of program LDT.

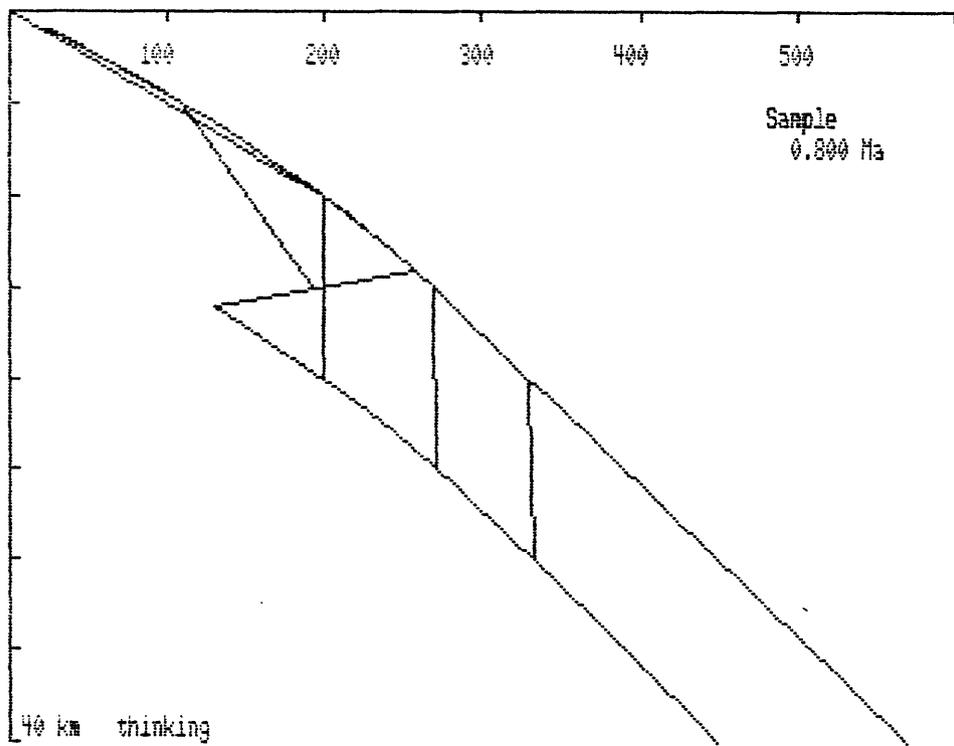
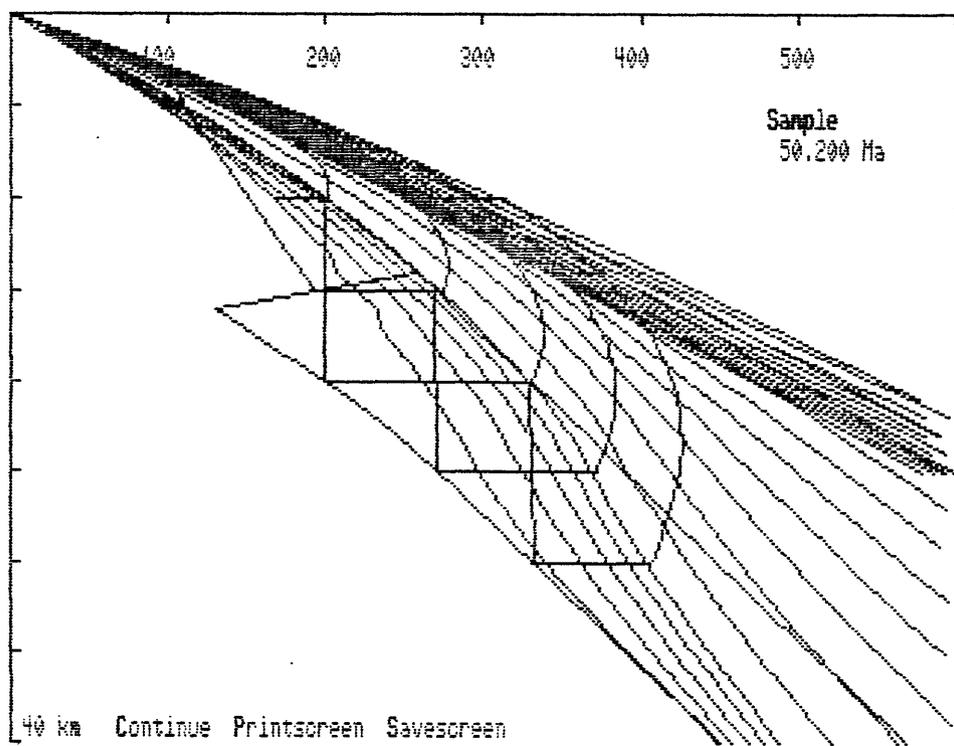


Figure 2.

(A)



(B)

Continue Printscreen Savescreen
Sample

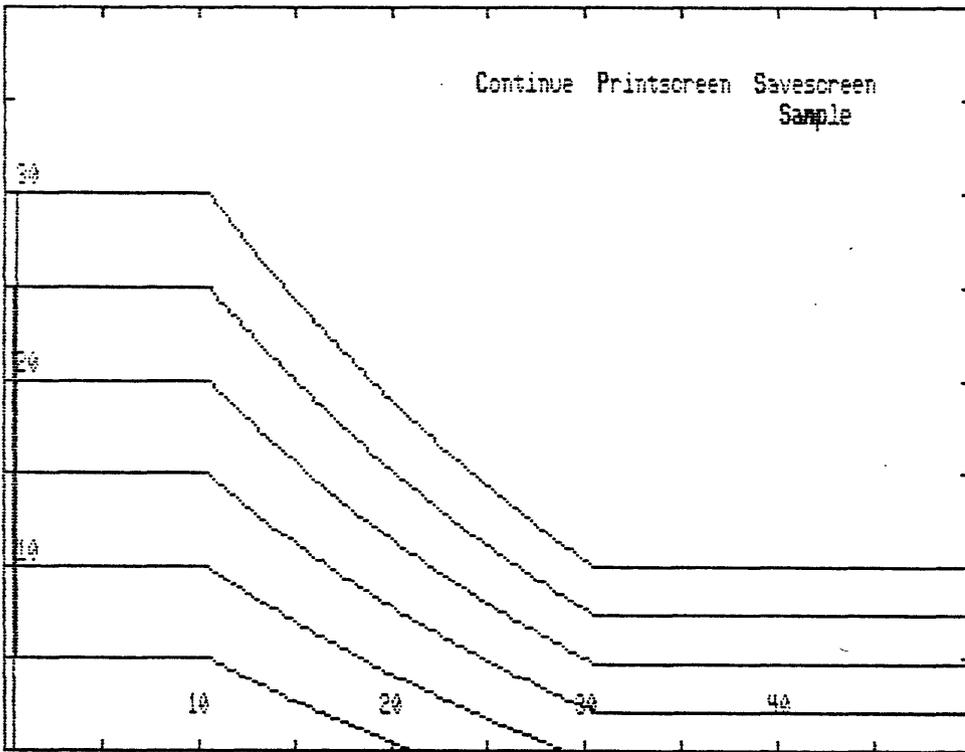


Figure 3.

Continue Printscreen Savescreen
Sample

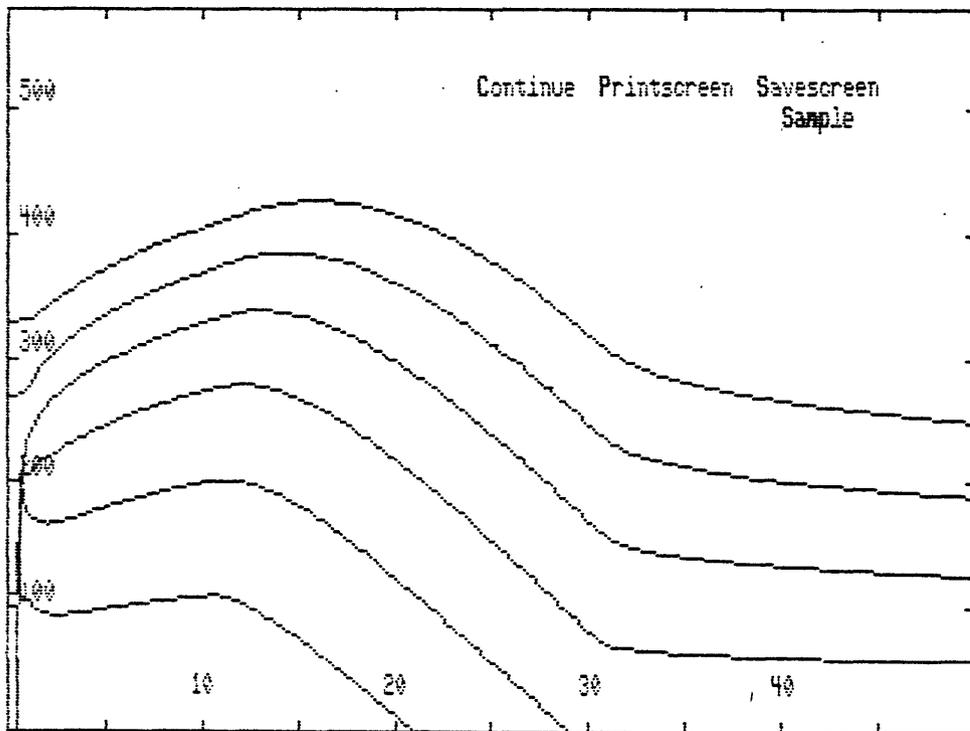


Figure 4.

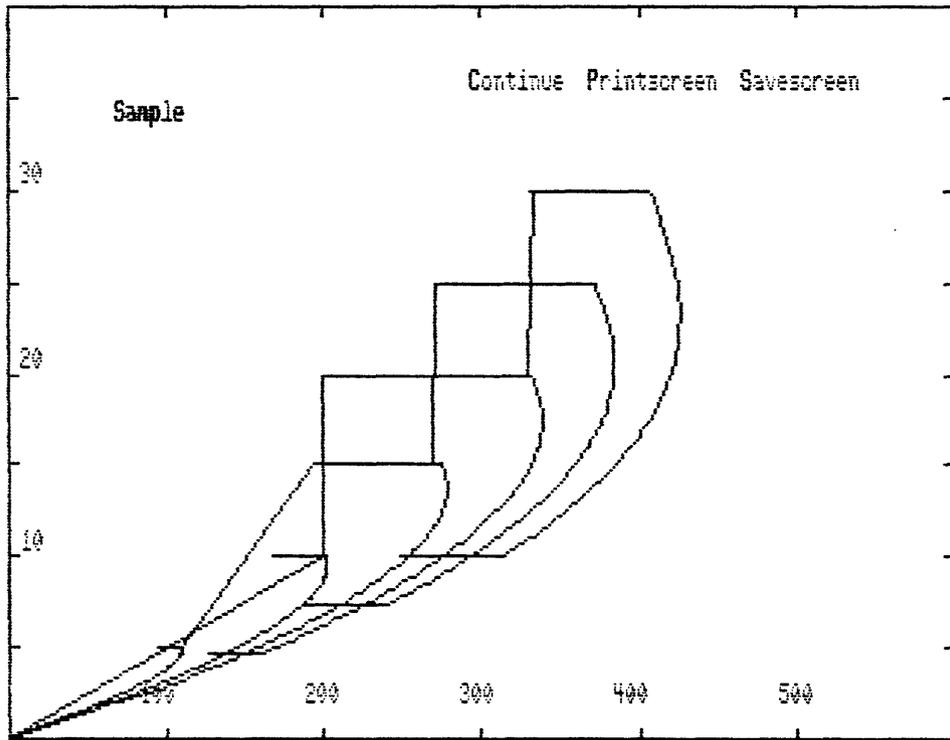


Figure 5.

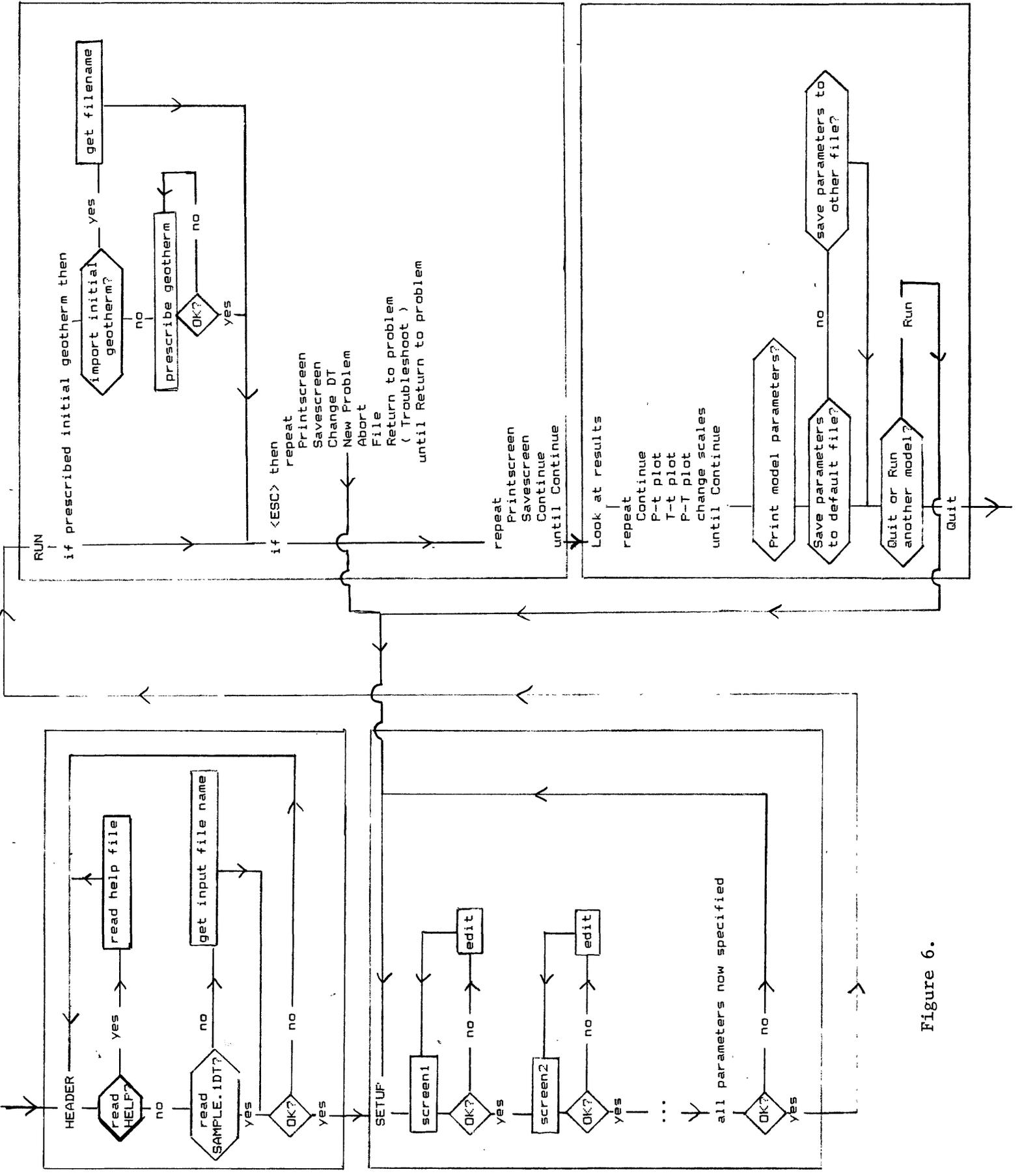


Figure 6.