

**DOCUMENTATION OF A NUMERICAL CODE FOR
THE SIMULATION OF VARIABLE DENSITY
GROUND-WATER FLOW IN THREE DIMENSIONS**

By Logan K. Kuiper

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CONTENTS

	Page
Abstract-----	1
Introduction-----	1
Theoretical development-----	3
Model application-----	5
Grid elements-----	5
Fresh-water head-----	9
Confining beds-----	10
Recharge-----	12
Head dependant discharge-----	12
Solution methods-----	13
Strongly implicit procedure-----	13
Successive over-relaxation-----	15
Preconditioned conjugate gradient-----	17
Convergence-----	18
Computation time-----	20
Water density calculations-----	20
Units-----	23
References-----	24
Attachment A: Computer program-----	A-1
Main program-----	A-1
Subroutine RDWRT-----	A-4
Subroutine SOR-----	A-4
Subroutine SIP-----	A-5
Subroutine PCG-----	A-5
Attachment B: Data deck instructions-----	B-1
Group I: Model dimensions and options-----	B-1
Group II: Array data-----	B-7
Group III: Additional array data-----	B-12
Group IV: Array data for pumping intervals-----	B-13
Attachment C: Example application-----	C-1
Input data-----	C-3
Example output-----	C-6
Attachment D: Definition of program variables-----	D-1
Attachment E: Program listing-----	E-1
Main-----	E-1
Subroutine RDWWRT-----	E-13
Subroutine SOR-----	E-14
Subroutine PCG-----	E-17
Subroutine SIP-----	E-23

ILLUSTRATIONS

	Page
Figure 1. Side view of grid elements-----	6
2. Top view of grid elements-----	7

CONVERSION FACTORS

For use of readers who prefer to use metric units, conversion factors for terms used in this report are listed below:

<u>Multiply</u>	<u>By</u>	<u>To obtain</u>
cubic foot (ft ³)	0.02832	cubic meter (m ³)
foot per day (ft/d)	0.3048	meter per day (m/d)
pound, avoirdupois	453.6	gram (g)

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ABSTRACT

This report documents a numerical code for the simulation of variable density time dependant ground-water flow in three dimensions. The ground-water density, although variable in space, is assumed to be approximately constant in time and known. The Integrated Finite Difference grid elements in the code follow the geologic strata in the modeled area. If appropriate, the determination of hydraulic head in confining beds can be deleted to decrease computation time. The strongly implicit procedure (SIP), successive over-relaxation (SOR), and eight different preconditioned conjugate gradient (PCG) methods are used to solve the approximating equations.

The use of the computer program that performs the calculations in the numerical code is emphasized. Detailed instructions are given for using the computer program, including input data formats. An example simulation and Fortran listing of the program are included.

INTRODUCTION

This report documents a numerical code for the simulation of variable density time dependant ground-water flow in three dimensions. The ground-water density, although variable in space, is assumed to be approximately constant in time and known. The Integrated Finite Difference grid elements in the code are six sided and rectangular when viewed from the vertical direction. The sides of these grid elements are planar, but their top and bottom surfaces follow the curvature of the geologic strata in the modeled area.

The strongly implicit procedure (SIP), successive over-relaxation (SOR), and eight different preconditioned conjugate gradient methods (PCG) (Kuiper, written commun., 1984) are used to solve the approximating equations.

The ground-water flow equation with constant density is used for most ground-water flow studies. In many problems the variation in ground-water density ρ is sufficiently small that it can be neglected. For certain situations, however, it is necessary to treat ρ as a function of water pressure, salt concentration, and temperature.

In some cases, particularly in a confined aquifer, the pressure at a point may change considerably with time, even though the density, temperature, and salt concentration of the water change very little. This is possible, since water density is more weakly dependent upon pressure than it is upon temperature and salt concentration. Density changes that occur due to thermal and salt transport are much slower than those that occur due to pressure changes. Thus if one is interested in the simulation of pressure for a short time period, it is a permissible approximation to regard the density as being time independent and to use the ground-water flow equation by itself without the solute transport or heat conduction equation. In this case, the density $\rho(x,y,z)$ is regarded as being time independent and is determined either by measurement, model calibration, or other procedures, much the same as the hydraulic conductivity. After a certain time period, depending upon the circumstances, pressure changes may pass to a state of quasi-equilibrium. This may occur in a time period which is sufficiently small that density changes, due to thermal and salt transport, are insignificant. A good approximation to this quasi-equilibrium solution is the solution of the steady state ground-water flow equation, again with density $\rho(x,y,z)$ independent of time. Numerical solutions of this type, although valid only for the restricted conditions given above, are far less expensive in terms of computational cost than are those for more general situations which also solve the coupled solute transport and/or heat condition equations. In this report, as with Bennett (1980) and Weiss (1982), ground-water density ρ is assumed to be a known function of spatial position.

THEORETICAL DEVELOPMENT

The basic development of the numerical code documented in this report has been presented by Kuiper (1983), and will not be presented here. Approximating equations (17) and (28) of Kuiper (1983), for steady-state flow, are:

$$F \approx A_x \hat{K}'_{uu} \left[\frac{\Delta h}{\ell} + \frac{B}{\ell \rho_0} \right] + \dots \quad (M/T) \quad (1)$$

$$F_z \approx (\Delta x_i \Delta y_j) \hat{K}'_{ww} \left[\frac{\Delta h}{b'} + \frac{\rho_{i,j,k} b_{i,j,k} + \rho_{i,j,k+1} b_{i,j,k+1}}{2b' \rho_0} \right] \quad (M/T) \quad (2)$$

Equation (1) gives an approximation to the flow into the side of a grid element i,j,k from a horizontally adjacent grid element $i+1,j,k$. The quantity ℓ is the distance in the i direction between the center of grid element i,j,k and grid element $i+1,j,k$, Δh is the difference in the pressure head h between the two grid element centers, A_x is an approximation to the area of the common side shared by the two grid elements, and \hat{K}'_{uu} is the weighted harmonic mean of the hydraulic conductivity for the two grid elements. The quantity B is an approximation to the integral of $\rho \Delta z$ from the center of grid element i,j,k to the center of grid element $i+1,j,k$. The fluid density is ρ and Δz is the increment of vertical distance z , measured positive upwards. In equation (2), F_z is an approximation to the flow downward into the top of grid element i,j,k from grid element $i,j,k+1$. The terms in equation (2) are completely analogous to those in equation (1). The vertical distance between the two grid element centers is b' , and $b_{i,j,k}$ and $b_{i,j,k+1}$ are the vertical thicknesses of grid elements i,j,k and $i,j,k+1$ respectively. Note that the harmonic mean has been taken of the hydraulic conductivity rather than transmissivity.

With the substitutions $h' = h+z$ and $\rho' = \rho - \rho_0$, the terms in the brackets in equations (1) and (2) remain the same except that fresh-water head h' replaces pressure head h , and ρ' replaces ρ . With this alteration, multiplication by -1 , and division by $\rho_0 = 1 \text{ gm/cm}^3$, equations (1) and (2) may be written in matrix form as:

$$Mh' = \hat{q} \quad (L^3/T) \quad (3)$$

Matrix M has seven diagonals corresponding to the $i,j,k-1$, $i,j-1,k$, $i-1,j,k$, i,j,k , $i+1,j,k$, $i,j,k+1$ grid element locations. Component i,j,k of vector \hat{q} includes the sum of all sources of mass (divided by ρ_0) that arise in grid element i,j,k . Such sources of mass include ground-water pumping from wells, as a negative quantity, and also the dissolution of solutes from the porous media. From equation (1), and since $K = K'/\rho_0$, the $i+1,j,k$ location diagonal of matrix M is equal to the quantity $-A_x \hat{K}_{xx}/\ell$, where the notations K_{uu} , K_{vv} , and K_{ww} (Kuiper, 1983) are replaced by K_{xx} , K_{yy} , and K_{zz} in this report. Similar equalities pertain to the $i-1,j,k$, $i,j-1,k$, and $i,j,k+1$ diagonals. The second term in equation (1), with \hat{K}'_{uu} replaced by \hat{K}_{uu} , is part of vector \hat{q} . The $i,j,k+1$ diagonal of matrix M is equal to the quantity $-(\Delta x_i \Delta y_j) \hat{K}_{zz}/b$ from equation (2). The $i,j,k-1$ diagonal is equal to the $i,j,k-1$ location equivalent of this same quantity. The second term in (2) with \hat{K}'_{ww} replaced by \hat{K}_{ww} is part of vector \hat{q} . The center diagonal of M is equal to the negative of the sum of the six off-center diagonals.

Equation (3) is modified for time dependant flow. Component i,j,k of matrix equation (3) expresses the conservation of mass for grid element i,j,k . Using the backward difference for the time derivative, $[(dV)S_s(\rho/\rho_0)/\Delta t](h')^{n-1}$, for grid element i,j,k , is added to the i,j,k component of mass recharge vector \hat{q} . The dV , S_s , and ρ , are the volume, specific storage, and water density for grid element i,j,k . The Δt is the time interval between times n and $n-1$. The expression $[(dV)S_s(\rho/\rho_0)/\Delta t]$ is added to the center diagonal of matrix M .

For any grid element, the computer model allows for mass discharge which, when the hydraulic head H is greater than some chosen value H_e , increases linearly with h' . When such discharge is taking place, vector \hat{q} and the center diagonal of matrix M receive additional terms, as with the addition of time dependency.

MODEL APPLICATION

Grid Elements

Figure 1 shows a side view example of the grid element system, and figure 2 shows a top view.

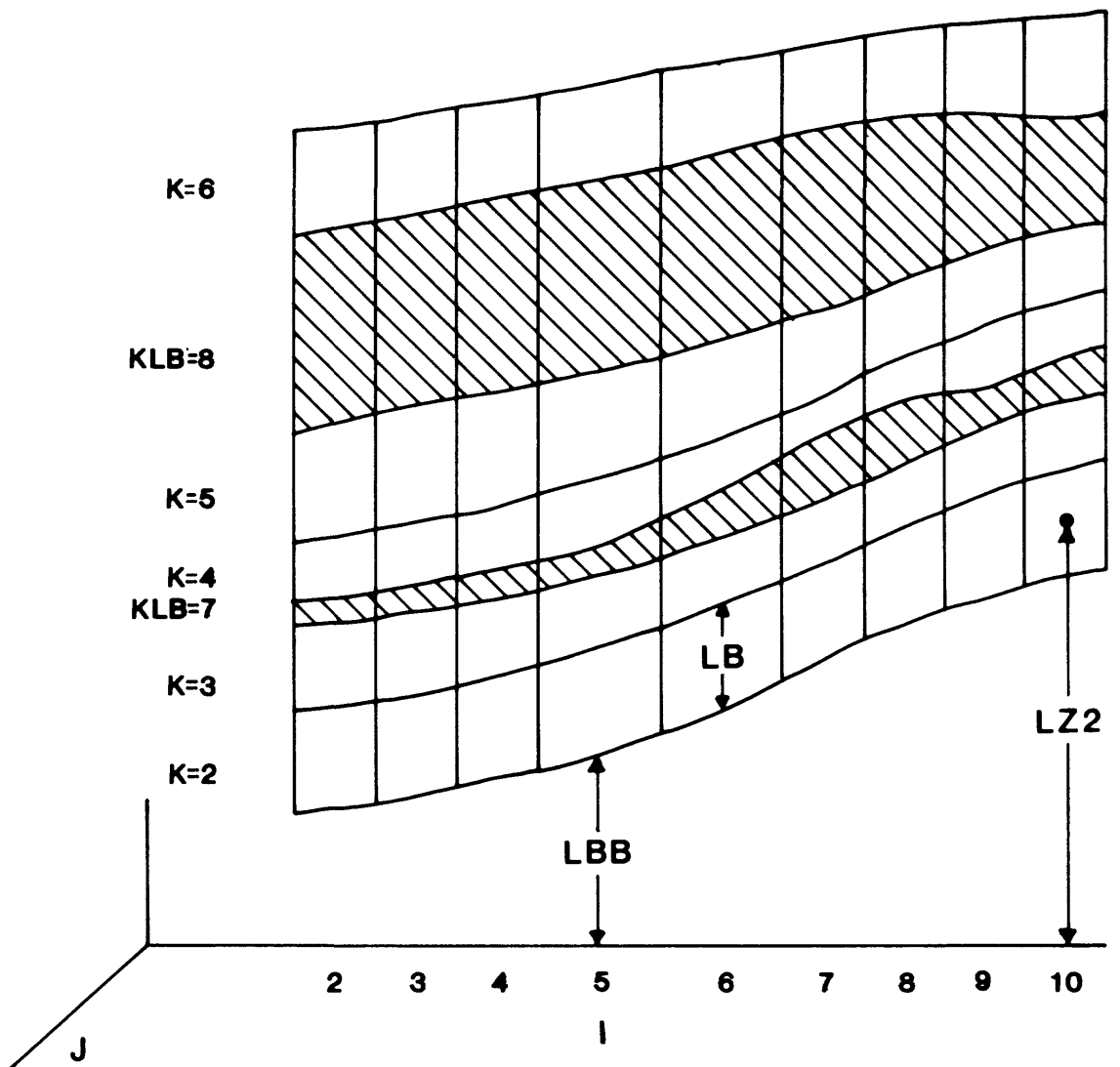
In figures 1 and 2, the modeled region lies within the total volume taken up by grid elements I, J, K for $2 \leq I \leq 10$, $2 \leq J \leq 5$; and $2 \leq K \leq 6$. There are: nine columns numbered $I = 2, 3, \dots, 10$; four rows numbered $J = 2, 3, 4, 5$; and five layers numbered $K = 2, 3, \dots, 6$. In the computer program, grid elements are not identified using I, J, K , but rather by a single subscript:

$$IJ = I + (NI10)(J-2) + (NIJ10)(K-2)$$

where $NIJ10 = (NI10)(NJ10)$. $NI10$, $NJ10$, and $NK10$ are the total number of columns, rows, and layers in the modeled region. In the example in figures 1 and 2, $NI10 = 9$, $NJ10 = 4$, and $NK10 = 5$. IJ has the values 2, 3, ..., 181. Confining bed grid elements are identified by

$$IJLB = I + (NI10)(J-2) + (NIJ10)(KLB-2)$$

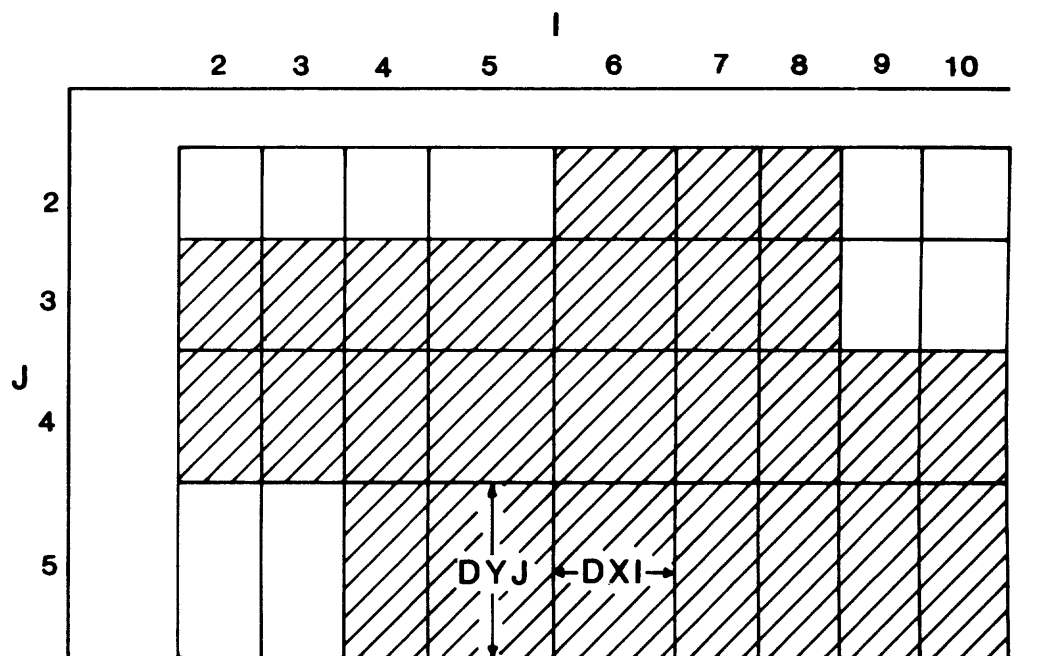
where KLB denotes confining bed layer. In figure 1, KLB has the values 7 and 8. $IJLB$ has the values 182, 183, ..., 253.



EXPLANATION

 EXTENT OF CONFINING LAYERS

Figure 1.--Side view of grid elements.



EXPLANATION



MAXIMUM HORIZONTAL EXTENT
OF MODELED REGION

Figure 2.—Top view of grid elements.

The solution procedure in the numerical code assumes that no flow can pass through the boundary surface surrounding the modeled region. By fixing the rate of water withdrawal or injection from grid elements adjacent to the boundary surface, specified flow boundary conditions can be simulated. By fixing the hydraulic head in grid elements adjacent to the boundary, specified hydraulic head boundary conditions can be simulated.

In the computer program, grid elements, and confining bed grid elements, which lie outside of the modeled region, are flagged with $NT=0$. When a grid element has $NT=0$, it is dropped from the calculations in the solution procedure, thus reducing the computation time. Figure 2 shows the maximum horizontal extent of the modeled region. Because the modeled region may have different values of I and J for each layer, some of the grid elements or confining bed grid elements, which lie in the cross-hatched area in figure 2, lie outside of the modeled region.

For the computer program, values of ρ' may have any value outside of the modeled region. Values for LB and LBB in figure 1, in the cross-hatched area in figure 2, even when outside of the modeled region, should have values such that the computer program, when summing values of LB and LBB, obtains the correct elevations for LZ2 in figure 1 for the grid elements and confining bed grid elements within the modeled region. Values for LB, and LBB, may have any value outside of the cross-hatched area in figure 2.

When a layer, or confining bed layer, pinches out, LB is set to zero, and a non-zero value for K_{zz} (see page D-2) is used. This prescription for LB and K_{zz} causes a pinched-out grid element or confining bed grid element to offer no resistance to the flow of water through the elements' top and bottom surfaces, but prevents any flow through the elements' sides.

Fresh-Water Head

In the development by Kuiper (1983), the approximating equations (1) and (2) are written using pressure head $h = p/\rho_0 g$, where p is pressure, $\rho_0 = 1 \text{ gm/cm}^3$, and g is the acceleration of gravity. When equations (1) and (2) are altered using fresh-water head $h' = h+z$ and $\rho' = \rho - \rho_0$, and then divided by ρ_0 , they become equation (3).

When a cased well extends to a point at elevation z and at which the ground water has pressure p and density ρ , the water rises inside the well bore a distance $p/\rho g = h \rho_0/\rho$. Since the hydraulic head H is the elevation of the formation water in the well bore:

$$H = \frac{h}{\frac{\rho}{\rho_0}} + z$$

or

$$H = \frac{h' - z}{\left(\frac{\rho'}{\rho_0} + 1 \right)} + z \quad (4)$$

The computer program solves matrix equation (3) written with fresh-water head h' as the unknown. Any fixed hydraulic head values (MHD values in the computer program) are first converted to fixed h' values, using equation (4) evaluated at the center of the grid element, before the solution procedure is started. After a solution is obtained, the newly found h' values (XX values in the computer program) are converted to hydraulic head values, using equation (4), before they are printed. Hydraulic head values are input into the computer program and are also obtained as output, even though fresh-water head h' is used in the solution procedure.

Confining Beds

Confining bed grid elements, by definition, have zero hydraulic conductivity in the I and J directions, and thus do not allow any water to pass through their sides. Their specific storage is zero, and they do not have any wells, or any sources or sinks of mass of any type.

Figure 1 shows two confining beds, between the $K = 3$ and $K = 4$ layers and also between layers $K = 5$ and $K = 6$. The vertical dimension and ρ' for confining bed and regular grid elements are input in the computer program using the data sets LB and LRO respectively. For the example in figures 1 and 2, 180 values of LB (IJ) and LRO (IJ) for $IJ = 2, 3, \dots, 181$ are read in. In addition, 72 values of LB (IJLB) and LRO(IJLB) for $IJLB = 182, 183, \dots, 253$ are read in. The LB(IJ) and LB(IJLB) values are read in as one continuous array of 252 values, with the confining bed grid elements following the regular grid elements. In like manner, LRO(IJLB) values follow LRO(IJ) values. This same procedure is used to read in values for NT(IJ) and NT(IJLB), which are needed for the computation of hydraulic conductivity.

When more than one confining bed exists between two aquifer layers, they must be combined into one effective confining bed with the z component of K equal to $(K_{zz})_{eff}$, and with the same total vertical dimension LB, by using:

$$\frac{(K_{zz})_{eff}}{LB} = \left[\sum_{i=1}^n \left(\frac{b_i}{K_{zz}} \right)_i \right]^{-1} \quad (5)$$

The number of adjacent confining beds is n. Confining bed i has vertical dimension b_i , and $(K_{zz})_i$ for the z component of K. The total thickness, or vertical dimension, of the adjacent confining beds is $\sum_{i=1}^n b_i = LB$. The ground-water density ρ_{eff} , for the effective confining bed, is found using:

$$(LB) \rho_{eff} = \sum_{i=1}^n \rho_i b_i \quad (6)$$

Recharge

Component IJ of mass recharge vector \hat{q} in equation (3), with units (L^3/T), includes the sum of all sources of mass (divided by ρ_0) that occur in grid element IJ . Such sources of mass include ground-water pumping from wells, as a negative quantity, and also the dissolution of solutes from the porous media. Vector \hat{q} is denoted by the quantities $YQ(IJ)$ in the computer program. The user must specify the mass recharge rates $YQ(IJ)$, one for each grid element IJ , but may also specify mass recharge rates $Q2(I,J,K)$ with which one must give the associated locations I , J , and K . If values for $Q2(I,J,K)$ are specified, the computer program adds these values to those given for $YQ(IJ)$.

Head Dependant Discharge

For any grid element the computer model allows for mass discharge which, when the hydraulic head H is greater than some chosen value H_e , increases linearly with H . The rate of mass discharge (L^3/T) from a grid element is given by $Aa(H-H_e)$ when $H > H_e$, and is zero when $H < H_e$. H is the hydraulic head in the grid element and A is the area of the grid element, $((DXI(I) \times (DYJ(J)))$. In the computer program, $XXE(IJ)$ is H_e , measured relative to the center of the grid element. $ALN(IJ)$, with units ($1/T$) specifies the quantity a .

The discharge may be used for a variety of purposes. It lends itself readily to evaporation which is sometimes assumed to begin when the hydraulic head rises to within a certain distance from ground surface. It can also be used to simulate discharge into a stream. In this case $Q2$ (or YQ) would also be used, to arrive at a net discharge of $Aa(H-H_e)-Q2$ for $H > H_e$, and $Q2$ for $H < H_e$. By choosing H_e to be less than any H that could possibly exist in the grid element being considered, the net discharge becomes $Aa(H-H_e)-Q2 = Aa[H-(H_e+Q2/Aa)]$. H_e and $Q2$ should be chosen such that H_e+Q2/Aa is equal to the stream elevation.

SOLUTION METHODS

Strongly Implicit Procedure

The strongly implicit procedure (SIP) for the solution of equation (3) uses the basic iterative equations (10), (14), and (15) of Weinstein and others (1969). In the numerical code, Weinstein's equation (10) is used with $\alpha_1 = \alpha_2 = \alpha_3 = \alpha_m$ where

$$(1 - \alpha_m) = (1 - \alpha_{\max})^{m/C-1} \quad m = 0, 1, \dots, (C-1)$$

C is the number of iteration parameters in a cycle, and is denoted by LENGTH in the computer program. In the computer program, one may choose $(1 - \alpha_{\max})$ to be WMAX by reading in a non-zero value for WMAX, or let the program calculate a value:

$$(1 - \alpha_{\max}) = (XYFC) (XY) \quad (7)$$

where

$$XY = \left(\frac{\pi^2}{2} \right) \frac{1}{NCNT} \sum_{IJ} \min \left[\frac{1}{(NI10)^2 (1 + XM(IJ))}, \frac{1}{(NJ10)^2 (1 + YM(IJ))}, \frac{1}{(NK10)^2 (1 + ZM(IJ))} \right] \quad (8)$$

where

$$XM = \frac{B+H+Z+S}{D+F} \quad (9)$$

$$YM = \frac{D+F+Z+S}{B+H} \quad (10)$$

$$ZM = \frac{D+F+B+H}{Z+S} \quad (11)$$

where Z, B, D, F, H, and S are the diagonals $i,j,k-1$, $i,j-1,k$, $i-1,j,k$, $i+1,j,k$, $i,j+1,k$, and $i,j,k+1$ diagonals in the matrix M, using the notation in the computer program. The sum in IJ is over all the grid elements in the modeled region except those that have fixed head. NCNT is the number of such grid elements. The factor XYFC in equation (7) may be varied from 1.0 in an attempt to accelerate the convergence of SIP. Weinstein's equation (15) is modified by multiplying the right hand side by β' (Trescott and Larson, 1977). This iteration parameter, called HMAX in the computer program, may also be varied from 1.0 to accelerate convergence. For a given problem, the best choice for XYFC, and HMAX will depend a great deal upon whether one is using direction reversal in the J direction, the J and K directions, or only the K direction, corresponding to $L9 = 1, 2,$ and 3 in the computer program. It will also depend upon the value used for LENGTH, the number of iteration parameters.

Increasing HMAX or decreasing XYFC usually tends to accelerate convergence unless instability arises. In the case of instability one should either decrease HMAX, increase XYFC, or do both. The best choice for the SIP parameters L9, LENGTH, HMAX, and XYFC will depend upon the particular problem being solved. Generally speaking, problems with a large number of grid elements for which the head is fixed, tend to be more stable and allow values of HMAX > 1.0

The user of the computer program is encouraged to experiment somewhat with selecting L9, LENGTH, HMAX, and XYFC, particularly with L9, HMAX, and XYFC. Good starting values are LENGTH = 5, HMAX = 1.0, and XYFC = 1.0. HMAX will usually have values between 0.5 and 1.5, and XYFC between 0.01 and 100. If one uses WMAX, and thus bypasses equations (7) through (11) and the use of XYFC, its value will usually lie between 0.000001 and 0.1. Decreasing WMAX usually tends to accelerate convergence unless instability arises.

Successive Over-Relaxation

The successive over-relaxation method (SOR) repeatedly finds values for the unknown variable XX at node points spaced along a single line with the adjacent values of the unknown XX taken to be known.

An 8 by 10 2-dimensional example is as follows. Values are first found at J=1, I=1 to 8, then J=2, I=1 to 8, etc., etc. The 8 equations for XX(I=1 to 8,J) contain values for XX(I=1 to 8,J-1) and XX(I=1 to 8,J+1), which are treated as known quantities. After a sweep is made across the solution area finding values along the 10 rows, a sweep is made finding values along the 8 columns: First I=1, for J=1 to 10, then I=2, for J=1 to 10, etc.

If the solution region is 3-dimensional, values would probably also be found in the K- direction.

The computer program allows one to omit calculating values in any one or two of the I, J, and K directions. The program omits the directions specified by NSKP1 and NSKP2. Directions I, J, and K correspond to 1, 2, and 3. For example: NSKP1=0 and NSKP2=1 causes the I direction to be skipped. Setting NSKP1=2 and NSKP1=3 causes both the J and K directions to be skipped.

Two relaxation parameters, RELX1 and RELX2, are used. Over-relaxation corresponds to these parameters having values greater than 1.0 and under-relaxation to values less than 1.0. RELX1 is applied after each single line of values is found, in each of the I, J, and K directions. RELX2 is applied after a full set (up to 3 if all of the I, J, and K directions are used, i.e., NSKP1=NSKP2=0) of sweeps is made over the solution region. Over-relaxed or under-relaxed values for XX are calculated using values of XX just prior to the last full set of sweeps, and the newly calculated XX values which were produced by the last full set of sweeps. The actual relaxation parameter used is RELX3 where:

$$\begin{aligned} \text{RELX3} &= 1.0 && \text{when ICNT} = 1-5 \\ &= \text{RELX2} && \text{when ICNT} = 6-20 \\ &= \text{RELX2} - \text{COEF}(\text{INCT} - 20) && \text{when ICNT} \geq 21 \end{aligned}$$

ICNT is the count of the number of full sets of sweeps, and is output as the number of "iterations used" by the computer program. COEF is selected to decrease RELX3 from RELX2 sufficiently fast to counter the possibly destabilizing effect of large values for RELX3 near convergence.

Preconditioned Conjugate Gradient

The preconditioned conjugate gradient (PCG) methods (Hageman and Young, 1981; Kershaw, 1978; Kuiper, 1981; Kuiper, written commun., 1984) are easier to use than SIP or SOR because they require very few convergence parameters only ITMAX, ERR, and XX10 need to be selected.

PCG methods solve nonlinear problems differently than SIP and SOR. For this reason the computer program uses the PCG methods differently, with regard to water discharge from a grid element when $H > H_e$, than it uses SIP or SOR. When using the PCG methods $Aa(H - H_e)$ (see the head dependant discharge section) is evaluated as $Aa(H^n - H_e)$, during the iterations finding the solution for XX^{n+1} , h' at time step $n+1$. For SIP and SOR however $Aa(H - H_e)$ is evaluated as $Aa(H^{n+1} - H_e)$. For this reason the PCG methods may give slightly different results. They will give the same results as SIP, or SOR, when such water discharge from a grid element does not occur.

For ISOR = 2, 3, ..., 9 the PCG methods: incomplete Cholesky conjugate gradient types 1,2, and 3, ICCG(1), ICCG(2), and ICCG(3); Richardson, RFCG; point Jacobi conjugate gradient, Pt. J. CG; block Jacobi conjugate gradient, Blk. J. CG; SIP conjugate gradient, SIPCG; and symmetric factorization procedure conjugate gradient, SFPCG are used. These eight methods are described by Kuiper (written commun., 1984). Usually the ICCG, SIPCG, and SFPCG methods perform better than the others. In general the PCG methods are much faster than either SIP (Kuiper, written commun., 1984) or SOR.

Convergence

In the computer program, iteration is terminated when either

$$\begin{aligned} & \max_{(\text{over } IJ)} \left| XX^{ICNT} - XX^{(ICNT-1)} \right| + \\ & \max_{(\text{over } IJ)} \left| XX^{(ICNT-1)} - XX^{(ICNT-2)} \right| < ERR \quad (L) \quad (12) \end{aligned}$$

or

$$\max_{(\text{over } IJ)} \left| [M]XX^{ICNT} - YQ \right| < XX10 \quad (L^3/T) \quad (13)$$

or $ICNT \geq ITMAX$. $ICNT$ is the iteration counter, and $ITMAX$ is the maximum number of iterations. In the first iteration stop, inequality (12), ERR should be chosen sufficiently small that any further decrease fails to produce any real and desirable increased accuracy in the answers for hydraulic head.

In the second iteration stop, inequality (13), $[M]$, XX , and YQ denote matrix M , h' , and vector \hat{q} in equation (3). This maximum residual error iteration stop, is in general strongly preferred to the use of (12), since (12) does not guarantee that the errors in the components of XX^{ICNT} are less than ERR , in fact they may be much larger. On the other hand, using (13) places the limit $XX10$ on the maximum error of the equations being solved, namely those of matrix equation (3).

Users may wish to set IWRT = 1 in order to obtain a convergence watching output from the computer program. For each iteration, this output prints fresh-water head XX at three locations of one's choice: IJ = NW1, NW2, and NW3. Also printed for each iteration are the maximum change in XX:

$$\max_{(\text{over } IJ)} \left| XX^{ICNT} - XX^{(ICNT-1)} \right|$$

the location I,J,K at which this maximum change occurred, $XX(I,J,K)^{ICNT}$, and the maximum residual error

$$\max_{(\text{over } IJ)} \left| [M]XX^{ICNT} - YQ \right|$$

If a clear idea of the convergence process is desired, $XX(NW1)$, $XX(NW2)$, and $XX(NW3)$, the maximum change in XX, and the maximum residual error, should be graphed as functions of the iteration counter ICNT.

If one wishes to use iteration stop (12), ERR should be given an appropriate value and $XX10$ should be set to zero. Set $ERR = 0$ and choose an appropriate value for $XX10$ if (13) is to be used. In general, however, iteration terminates when (12), or (13), or $ICNT \geq ITMAX$, or certain internal stops are satisfied.

Computation Time

The amount of computation needed for one iteration is proportional to the number of elements in the modeled region of the problem being solved. Thus it is appropriate that the amount of time needed for computation be set equal to:

$$(\text{CPU time}) = (\theta) (\text{number of grid elements})(\text{number of iterations}) \quad (14)$$

The quantity θ is CPU time per node iteration, and is in effect defined by equation (14). For a desired solution accuracy, as determined by XX10 or ERR, the number iterations should be minimized by proper selection of the parameters L9, LENGTH, HMAX, and XYFC, for SIP and the parameters RELX1, RELX2, and COEF, for SOR. The PCG methods do not have any parameters that affect the number of iterations required to obtain a given accuracy. The quantity θ has a different fixed value for each of the ten solution methods, SIP, SOR, and the eight PCG methods. It cannot be changed by the computer program user, but when using SOR it is proportional to the number of sweeps taken per iteration.

WATER DENSITY CALCULATIONS

Values of water density can be entered for each grid element, or values of density can be calculated for those grid elements for which values for pressure, molality, and temperature are entered. The same option pertains to the confining bed grid elements. Calculations of density in the model are limited to temperatures between 0° C and 75° C.

When LLRO = 0, only the values entered for LRO(IJ) = $(\rho'/\rho_0)_{I,J,K}$ and LRO(IJLB) = $(\rho'/\rho_0)_{I,J,KLB}$, where $\rho' = \rho - \rho_0$, are used. When LLRO = 1, read-in values for LRO(IJ) and LRO(IJLB) are replaced by calculated values, whenever such values are available. These calculated values are determined and made available only for those IJ or IJLB for which the pressure is specified to be greater than zero. A blank or zero is entered in the pressure data array when no calculation of LRO is desired and the read-in value for LRO is to be used. ρ/ρ_0 is determined using the method of Potter and Brown (1977):

$$(\rho/\rho_0) = \frac{1000 + M_2 m}{\frac{1000}{(\rho_w/\rho_0)} + A_0 m + B_0 m^{3/2} + C_0 m^2} + \delta(P, m, T) \quad (15)$$

where ρ_w is the density of pure water at the temperature and pressure of the ground-water sample, $M_2 = 58.488$ is the molecular weight of NaCl, and m is molality of the ground-water sample. Equation (15) for ρ/ρ_0 approximates data for NaCl solutions and is assumed to be an adequate approximation to ρ/ρ_0 for ground water.

Values for the parameters A_0 , B_0 , and C_0 (Potter and Brown, p. 35, 1977) are: $A_0 = 12.43, 16.62, 18.00, 18.18$; $B_0 = 3.07, 1.773, 1.66, 1.19$; and $C_0 = -.02, .098, .002, .12$; for water temperature T equal to 0, 25, 50, and 75° C. A_0 , B_0 , and C_0 are approximated by third order polynomial interpolation for $0 \leq T \leq 75^\circ \text{C}$. These polynomials, one for each of the parameters A_0 , B_0 , and C_0 , are exact at $T = 0, 25, 50$, and 75°C . With $\delta = 0$, equation (15) is solved for ρ_w with ρ taken from Potter's table 1 with $m = 1$ and 6, giving $(\rho_w)_{m=1}$ and $(\rho_w)_{m=6}$. The value taken for ρ_w for use in (15) is $\hat{\rho}_w = [(\rho_w)_{m=1} + (\rho_w)_{m=6}]/2$. This is done for $T = 0, 25, 50$, and 75°C , giving four values for $\hat{\rho}_w$ from which $\hat{\rho}_w(T)$ is obtained using a third order interpolation polynomial as described above. The term δ is pressure, molality, and temperature dependent, and is a small perturbation to the main term in equation (15):

$$\delta(P, m, T) = \frac{am+b}{10^3} (P/\text{bar}) \quad \text{for } 0 \leq P \leq 100 \text{ bar} \quad (16)$$

$$\delta(P, m, T) = \frac{am+b}{10^3} + \left[\frac{-.84(x-1)}{10^5} + 3.75 \right] [(P/\text{bar}) - 100] \quad \text{for } 100 \text{ bar} \leq P$$

where $a = -.75(x-1) + .25$, and $b = 3.5(x-1) + 2$, where $x = T/25^\circ \text{C}$ and P is pressure. For $P \leq 500 \text{ bar}$, $m \leq 6$, and $0 \leq T \leq 75^\circ \text{C}$, equations (15) and (16) fit the tabular data for ρ of Potter and Brown (1977) to within the allowable error tolerances they specify.

Pressure P is given by $P = \rho g \ell'$, where ℓ' is the length of the column of water with density ρ that would exist in a well bore extending to the center of the grid element in which ρ is to be determined. Thus equation (15), along with equation (16), becomes an equation to be solved for ρ once ℓ' , m , and T have been specified. This can be done readily with several iterations of equation (15) using $\rho = \rho^{n+1}$ left of the equality and $\rho = \rho^n$ in δ , with n the iteration number.

UNITS

The user may use any consistent set of units for all variables except: l' , used to give water pressure $P = \rho g l'$ for calculating water density ρ , must be in feet; water temperature T , also used for calculating water density ρ , must be in degrees celsius. Hydraulic conductivity K has units (L/T). Thus, for example, if the length and time units were chosen to be feet and days respectively, then K would be expressed in ft/d. Specific storage has units (1/L). All mass flow rates, such as the mass recharge rates YQ or $Q2$, and also those through grid element sides, express the mass of water moving per unit time divided by $\rho_0 = 1 \text{ gm/cm}^3$, and consequently have units (L³/T). For example, a value of $50 \text{ ft}^3/\text{d}$ for the mass flow rate through a particular grid element side means that the mass of water passing through the side per day is equal to the mass of 50 ft^3 of a fluid with density 1 gm/cm^3 , or approximately $(50)(62.43)$ pounds. This would correspond to less than 50 ft^3 of water if the density of the water exceeds ρ_0 . Suppose a well pumps (from a grid element) at a volumetric rate of $1000 \text{ ft}^3/\text{d}$, as measured in the field and suppose that the density of the water pumped is ρ . Then the rate at which mass is being removed is $(1000 \text{ ft}^3/\text{d})\rho$. Thus the value to be used for YQ or $Q2$ is $-(1000 \text{ ft}^3/\text{d})(\rho/\rho_0)$. The minus sign occurs because YQ and $Q2$ are defined to be positive for recharge. Thus, field measured volumetric flow rates need to be multiplied by (ρ/ρ_0) to arrive at the mass flow rates used in the computer program. This situation arises because the basic flow equations as solved in the computer program conserve mass rather than volume.

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ATTACHMENT A

COMPUTER PROGRAM

This section explains the Fortran computer program. It should be used in conjunction with the Fortran program listing in Attachment E.

Main program (MAN0080 - MAN7690)

Explanation of program

0080-0180

The array variables DD, BB, ZZ, SV, XXS, ALN, XXE, XXSTR, YQ1, DT, E2, F2, G2, VV, XX, YQ, MHD, and LZ2 have a dimension size equal to the total number of grid elements plus 2: $[(NI10)(NJ10)(NK10)+2]$. The array variables LB, LRO, and NT, have a dimension size equal to the total number of grid elements and confining bed grid elements plus 2: $[(NI10)(NJ10)(NK15)]+2]$. The dimension size of array variable LBB is $[(NI10)(NJ10)+2]$. The dimension size of these array variables should be adjusted by the computer program user in the main program as well as in the subroutines. The dimension size of the other array variables are probably sufficiently large and can be left at the values shown.

The use of the IMPLICIT REAL*8 statement is optional. Removing this statement will decrease the storage requirement of the computer program but may cause certain outputs, such as water flow rates, to become less accurate. The user should try deleting the IMPLICIT REAL*8 statement to see whether any decrease in accuracy is experienced. In general, the use of the statement is recommended.

0200-0230	Data for use in the determination of water density from water pressure, molality and temperature.
0240-0250	Initialize MAQ1 to 0.
0270-0370	Read group I data.
0380-0530	Determine various integer parameters related to the number of grid elements and confining bed grid elements.
0570-0630	Read and write MHD.
0640-1050	If LLRO = 1 read ℓ' , m, T, and determine ϕ for those grid elements having $\ell' > 0$. Temporarily place ϕ in LB.
1060-1110	Read and write LRO. These written values will have been determined from ℓ' , m, and T, if LLRO = 1 and $\ell' > 0$.
1120-1170	Read and write LBB.
1180-1230	Read and write LB.
1240-1340	If IEVP = 1, read and write XXE(IJ) and ALN(IJ).
1350-1410	Read and write initial hydraulic head.
1420-1450	Read and write SV.
1460-1510	If IKZZ = 1, read XKZZ.
1520-1550	Remove pinched-out nodes when appropriate.
1560-1770	Read and write FCNT, DDK, BBK, and NT.
1790-1830	Read and write MAQ1, if there are any confining beds.
1840-2010	Read and write DXI and DYJ.
2020-2060	Read and write NI, NJ, NK, and Q2.
2090-2180	Initialize various arrays to zero.

2210-2760 Determine LZ2 and initial or fixed XX, put recharge rates Q2 into YQ. If IEVP = 1, modify XxE and ALN.

2800-2890 If ILZ2 = 0, calculate and print the elevation of the top of the uppermost grid element layer.

2910-3440 Determine the quantities DD, BB, and ZZ.

3470-4240 Add variable density contributions to YQ, put into YQ1.

4260-4370 If SIP is being used (ISOR = 0), determine XY and the iteration parameters WS(I). Write the various SIP convergence parameters, and also the iteration parameters WS(I).

4400-4410 If SOR is being used (ISOR = 1), write the various SOR convergence parameters.

4430-4440 If PCG is being used (ISOR \geq 2), write ITMAX, ERR, and XX10.

4460-4480 Enter DO loop for pumping intervals. Write pumping interval number IPINT. Read data for this pumping interval.

4510-4700 Read and write recharge rates YQ for this pumping interval. Add YQ1 to YQ, put into YQ. Calculated budgets.

4740-4780 Set TOTIME = 0. Enter DO loop for time intervals INT = 1, NINT. Write INT, DELT, and TOTIME.

4830-4880 Write NU1, NU2, and NU3, when IWR1 = 1.

4900-4920 Begin SIP, SOR, or PCG iterations. Write data for watching the convergence of SIP, SOR, or PCG, when IWR1 = 1.

4930 Write ICNT, ER5, SRZ, SUMRZ.

4950-4960 Save XX in XXS for use during the next time statement.

4970-6460	If LFLOW = 1, determine and possibly print the four types of flow rate data.
6480-6640	Determine hydraulic head from $XX = h' = \text{pressure head } h) + z$. Write out hydraulic head. Write $XX = h'$, if IWRTXX = 1.
6680-6820	If IPDD = 1 print drawdowns for this pumping interval.
6840-7080	Formats.
7690	Stop.

Subroutine_RDWRT

This subroutine performs the reading and writing of group II array data (see Attachment B.) IT15 is 1 for data sets 1-9, and 2 for data set 10. ICRO is always 0 except ICRO = 1 when LLRO = 1, in which case values for LRO are computed from water pressure, molality, and temperature. NK1115 is equal to NK11 or NK15 corresponding to the data set having values for grid elements only (NK1115 = NK11), or for both grid elements and confining bed grid elements (NK1115 = NK15). NT is used as a temporary storage location for data being read in. After returning to the main program the array data in NT is usually placed into another variable.

The dimension size of the array variables should be the same as in the main program and should be adjusted by the computer program user.

Subroutine_SOR

This subroutine performs the successive over-relaxation method SOR.

The dimension size of the array variables should be the same as in the main program and should be adjusted by the computer program user.

Subroutine_SIP

This subroutine performs the strongly implicit procedure SIP.

The dimension size of the array variables should be the same as in the main program and should be adjusted by the computer program user.

Subroutine_PCG

This subroutine performs the preconditioned conjugate gradient (PCG) methods.

The dimension size of the array variables should be the same as in the main program and should be adjusted by the computer program user.

In addition, D2S and E22 need to be dimensioned, unless SIPCG and SFPCG are not going to be used, in which case the indicated deletions in the subroutine should be made.

ATTACHMENT B

DATA DECK INSTRUCTIONS

Group I: Model dimensions and options, parameters related to the use of SIP, SOR, or PCG

<u>CARD</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
0	1-10	G10.0	ISOR	ISOR = 0, 1, and 2 through 9 correspond to the use of SIP, SOR, and the 8 PCG methods, ICCG(1), ICCG(2), ICCG(3), RFCG, Pt. J. CG, Blk. J. CG, SIPCG, and SFPCG; and the use of cards 1a, 1b, and 1c, respectively. ISOR = 2-4, and 8-9 are usually preferred choices.
1a	1-10	G10.0	L9	1, 2, and 3 for J, J and K, and K only direction reversal in SIP.
	11-20	G10.0	LENGTH	Number of SIP iteration parameters. LENGTH = 5 is a common choice.
	21-30	G10.0	HMAX	SIP parameter β' . Increasing β' usually causes faster convergence unless instability arises. Values of .5 - 1.3 are usually used.

<u>CARD</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
	31-40	G10.0	XYFC	This factor is multiplied by XY before it is used for $(1-\alpha_{\max})$ in SIP. First choice for XYFC is 1.0. Decreasing XYFC usually tends to cause faster convergence unless instability arises.
	41-50	G10.0	WMAX	When not zero, WMAX is used for $(1-\alpha_{\max})$. When zero, it is not used and $(1-\alpha_{\max})$ is set equal to (XYFC) X (XY). Usually $0.000001 < WMAX < 0.1$, if used. Decreasing WMAX usually tends to cause faster convergence unless instability arises. Non-zero values of WMAX are not usually used, thus allowing the computer program to select XY.
1b	51-60	G10.0	ITMAX	See the Successive over-relaxation section of the text NSKP1, NSKP2, RELX1, RELX2, and COEF.
	61-70	G10.0	ERR	
	71-80	G10.0	XX10	
	1-10	G10.0	NSKP1	
	11-20	G10.0	NSKP2	
	21-30	G10.0	RELX1	
	31-40	G10.0	RELX2	
	41-50	G10.0	COEF	
	51-60	G10.0	ITMAX	
	61-70	G10.0	ERR	
	71-80	G10.0	XX10	

DEFINITION

VARIABLE

FORMAT

COLUMNS

CARD

1c 1-10 G10.0 ITMAX
 11-20 G10.0 ERR
 21-30 G10.0 XX10

For cards 1a, 1b, and 1c, ITMAX is the maximum allowed number of iterations for SIP, SOR, and the 8 PCG methods. Iteration terminates at iteration count n when the sum of the maximum change in fresh-water head h' between iterations n-1 and n, plus the change between iterations n-2 and n-1, is less than ERR. Iteration also terminates when the maximum residual error is less than XX10.

DEFINITION

VARIABLE

FORMAT

COLUMNS

CARD

2 1-10 I10 NI10 Number of columns in modeled area.
 11-20 I10 NJ10 Number of rows in modeled area.
 21-30 I10 NK10 Number of layers in modeled area.
 31-40 I10 NK4 Number of intervening confining beds.

3 1-40 I4 IWRT Set IWRT to 1 if you want to watch the convergence of fresh-water head h' = XX, at the three locations:
 3I4 NU1(I), I=1,3 I = NU1(1), J = NU1(2), K = NU1(3);
 3I4 NU2(I), I=1,3 I = NU2(1), J = NU2(2), K = NU2(3); and
 3I4 NU3(I), I=1,3 I = NU3(1), J = NU3(2), K = NU3(3).

<u>CARD</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
4	1-10	I10	NPINT	Number of pumping intervals.
	11-20	I10	IPDD	If IPDD = 1, the drawdown (decrease in hydraulic head H) during a pumping interval is printed.
	21-30	I10	LLRO	If LLRO = 0, read-in values for LRO are used. If LLRO = 1, read-in values for LRO are replaced by values for LRO calculated from water pressure, molality, and temperature, when such calculated values are available. Calculated values are made available only for those IJ or IJLB for which the pressure is specified to be greater than zero.
	31-40	I10	IWRTXX	If IWRTXX = 1, freshwater head $h' = (\text{pressure head } h) + z$ is printed along with the hydraulic head. If IWRTXX = 0, it is not printed. If IWRTXX = 2, only h' is printed.
	41-50	I10	IPRNT	Setting IPRNT = 0 causes IWRT and LFLOW to be set to zero, and the printing of hydraulic and freshwater head deleted, for all time intervals except the last.

<u>CARD</u>	<u>COLUMN</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
	51-60	I10	ILZ2	If ILZ2 = 0, the elevation of the top of the uppermost grid element layer is printed.
	61-70	I10	IEVP	If IEVP \neq 1, data sets 5 and 6 are not read. If IEVP = 1 these data sets are read, and the head dependant discharge option is available.
	71-80	I10	IKZZ	If IKZZ \neq 1, data set 9 is not read. If IKZZ = 1, data set 9, XKZZ = K _{zz} is read. In this case K _{zz} is specified by XKZZ rather than by NT from data set 10.

<u>CARD</u>	<u>COLUMN</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
5	1-10 11-20 21-30 31-40 41-50	I10 I10 I10 I10 I10	LFLOW LFLO(1) LFLO(2) LFLO(3) LFLO(4)	Four types of flow rate data are available: 1) the flow rate out of each grid element in the negative I, J, and K directions, 2) the flow rate out of fixed head (MHD = 0) grid elements, 3) head dependant discharge flow rates from grid elements having such discharge, 4) total flow rate budgets for sets of grid elements having the same I, the same J, and the same K. All flow rates are in units of mass divided by $\rho_0 = 1 \text{ gm/cm}^3$ per unit time (L^3/T). See the Units section of the text. Set LFLOW = 1 if you want any flow rate data, set LFLOW = 0 if no flow rate data is desired. Set LFLO(i) = 0 if you do not want type i flow rate data. For i = 1, set LFLO(1) = 1, 2, 3, for type 1 flow rate data in the negative I, J, and K directions respectively. If LFLO(1) = 4 all directions are given. Set LFLO(2) = 1 if you want type 2 flow rate data. Set LFLO(3) = 1 if you want type 3 flow rate data. Set LFLO(4) = 1, 2, 3, for the budgets of sets of grid elements having the same I, J, and K respectively. If LFLO(4) = 4 budgets are given for I, J, and K. Corresponding to the integers 1, 2, and 3 in the first column of output the second column gives I, J, and K respectively.

<u>CARD</u>	<u>COLUMN</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
6,7...	1-80	20I4	IPH(K) K=2,NK11	Set IPH(K) = 1 if you want: hydraulic head or freshwater head, flow rate data, or drawdown for layer K. Set IPH(K) = 0 if you do not want these quantities for layer K. The layers are numbered K = 2 through K = NK11 = NK10+1.

Group II: Array data

Each of the following data sets consists of a format card, one or more parameter cards and, if the data set contains variable data, a set of data cards. A single parameter card and corresponding set of data cards (for layers with variable data), are required for each layer.

<u>CARD</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
Format card	1-4 5-40 41-80	I4 9A4 10A4		Place the desired Fortran read format in columns 5-40, and the write format in lines 41-80. When writing with an I format, place a zero in column 4. When writing with a non-integer type format, place a 1 in column 4.
Parameter cards.	1-10 11-10	G10.0 G10.0	FCNT IVAR	If IVAR = 0, values of the array are given the value FCNT, and no data cards are read. If IVAR = 1, values for the array are set equal to FCNT multiplied by the values read from the data cards following this card.

<u>CARD</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
	21-30	G10.0	IPRN	If IPRN = 0, the input data for this layer are printed. If IPRN = 1, the input data for this layer are not printed. If IPRN = 2, only parameter card data for the layer is printed.
	31-40	G10.0	DDK	Multiplication factor for hydraulic conductivity in the I direction (data set 10 only).
	41-50	G10.0	BBK	Multiplication factor for hydraulic conductivity in the J direction (data set 10 only).

When data cards are used for a layer, start each row on a new card. First, row J = 2, the first row of the layer, is read from as many cards as is necessary. Then, starting with a new card, row J = 3 is read, then row J = 4, and so forth, until the last row of the layer, J = NJ11 = NJ10+1, is read.

DATA CARDS:

<u>DATA SET</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
1	1-80	Variable	MHD	When MHD(IJ) \neq 0 the hydraulic head for grid element IJ is fixed at the value specified. When MHD(IJ) = 0, the head for grid element IJ is not fixed. There are NK10 layers of MHD values. Values given are truncated after the first decimal place.

<u>DATA SET</u> <u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
2 1-80	Variable	LRO	<p>$LRO(IJ) = (\rho' / \rho_0)$. $\rho = \rho' + \rho_0$ is the water density for grid element IJ.</p> <p>$LRO(IJLB) = (\rho' / \rho_0)$, where $\rho = \rho' + \rho_0$ is the water density for confining bed grid element IJLB. Values given are truncated after the fifth decimal place.</p>
3 1-80	Variable	LBB	<p>LBB is the elevation of the base of the lowermost $K = 2$ layer. LBB values exist only for this layer.</p>
4 1-80	Variable	LB	<p>LB(IJ) is the vertical dimension of grid element IJ. LB(IJLB) is the vertical dimension of confining bed grid element IJLB. There are NK10 layers of LB(IJ) values followed by NK4 layers of LB(IJLB) values.</p>
5 1-80	Variable	XXE	<p>The rate of water discharge (L^3/T) from a grid element is given by $Aa(H-H_e)$ when $H > H_e$ and is zero when $H < H_e$. H is the hydraulic head in the grid element and A is the area of the grid element, ((DXI(I)) X (DYJ(J))). XXE(IJ) of data set 5 is H_e, measured relative to the center of the grid element IJ. ALN(IJ) of data set 6 specifies the quantity a. When no discharge is desired, XXE(IJ) should be given a large value and the quantity a should be zero. If IEVP \neq 1, data sets 5 and 6 are not read.</p>
6 1-80	Variable	ALN	

<u>DATA_SET</u> <u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
7	1-80	Variable	Fixed hydraulic head values MHD \neq 0 override values given for the initial hydraulic head.
8	1-80	Variable	SV(IJ) specifies specific stor- age S_s of grid element IJ.
9	1-80	Variable	When this data set is read, IKZZ = 1, $K_{zz}(IJ) = XKZZ(IJ)$ rather than NT(IJ) in data set 10. Use of this data set allows one to vary the x, y, and z components of the hydraulic conductivity independently.
10	1-80	Variable	NT $K_{xx}(IJ) = NT(IJ) \times (DDK(K))$, $K_{yy}(IJ) = NT(IJ) \times (BBK(K))$, $K_{zz}(IJ) = NT(IJ)$ where $K_{xx}(IJ)$, $K_{yy}(IJ)$, and $K_{zz}(IJ)$ denote the x, y, and z components of K, the hydraulic conductivity for grid element IJ. There are values of NT(IJ), DDK(K), and BBK(K), for NK10 layers. These are followed by values of NT(IJLB) for NK4 confining bed layers. DDK and BBK are not needed for confining bed layers.

When LLRO = 1, data sets 1a-c are required. If LLRO = 0, they should be omitted. These data sets are used to calculate water density from the pressure, dissolved solids concentration, and temperature of the water. They are placed between data set 1 for MHD and data set 2 for LRO.

<u>DATA SET</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
1a	1-80	Variable	ℓ'	Water pressure, in feet, defined as the length of the column of water that would exist in a well bore extending to the center of the grid element. If pressure is zero, then LRO from data set 2 is used.
1b	1-80	Variable	m	Dissolved solids concentration, expressed as molality. Values given are truncated after the second decimal point.
1c	1-80	Variable	T	Temperature, in degrees Centigrade. Values given are truncated after the first decimal point.

There are values of ℓ' , m, and T for NK10 layers, followed by values for NK4 confining bed layers. See the WATER DENSITY CALCULATIONS section of the text for more detail.

Group III: Additional array data

Except for LBB, the data sets of group II are 3-dimensional arrays corresponding to the three cartesian directions I, J, and K. The data sets of group III (except for Q2) are 1-dimensional arrays corresponding to only one of the cartesian directions I, J, or K.

<u>CARD</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
1	1-80	20I4	MAQ1	MAQ1(K) = 0 except when a confining bed lies between layers K-1 and K, in which case MAQ1(K) = 1. There are NK10 values for MAQ1(K) for K = 2,..., (NK10+1). If there are no confining beds (NK4 = 0), omit this data set. Values for MAQ1(K) are printed when NK4>0.
2-para-meter card	1-10	G10.0	FDXI	If MDXI1 = 0, DXI(I) is set to FDXI and no data cards are read.
	11-20	G10.0	FDYJ	If MDYJ1 = 0, DYJ(J) is set to FDYJ and no data cards are read.
	21-30	G10.0	MDXI1	If MDXI1 = 1, DXI(I) is read from data cards that follow the parameter card. If MDYJ1 = 1, DYJ(J) is read from data cards that follow the parameter card and also any data cards for DXI(K) when they are present.
	31-40	G10.0	MDYJ1	
	41-50	G10.0	MD2	
2-Data cards	1-80	8G10.0	DXI(I)	There are NI10 values of DXI(I) for I = 2,..., (NI10+1), and NJ10 values of DYJ(J) for J = 2,..., (NJ10+1). If MD2 = 0 the input data for this data set are printed. If MD2 = 1 the input data are not printed.
	1-80	8G10.0	DYJ(J)	

<u>CARD</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
3-para-meter card	1-10	I10	NWEL	Number of grid elements to receive recharge.
3-data cards	1-80	4(3I3, E11.3)	NI, NJ NK, and Q2	Q2 is the recharge rate (L^3/T) into the grid element located at $I = NI$, $J = NJ$, and $K = NK$. Four values of NJ , NK , and $Q2$ are read in per card. If there is no recharge, set $NWEL$ to 1, choose any location, and use $Q2 = 0$. Values for NI , NJ , NK , and $Q2$ are always printed. The recharge specified with this data set is added to the recharge YQ of data set 1 of group IV. Either or both methods for specifying recharge may be used. However, $Q2$ is read only once, and is the same for each pumping interval, whereas YQ is different for each pumping interval.

GROUP IV: Array data for pumping intervals

Many pumping intervals are allowed. Each pumping interval requires data related to the time intervals used, and the recharge. The total recharge (L^3/T) used in the computer model is $Q2 + YQ$. $Q2$ is read in only once, in group III data, but YQ is read in group IV data and changes with each pumping interval.

For each pumping interval a time interval card is followed by series of cards for YQ with exactly the same format as group II data. The format, parameter, and data cards used are the same as those for group II data sets (See Group II: Array data). When a layer has variable YQ, the usual case, data cards are needed (See Group II: Array data):

The time interval card has the following format:

<u>CARD</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
Time interval	1-10	G10.0	NINT	Number of time intervals desired.
	11-20	G10.0	DTO	Duration of the first time interval.
	21-30	G10.0	TFAC	The ratio of the duration of a time interval divided by the duration of the preceding time interval.
	31-40	G10.0	TOT	If $TOT \neq 0$, DTO is calculated such that the duration of the pumping interval, the sum of the NINT time intervals, is TOT.

DATA CARDS:

<u>DATA SET</u>	<u>COLUMNS</u>	<u>FORMAT</u>	<u>VARIABLE</u>	<u>DEFINITION</u>
1	1-80	Variable	YQ	YQ(IJ) along with Q2(I,J,K), specifies the recharge rate (L^3/T) into grid element IJ.

ATTACHMENT C

EXAMPLE APPLICATION

This section presents an example steady state application of the computer program. The input data is shown on page C-3 and the resulting program output is shown on page C-6.

The hypothetical problem simulated has: 3 layers corresponding to $K = 2, 3$, and 4 ; 5 rows corresponding to $J = 2, 3, 4, 5$, and 6 ; and 25 columns corresponding to $I = 2, 3, 4, \dots, 26$. A confining bed appears in the output as layer five ($KLB = 5$).

Proceeding through the computer program output on page C-6, we see that fixed hydraulic head MHD is fixed at: 645.6 ft (the length unit chosen is feet) at location $I = 2, J = 2, K = 2$; at 747.8 ft at location $I = 26, J = 2, K = 2$; at 748.8 ft at location $I = 2, J = 6, K = 2$; and at 750.3 ft at location $I = 26, J = 6, K = 2$. It is also fixed at 600.0 ft at all 125 locations in layer $K = 4$. We now proceed to the next data set, the water pressure as measured by the length ℓ' of water column that would exist in a well bore extending to the center of the grid element. Eighteen non-zero values for ℓ' are shown in layer $K = 3$, rows two and four. Values for LRO are calculated at these 18 locations. Values for molality $m = 1.0-6.0$, and temperature $T = 25-75^\circ\text{C}$ occur at these same 18 locations, on page C-7. The next data set shown is $LRO = [(\rho/\rho_0)-1]$. Eighteen of these LRO values were calculated from ℓ', m , and t , at locations with $\ell' > 0$. The remaining values for LRO, all but two of which are zero, are those read as the data set LRO. The next data set is base elevation, LBB, which has non-zero values in rows five and six. The next data set is the z dimension, LB, of the grid elements and confining bed grid elements. The grid elements have uniform values for LB of 200, 235, and 120 ft for $K = 2, 3$, and 4 . The confining bed grid elements all have LB = 60 ft. Following this are initial hydraulic head, and specific storage.

The next data set is K, the hydraulic conductivity. Shown also are K_{xx}/K_{zz} and K_{yy}/K_{zz} . In layer two: $K_{zz} = 5$ ft/d, $K_{xx}/K_{zz} = 1$, and $K_{yy}/K_{zz} = 1$. In layers three and four: $K_{zz} = 12$ and 20 ft/d, and $K_{xx}/K_{zz} = K_{yy}/K_{zz} = 1$. For the confining bed, $K_{LB} = 5$, $K_{zz} = 0.01$ ft/d. Zeros are shown for K_{xx}/K_{zz} and K_{yy}/K_{zz} , but are not used. The next data set is MAQ1(K). The 1, for layer four, indicates that layer four is underlain by a confining bed. The next data set shows the X (I direction) and Y (J direction) dimensions of the grid elements: $DXI(I) = 8000$ ft for $I = 2, 3, \dots, 26$ $DYJ(J) = 10000$ ft for $J = 2, 3, \dots, 6$. The next data set shows the recharge rates Q2 to grid elements: $I = 10, J = 4, K = 3$ and $I = 20, J = 4, K = 3$. The next data set shows the elevation of the top of the uppermost grid element layer, as calculated from values for LB and LBB. The next section lists the values that were chosen for the PCG(7) convergence parameters. The next section gives the pumping interval and YQ, data set 1 of group IV. The next section gives the time interval number, the duration of the time interval, and the total amount of time elapsed in the current pumping interval. It also follows the solution as it proceeds to convergence. Note the behavior of $XX(I = 5, J = 3, K = 2)$, $XX(I = 10, J = 3, K = 2)$ and $XX(I = 15, J = 3, K = 2)$ as they converge to their final values. Note that the maximum residual error decreases uniformly as iteration proceeds. The next output gives the water flow rate in the negative I, J, and K directions out of each grid element and shows that the dense water, which exists in some of the grid elements, is sinking. The flow of water adjacent to such elements is similar to that adjacent to a heavy object sinking in a fluid. The next two sections give: water flow rates out of fixed head (MHD = 0) grid elements total flow rate budgets for sets of grid elements having the same I, the same J, and the same K, respectively. The last data set printed is hydraulic head H. Because IWRTXX = 1, fresh-water head $XX = h' = (\text{pressure head } h) + z$ is also printed. H and XX are related by equation 4 in the text. Because IPDD = 0, no drawdown values are printed. Because IPH(K) is equal to 0, 1, and 0, for $K = 2, 3$, and 4, water flow rates and head are given only for layer $K = 3$.

LRO

[illegible]

[illegible]

LAYER	RDM
2	0.0000D+00
3	0.1000D+01
	4000 1000
2	0 0 0
3	0 0 0
4	0 0 0
5	0 0 0
6	0 0 0
4	0.0000D+00
5	0.0000D+00

LAYER	ROW	0 0000D+00	0 1000D-04	3260	3620	2589	1257	19287	18010	16771	10000	10000	0	0	0	0	0
2	3	0 17066	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
		0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
3		0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
4		17066	2742	2742	2742	6375	6375	10208	16934	19666	14128	16934	0	0	0	0	0
5		0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
6		0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
4		0 0000D+00	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
5		0 0000D+00	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0

BASE ELEVATION

LAYER	ROW	0 1000D+01	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
2		0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
3		0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
4		0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0
5		7	7	7	7	7	7	5	5	5	6	6	5	4	0	6	7
6		7	4	3	12	12	13	14	17	22	22	22	22	23	0	23	33
		33	33	33	33	33	31	32	33	34	35	35	35	35	35	35	35

Z DIMENSION OF GRID ELEMENTS

LAYER	ROW	0 2000D+03	0 2350D+03	0 1200D+03	0 6000D+02
2		0	0	0	0
3		0	0	0	0
4		0	0	0	0
5		0	0	0	0

INITIAL HYDRAULIC HEAD

LAYER	ROW
2	0.000D+00
3	0.000D+00
4	0.000D+00

SPECIFIC STORAGE

LAYER	ROW
2	0.100D+01
3	0.100D+01
4	0.100D+01

HYDRAULIC CONDUCTIVITY

LAYER	ROW
2	0.500D+01
3	0.100D+01
4	0.100D+01
5	0.000D+00

LAYERS UNDERLAIN BY A CONFINING BED HAVE 1, OTHER LAYERS 0

2	0
3	0
4	1

X AND Y DIMENSIONS OF GRID ELEMENTS									
8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0
8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0
8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0	8000.0
10000.0	10000.0	10000.0	10000.0	10000.0	10000.0	10000.0	10000.0	10000.0	10000.0

RECHARGE RATES Q2 (L*L/L/T)							
10	4	3	-0.100D+06	20	4	3	-0.100D+06

LAYER	ROW
4	

C-10

ITMAX ERR XX10
100 0 000D+00 0 400D+02

PUMPING INTERVAL= 1

RECHARGE RATE Y0 (L*L/L/T)

LAYER ROW 0.0000D+00
2 0.0000D+00
3 0.0000D+00
4 0.0000D+00

TOTAL Y0 RECHARGE RATE TO MODELED REGION= 0.0000D+00
TOTAL Q2 RECHARGE RATE TO MODELED REGION= -0.2000D+06
TOTAL RECHARGE RATE TO MODELED REGION= -0.2000D+06

TIME INTERVAL NUMBER 1 DURATION = 0.1000D+41 TOTAL ELAPSED TIME = 0.1000D+41

WATCHING CONVERGENCE

I, J, K, IS THE LOCATION AT WHICH THE MAXIMUM CHANGE IN XX OCCURRED.
MAXIMUM RESIDUAL ERROR = THE MAXIMUM OVER ALL THE GRID ELEMENTS OF THE
DIFFERENCE BETWEEN THE WATER FLOW RATE INTO AND OUT OF EACH GRID ELEMENT

I	J	K	XX(I, J, K)	CHANGE IN XX(I, J, K)	MAX RESIDUAL ERROR	XX AT I= 5 J= 3 K= 2	XX AT I= 10 J= 3 K= 2	XX AT I= 15 J= 3 K= 2
1	26	6	3	0.000000D+00	0.2022506D+10	0.0000000D+00	0.0000000D+00	0.0000000D+00
2	26	6	3	0.7653667D+03	0.4619078D+08	0.3788751D+03	0.3702612D+03	0.3685258D+03
3	9	4	2	0.6298676D+03	0.2566925D+03	0.6043369D+03	0.6001787D+03	0.5967501D+03
4	2	4	3	0.6110448D+03	0.3628884D+02	0.6027578D+03	0.6042555D+03	0.5999280D+03
5	2	4	2	0.6334332D+03	0.2339734D+01	0.6021166D+03	0.6043710D+03	0.6000251D+03
6	2	4	3	0.6138748D+03	0.4709476D+00	0.6019399D+03	0.6043525D+03	0.6000190D+03
7	3	3	2	0.6032022D+03	0.5954329D-01	0.6019073D+03	0.6043471D+03	0.6000168D+03
8	2	5	3	0.6226189D+03	0.6021821D-02	0.6019074D+03	0.6043465D+03	0.6000167D+03
9	3	3	2	0.6031971D+03	0.4581165D-03	0.6019049D+03	0.6043465D+03	0.6000168D+03

ITERATIONS USED = 9 MAXIMUM CHANGE IN XX BETWEEN LAST 2 ITERATIONS = 0.458D-03
MAXIMUM RESIDUAL ERROR FOR GRID ELEMENTS NOT HAVING FIXED HYDRAULIC HEAD = 0.190D+02 TOTAL = -0.288D+01

LAYER	ROW
3	

[illegible]

LAYER	ROW
3	

[illegible]

LAYER 3 RDW

-0	172D+06	-0	275D+05	0	345D+04	0	561D+03	-0	338D+05	0	630D+05	0	294D+05	0	344D+05	0	302D+04	0	310D+05
-0	187D+05	-0	146D+04	-0	346D+03	-0	730D+02	-0	126D+02	0	848D+01	0	382D+02	0	107D+03	0	194D+03	-0	569D+02
-0	791D+03	-0	404D+04	0	202D+05	0	102D+06	-0	265D+07	-0	371D+05	-0	448D+05	-0	456D+05	-0	318D+05	0	450D+03
-0	477D+05	-0	133D+05	-0	111D+05	-0	128D+05	-0	142D+05	-0	317D+02	-0	144D+03	0	541D+03	0	156D+04	0	312D+05
-0	409D+04	-0	108D+04	-0	261D+03	-0	589D+02	-0	586D+01	0	317D+02	0	144D+03	0	541D+03	0	156D+04	0	450D+03
-0	267D+03	-0	168D+04	-0	679D+04	-0	246D+05	-0	726D+05	0	223D+05	0	541D+05	0	708D+05	0	141D+05	0	814D+05
0	612D+05	-0	217D+05	-0	203D+04	0	222D+05	0	104D+05	0	778D+02	0	430D+03	0	234D+04	-0	130D+05	0	228D+04
-0	277D+05	-0	179D+04	-0	349D+03	-0	671D+02	0	102D+01	-0	140D+05	-0	213D+05	-0	238D+05	-0	174D+05	-0	190D+05
-0	183D+03	-0	835D+03	-0	308D+04	-0	907D+04	-0	202D+05	0	329D+02	0	144D+03	0	541D+03	0	156D+04	0	449D+03
-0	915D+05	-0	298D+05	-0	113D+05	-0	984D+04	-0	955D+04	-0	140D+05	-0	213D+05	-0	238D+05	-0	174D+05	-0	190D+05
-0	231D+04	-0	611D+03	-0	149D+03	-0	332D+02	-0	140D+05	0	329D+02	0	144D+03	0	541D+03	0	156D+04	0	449D+03
-0	273D+03	-0	273D+03	-0	690D+04	-0	250D+05	-0	738D+05	-0	144D+04	-0	168D+04	-0	174D+04	-0	141D+04	-0	118D+04
-0	266D+07	-0	103D+06	-0	308D+05	-0	478D+04	-0	174D+04	-0	144D+04	-0	168D+04	-0	174D+04	-0	141D+04	-0	118D+04
-0	522D+03	-0	178D+03	-0	531D+02	-0	140D+02	-0	744D+00	0	107D+02	0	384D+02	0	106D+03	0	193D+03	-0	600D+02
-0	805D+03	-0	413D+04	-0	205D+05	-0	103D+06	-0	270D+07	-0	107D+02	0	384D+02	0	106D+03	0	193D+03	-0	600D+02

TOTAL RECHARGE TO MODIFIED REGION= -0.2000D+06
 TOTAL FLOW FROM FIXED HEAD GRID ELEMENTS INTO MODELED REGION= 0.2001D+06
 TOTAL HEAD DEPENDANT DISCHARGE FROM MODELED REGION 0.0000D+00

	RECHARGE	FLOW FROM HEAD FIXED HEADS	DEPENDANT DISCHARGE	FLOW IN BOTTOM	FLOW IN TOP	FLOW OUT BOTTOM	FLOW OUT TOP
1	1	0.000D+00	0.813D+06	0.000D+00	0.000D+00	0.000D+00	0.813D+06
1	2	0.000D+00	-0.640D+06	0.813D+06	0.000D+00	0.000D+00	0.173D+06
1	3	0.000D+00	-0.150D+06	0.173D+06	0.103D+05	0.000D+00	0.335D+05
1	4	0.000D+00	-0.341D+05	0.335D+05	0.155D+05	0.103D+05	0.457D+04
1	5	0.000D+00	-0.906D+05	0.457D+04	0.102D+06	0.155D+05	0.415D+03
1	6	0.000D+00	0.578D+05	0.000D+00	0.415D+03	0.102D+06	0.000D+00
1	7	0.000D+00	0.437D+05	0.000D+00	0.901D+04	0.437D+05	0.903D+04
1	8	0.000D+00	0.732D+05	0.000D+00	0.000D+00	0.901D+04	0.732D+05
1	9	0.000D+00	0.343D+05	0.732D+05	0.104D+05	0.000D+00	0.179D+05
1	10	-0.100D+06	0.110D+06	0.179D+05	0.000D+00	0.104D+05	0.118D+06
1	11	0.000D+00	-0.921D+05	0.118D+06	0.000D+00	0.000D+00	0.258D+05
1	12	0.000D+00	-0.202D+05	0.258D+05	0.000D+00	0.000D+00	0.566D+04
1	13	0.000D+00	-0.441D+04	0.000D+00	0.000D+00	0.000D+00	0.125D+04
1	14	0.000D+00	-0.934D+03	0.125D+04	0.000D+00	0.000D+00	0.312D+03
1	15	0.000D+00	-0.644D+02	0.000D+00	0.000D+00	0.000D+00	0.246D+03
1	16	0.000D+00	0.622D+03	0.246D+03	0.000D+00	0.000D+00	0.867D+03
1	17	0.000D+00	0.304D+04	0.867D+03	0.000D+00	0.000D+00	0.390D+04
1	18	0.000D+00	0.139D+05	0.390D+04	0.000D+00	0.000D+00	0.178D+05
1	19	0.000D+00	0.636D+05	0.178D+05	0.186D+05	0.000D+00	0.000D+00
1	20	-0.100D+06	0.117D+05	0.000D+00	0.688D+04	0.186D+05	0.000D+00
1	21	0.000D+00	-0.745D+04	0.000D+00	0.143D+05	0.688D+04	0.000D+00
1	22	0.000D+00	-0.474D+05	0.000D+00	0.617D+05	0.143D+05	0.000D+00
1	23	0.000D+00	-0.219D+06	0.000D+00	0.281D+06	0.617D+05	0.000D+00
1	24	0.000D+00	-0.100D+07	0.000D+00	0.128D+07	0.281D+06	0.000D+00
1	25	0.000D+00	0.128D+07	0.000D+00	0.000D+00	0.128D+07	0.000D+00
2	2	0.000D+00	0.785D+06	0.000D+00	0.000D+00	0.000D+00	0.785D+06
2	3	0.000D+00	-0.958D+06	0.000D+00	0.251D+06	0.000D+00	0.772D+05
2	4	-0.200D+06	0.519D+06	0.785D+06	0.104D+06	0.251D+06	0.250D+05
2	5	0.000D+00	-0.105D+07	0.250D+06	0.936D+06	0.104D+06	0.343D+05
2	6	0.000D+00	0.901D+06	0.343D+05	0.000D+00	0.936D+06	0.000D+00
3	2	0.000D+00	0.901D+07	0.000D+00	0.513D+06	0.000D+00	0.952D+07
3	3	-0.200D+06	0.000D+00	0.000D+00	0.106D+07	0.513D+06	0.987D+07
3	4	0.000D+00	-0.881D+07	0.000D+00	0.000D+00	0.106D+07	0.000D+00

LAYER	ROW	580.5	599.3	594.4	596.3	601.8	566.4	570.7	572.2	584.1	581.5	602.3	600.5	600.1	600.0	600.0
3	2	600.0	600.0	600.0	599.9	600.0	600.2	601.2	605.8	629.0	746.7	602.3	600.5	600.1	600.0	600.0
	2	625.4	608.5	604.4	603.5	603.4	614.4	616.3	614.9	610.8	607.9	602.3	600.5	600.1	600.0	600.0
	3	606.9	603.2	601.9	601.9	602.5	604.8	605.9	605.8	604.3	603.6	601.2	600.3	600.1	600.0	600.0
4	3	600.0	600.0	599.8	599.5	599.9	600.1	600.5	601.9	607.1	620.7	601.2	600.3	600.1	600.0	600.0
	3	606.9	603.2	601.9	601.9	602.5	604.8	605.9	605.8	604.3	603.6	601.2	600.3	600.1	600.0	600.0
	4	600.0	600.0	599.8	599.5	599.9	600.1	600.5	601.9	607.1	620.7	601.2	600.3	600.1	600.0	600.0
5	4	570.6	598.4	596.1	587.6	588.6	581.8	569.7	564.7	572.2	567.2	602.7	600.5	600.1	600.0	600.0
	4	613.8	606.1	603.8	596.2	599.3	599.9	600.2	600.9	602.6	605.8	602.7	600.5	600.1	600.0	600.0
	5	622.6	608.0	602.7	601.5	601.4	602.0	602.7	602.8	602.1	602.0	600.7	600.2	600.0	600.0	600.0
6	5	600.0	600.0	599.8	599.6	599.9	600.1	600.5	602.0	607.2	621.0	600.7	600.2	600.0	600.0	600.0
	5	622.6	608.0	602.7	601.5	601.4	602.0	602.7	602.8	602.1	602.0	600.7	600.2	600.0	600.0	600.0
	6	747.7	629.3	606.0	601.4	600.5	600.4	600.5	600.5	600.4	600.3	600.1	600.1	600.0	600.0	600.0
6	6	600.0	600.0	600.0	599.9	600.0	600.2	601.2	605.9	629.5	749.2	600.1	600.1	600.0	600.0	600.0
	6	747.7	629.3	606.0	601.4	600.5	600.4	600.5	600.5	600.4	600.3	600.1	600.1	600.0	600.0	600.0
		600.0	600.0	600.0	599.9	600.0	600.2	601.2	605.9	629.5	749.2	600.1	600.1	600.0	600.0	600.0

ATTACHMENT D

DEFINITION OF PROGRAM VARIABLES

ALN, XxE The rate of water discharge (L^3/T) from a grid element is given by $Aa(H-H_e)$ when $H > H_e$ and is zero when $H < H_e$. H is the hydraulic head in the grid element and A is the area of the grid element, $(DXI(I)) \times (DYJ(J))$. $XxE(IJ)$ of data set 5 is H_e , measured relative to the center of the grid element. $ALN(IJ)$ of data set 6 specifies the quantity a .

BBK See FCNT

DDK See FCNT

DTO Duration of the first time interval.

DXI,DYJ $DXI(I)$ is the I direction horizontal dimension of the grid elements in column I . $DYJ(J)$ is the J direction horizontal dimension of the grid elements in row J .

ERR, XX10 Iteration terminates when

$$\max_{(\text{over } IJ)} \left| XX^{ICNT} - XX^{(ICNT-1)} \right| + \max_{(\text{over } IJ)} \left| XX^{(ICNT-1)} - XX^{(ICNT-2)} \right| < ERR,$$

the maximum residual error

$$\max_{(\text{over } IJ)} \left| [M] XX^{ICNT} - YQ \right| < XX10, \text{ or } ICNT \geq ITMAX.$$

FCNT,NT, DDK,BBK $K_{xx}(IJ) = (NT(IJ) \times (DDK(K))),$
 $K_{yy}(IJ) = (NT(IJ) \times (BBK(K))),$
 $K_{zz}(IJ) = (NT(IJ)),$
 where $K_{xx}(IJ)$, $K_{yy}(IJ)$, and $K_{zz}(IJ)$ denote the x , y , and z components of K , the hydraulic conductivity for grid element IJ . $NT = 0$ is used as a flag to the computer program that the grid element lies outside the modeled region. NT is also used as a dummy variable for reading various data sets.

HMAX SIP parameter β' (Trescott and Larson, 1977).

I Positional locator along a row, also column number.

ICNT Iteration counter in the solution procedure.

ICT In SIP, a repeating counter for iteration parameter number.

IEVP If $IEVP \neq 1$, data sets 5 and 6 are not read. If $IEVP = 1$, these data sets are read, and the head dependant discharge option is available.

IJ Single subscript replacement for I,J,K corresponding to grid element I,J,K.

IJKM1 Replacement for I,J,K-1, or for I,J,K+1 when the K direction is reversed in SIP.

IJKP1 Replacement for I,J,K+1, or for I,J,K-1 when the K direction is reversed in SIP.

IJLB IJ for confining bed grid elements.

IJM1K Replacement for I,J-1,K, or for I,J+1,K when the J direction is reversed in SIP.

IJP1K Replacement for I,J+1,K, or for I,J-1,K when the J direction is reversed in SIP.

ILZ2 If $ILZ2 = 0$, the elevation of the top of the uppermost grid element layer is printed.

IKZZ If $IKZZ \neq 1$, data set 9 is not read. If $IKZZ = 1$, data set 9, $XKZZ = K_{zz}$ is read. In this case K_{zz} is specified by $XKZZ$ rather than by NT from data set 10.

IM1JK Single subscript replacement for I-1,J,K

IP1JK Single subscript replacement for I+1,J,K

IPDD If $IPDD = 1$, the drawdown (decrease in hydraulic head H) during a pumping interval is printed.

IPH(K), Set IPH(K) = 1 if you want: hydraulic head or
K=2, fresh-water head, flow rate data, or drawdown, for
NK11 layer K. Set IPH(K) = 0 if you do not want these
quantities for layer K. The layers are numbered K=2
through K = NK11 = NK10+1.

IPRNT Setting IPRNT = 0 causes IWRT and LFLOW to be set to
zero, and the printing of hydraulic and fresh-water
head deleted, for all time intervals except the
last.

ITMAX Maximum number of iterations allowed.

IWRT Set IWRT to 1 if you want to watch the convergence
of fresh-water head $h' - XX$, at the three locations:
NU1(I), I = NU1(1), J = NU1(2), K = NU1(3) I = NU2(1),
NU2(I), J = NU2(2), K = NU2(3) and I = NU3(1), J = NU3(2),
I=1,3 K = NU3(3).
NU3(I),
I=1,3

IWRTXX If IWRTXX = 1, fresh-water head $h' = (\text{pressure head } h) + z$ is printed along with the hydraulic head.
If IWRTXX = 0, it is not printed. If IWRTXX = 2,
only h' is printed.

J Positional locator along a column, also row number.

K Layer number.

KOUT The total number of confining beds between layer 2
and layer K. Only one effective confining bed is
allowed between any two layers. If there are
more than two confining beds, they are combined into
one effective confining bed in accordance with
equation 5 in the text.

L9 In SIP, L9 is: 1 for J direction reversal, 2 for J
and K direction reversal, and 3 for K direction
reversal.

LB LB(IJ) is the vertical dimension of grid element IJ.

LBB Elevation of the base of the lowermost layer, K = 2.

LENGTH Number of iteration parameters in SIP.
LFLOW Four types of flow rate data are available: 1) the
LFL0(1) flow rate out of each grid element in the negative
LFL0(2) I, J, and K directions, 2) the flow rate out of
LFL0(3) fixed head (MHD = 0) grid elements, 3) head depen-
LFL0(4) dant discharge flow rates from grid elements having
 such discharge, 4) total flow rate budgets for sets
 of grid elements having the same I, the same J, and
 the same K. All flow rates are in units of mass
 divided by $\rho_0 = 1 \text{ gm/cm}^3$ per unit time (L^3/T). See
 the Units section of the text. Set LFLOW = 1 if you
 want any flow rate data, set LFLOW = 0 if no flow
 rate data is desired. Set LFL0(i) = 0 if you do not
 want type i flow rate data. For i = 1, set
 LFL0(1) = 1, 2, 3, for type 1 flow rate data in the
 negative I, J, and K directions respectively. If
 LFL0(1) = 4 all directions are given. Set
 LFL0(2) = 1 if you want type 2 flow rate data. Set
 LFL0(3) = 1 if you want type 3 flow rate data. Set
 LFL0(4) = 1, 2, 3, for the budgets of sets of grid
 elements having the same I, J, and K respectively.
 If LFL0(4) = 4 budgets are given for I, J, and K.
 Corresponding to the integers 1, 2, and 3 in the
 first column of output the second column gives I, J,
 and K respectively.

LLRO If LLRO = 0, read-in values for LRO are used.
 If LLRO = 1, read-in values for LRO are replaced by
 values for LRO calculated from water pressure,
 molality, and temperature, when such calculated
 values are available. Calculated values are made
 available only for those IJ or IJLB for which the
 pressure is specified to be greater than zero.

LRO $LRO(IJ) = (\rho' / \rho_0)$. $\rho = \rho' + \rho_0$ is the water density
 for grid element IJ. $LRO(IJLB) = (\rho' / \rho_0)$, where
 $\rho = \rho' + \rho_0$ is the water density for confining bed
 grid element IJLB. Values given are truncated after
 the fifth decimal place.

LZ2 $LZ2(IJ) = M$, where the integer M divided by 10 is
 the elevation of node point IJ located at the center
 of grid element IJ.

MAQ1 **MAQ1(K) = 0** except when a confining bed lies between layers K-1 and K, in which case **MAQ1(K) = 1**.

MHD When **MHD(IJ) ≠ 0** the hydraulic head for grid element IJ is fixed at the value specified. When **MHD(IJ) = 0**, the head for grid element IJ is not fixed. There are **NK10** layers of **MHD** values. Values given are truncated after the first decimal place.

NI10 Number of columns in the modeled area.

NJ10 Number of rows in the modeled area.

NK10 Number of layers in the modeled area.

NK4 Number of intervening confining beds.

NI See Q2.

NINT Number of time intervals desired in the current pumping interval.

NJ See Q2.

NK See Q2.

NNN Total number of grid elements plus 2:
 [(NI10) X (NJ10) X (NK10)] + 2.

NPINT Number of pumping intervals.

NSKP1,
NSKP2,
RELX1,
RELX2,
COEF See the Successvie over-relaxation section of the text
 for these.

NT See FCNT.

NU1 See IWRT.

NU2 See IWRT.

NU3 See IWRT.

NWEL Number of grid elements with pumping wells.

Q2,NI,
NJ,NK,YQ YQ(IJ) + Q2(NI,NJ,NK) is the recharge rate (L^3/T)
into the grid element located at I=NI, J=NJ, and K=NK.

SRZ SRZ is the maximum residual error $\max_{(\text{over } IJ)} \left| [M]XX^{ICNT} - YQ \right|$
with units (L^3/T). For each grid element in the
modeled region that does not have fixed hydraulic head,
the computer program seeks to satisfy the conservation
of mass, i.e. mass in equals mass out. The maximum
residual error is the maximum over these grid elements,
of the difference between mass in and mass out.

SUMRZ SUMRZ is the sum, over all the grid elements in the
modeled region not having fixed hydraulic head, of
the members of residual vector $[M]X^{ICNT} - YQ$. In the
computer output, SUMRZ is printed following the
value printed for maximum residual error SRZ, and is
denoted by "total." Both SRZ and SUMRZ are a
measure of the accuracy of the solution found.

SV SV specifies specific storage S_s .

TFAC The ratio of the duration of a time interval divided
by the duration of the preceding time interval.

TOT If TOT = 0, DTO is calculated such that the duration
of the pumping, the sum of the NINT time intervals,
is TOT.

WMAX In SIP, (XYFC) X (XY) is used for $(1 - \alpha_{\max})$ (Wein-
stein and others, 1969) when WMAX = 0. When
WMAX = 0, $(1 - \alpha_{\max}) = WMAX$ is used.

XX Fresh-water head $h' = (\text{pressure head } h) + z$.

XXS The value of XX for the previous time step.

XY See equation (8) in text.

XYFC See WMAX.

YQ See Q2.

ATTACHMENT E

PROGRAM LISTING

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IMPLICIT REAL*8 (A-H,O-Z)
COMMON WS,HMAX,RELX1,RELX2,COEF,ERR,XX10,DELT,ER5,SRZ,SUMRZ
1, XX, DT, VV, E2, F2, G2, YG, NIJ10, NI11, NJ11, NK11, NNN, NSKP1
2, NSKP2, ITMAX, ICNT, IEVP, IWR1, NW1, NW2, NW3, N320, NUM4
3, L9, LENGTH, NK1115, IT01, IT15, ICRO, DDK, BBK
4, NT, DD, BB, ZZ, XXE, XXS, ALN, SV
5, NI10, NJ10, NK10, NI12, NJ12, NK12, LB, MHD
REAL*4 DD(377), BB(377), ZZ(377), SV(377), YG(377), XXS(377)
1, G2(300), DDK(50), BBK(50), NT(502)
2, DXI(250), DYJ(250), ALN(377), XXE(377), XXSTR(377), YG1(377)
3, XKZZ(377)
INTEGER*2 LRO(502), IPH(50), LFLO(4), I7(5), J7(5), K7(5)
1, NI(300), NJ(300), NK(300), MAG1(50), NU1(3), NU2(3), NU3(3)
DIMENSION DT(377), E2(377), F2(377), G2(377), VV(377), XX(377)
1, WS(10), MHD(377), LZ2(377), LB(502), LBB(127)
2, AOC(4), BOC(4), COC(4), DOC(4)
3, SUMF(3, 250), SUNF(3, 250), SG2(3, 250), SYG(3, 250)
4, SVV(3, 250)
PI=3.1415926
DATA AOC/12.43, 4.19, -1.405, .268333/, BOC/3.07, -1.297, .592,
1-.256833/,
2COC/- .02, .118, -.107, .0713333/, DOC/1.000117, -.0030861, -.0029377,
3.0002689/
DO 10 I=1, 50
10 MAG1(I)=0
C READ IN GROUP I DATA
READ(5, 2000) ISOR
IF (ISOR.EQ.0) READ(5, 2000) L9, LENGTH, HMAX, XYFC, WMAX, ITMAX, ERR, XX10
IF (ISOR.EQ.1) READ(5, 2000) NSKP1, NSKP2, RELX1, RELX2,
1COEF, ITMAX, ERR, XX10
IF (ISOR.GE.2) READ(5, 2000) ITMAX, ERR, XX10
READ(5, 2020) NI10, NJ10, NK10, NK4
READ(5, 2003) IWR1, (NU1(I), I=1, 3), (NU2(I), I=1, 3), (NU3(I), I=1, 3)
READ(5, 2020) NPINT, IPDD, LLRO, IWR1XX, IPRNT, ILZ2, IEVP, IKZZ
READ(5, 2020) LFLOW, (LFLO(I), I=1, 4)
NK11=NK10+1
READ(5, 2003) (IPH(K), K=2, NK11)
NUM4=ISOR-1
NI11=NI10+1
NJ11=NJ10+1
NK15=NK11+NK4
NI12=NI10+2
NJ12=NJ10+2
NK12=NK10+2
NIJ10=NI10*NJ10
NIJK10=NIJ10*NK10
NNN=NIJK10+2
N315=NIJ10+1
N320=NIJK10+1
N325=NIJ10*(NK10+NK4)+1
NW1=NU1(1)+NI10*(NU1(2)-2)+NIJ10*(NU1(3)-2)
NW2=NU2(1)+NI10*(NU2(2)-2)+NIJ10*(NU2(3)-2)
NW3=NU3(1)+NI10*(NU3(2)-2)+NIJ10*(NU3(3)-2)
C READ IN AND PRINT ARRAYS MHD, LRO, LBB, LB, XXE, ALN, XX, SV, FCNT,
C DDK, BBK, NT, MAG1, DXI, DYJ, G2, NI, NJ, NK
C GROUP II
WRITE(6, 5000)
NK1115=NK11
IT15=1
ICRO=0
MAN00010
MAN00020
MAN00030
MAN00040
MAN00050
MAN00060
MAN00070
MAN00080
MAN00090
MAN00100
MAN00110
MAN00120
MAN00130
MAN00140
MAN00150
MAN00160
MAN00170
MAN00180
MAN00190
MAN00200
MAN00210
MAN00220
MAN00230
MAN00240
MAN00250
MAN00260
MAN00270
MAN00280
MAN00290
MAN00300
MAN00310
MAN00320
MAN00330
MAN00340
MAN00350
MAN00360
MAN00370
MAN00380
MAN00390
MAN00400
MAN00410
MAN00420
MAN00430
MAN00440
MAN00450
MAN00460
MAN00470
MAN00480
MAN00490
MAN00500
MAN00510
MAN00520
MAN00530
MAN00540
MAN00550
MAN00560
MAN00570
MAN00580
MAN00590
MAN00600

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	CALL RDWRT	MAN00610
	DO 20 IJ=2, N320	MAN00620
20	MHD(IJ)=NT(IJ)*10	MAN00630
	IF(LLRD.EQ.0) GO TO 80	MAN00640
C	DETERMINE WATER DENSITIES FROM PRESSURE, MOLALITY, AND TEMPERATURE	MAN00650
	C624=.0298912D0	MAN00660
	WRITE(6,4997)	MAN00670
	NK1115=NK15	MAN00680
	CALL RDWRT	MAN00690
	DO 30 IJ=2, N325	MAN00700
30	LB(IJ)=NT(IJ)	MAN00710
	WRITE(6,4998)	MAN00720
	CALL RDWRT	MAN00730
	DO 40 IJ=2, N325	MAN00740
40	LRO(IJ)=NT(IJ)*100	MAN00750
	WRITE(6,4999)	MAN00760
	CALL RDWRT	MAN00770
	DO 70 IJ=2, N325	MAN00780
	PO=LB(IJ)*C624	MAN00790
	IF(PO.GT.0) GO TO 50	MAN00800
	LB(IJ)=-30000	MAN00810
	GO TO 70	MAN00820
50	XM=LRO(IJ)/100.D0	MAN00830
	X=NT(IJ)/25.D0	MAN00840
	X3=X*(X-1)	MAN00850
	X4=X3*(X-2)	MAN00860
	A0=A0C(1)+A0C(2)*X+A0C(3)*X3+A0C(4)*X4	MAN00870
	B0=B0C(1)+B0C(2)*X+B0C(3)*X3+B0C(4)*X4	MAN00880
	C0=C0C(1)+C0C(2)*X+C0C(3)*X3+C0C(4)*X4	MAN00890
	D0=D0C(1)+D0C(2)*X+D0C(3)*X3+D0C(4)*X4	MAN00900
	XM32=XM*DSQRT(XM)	MAN00910
	DE=1000+58.448D0*XM	MAN00920
	DG=DE/(1000/D0+A0*XM+B0*XM32+C0*XM*XM)	MAN00930
	AMB=(-(X-1)*.75+.25)*XM+((X-1)*3.5+2)	MAN00940
	RHO=1	MAN00950
	RB4=1.0D-5*(.84*(X-1)+3.75)	MAN00960
	DO 60 L3=1, 3	MAN00970
	P=PO*RHO	MAN00980
	DLT=AMB*1.D-5*P	MAN00990
	IF(P.GT.100) DLT=AMB*1.D-3+RB4*(P-100)	MAN01000
60	RHO=DG+DLT	MAN01010
	LB(IJ)=(RHO-1)*1.D5	MAN01020
70	CONTINUE	MAN01030
C	WATER DENSITIES ARE NOW DETERMINED	MAN01040
80	CONTINUE	MAN01050
	WRITE(6,5002)	MAN01060
	NK1115=NK15	MAN01070
	ICRD=LLRD	MAN01080
	CALL RDWRT	MAN01090
	DO 90 IJ=2, N325	MAN01100
90	LRO(IJ)=NT(IJ)*1.D+5	MAN01110
	WRITE(6,5003)	MAN01120
	NK1115=2	MAN01130
	ICRD=0	MAN01140
	CALL RDWRT	MAN01150
	DO 100 IJ=2, N315	MAN01160
100	LBB(IJ)=NT(IJ)	MAN01170
	WRITE(6,5004)	MAN01180
	NK1115=NK15	MAN01190
	CALL RDWRT	MAN01200
	DO 110 IJ=2, N325	MAN01210

110	LB(IJ)=NT(IJ)	MAN01220
	LB(1)=1	MAN01230
	IF(IEVP.NE.1) GO TO 140	MAN01240
	WRITE(6,8000)	MAN01250
	NK1115=NK11	MAN01260
	CALL RDWRT	MAN01270
	DO 120 IJ=2,N320	MAN01280
120	XXE(IJ)=NT(IJ)*10	MAN01290
	WRITE(6,8001)	MAN01300
	CALL RDWRT	MAN01310
	DO 130 IJ=2,N320	MAN01320
130	ALN(IJ)=NT(IJ)	MAN01330
140	CONTINUE	MAN01340
	WRITE(6,5052)	MAN01350
	NK1115=NK11	MAN01360
	CALL RDWRT	MAN01370
	DO 150 IJ=2,N320	MAN01380
150	XX(IJ)=NT(IJ)*10	MAN01390
	XX(1)=0	MAN01400
	XX(NNN)=0	MAN01410
	WRITE(6,5054)	MAN01420
	CALL RDWRT	MAN01430
	DO 160 IJ=2,N320	MAN01440
160	SV(IJ)=NT(IJ)	MAN01450
	IF(IKZZ.EQ.0) GO TO 167	MAN01460
	WRITE(6,5060)	MAN01470
	CALL RDWRT	MAN01480
	DO 166 IJ=2,N320	MAN01490
166	XKZZ(IJ)=NT(IJ)	MAN01500
167	CONTINUE	MAN01510
	WRITE(6,5005)	MAN01520
	NK1115=NK15	MAN01530
	IT15=2	MAN01540
	CALL RDWRT	MAN01550
C	***** REMOVE PINCHED OUT NODES WHEN APPROPRIATE *****	MAN01560
	DO 165 I=2,NI11	MAN01570
	DO 165 J=2,NJ11	MAN01580
	IJIJ=I+NI10*(J-2)	MAN01590
	DO 165 K=2,NK11	MAN01600
	IJ=IJIJ+NIJ10*(K-2)	MAN01610
	IF(LB(IJ).NE.0) GO TO 165	MAN01620
	IF((K.EQ.2).OR.(K.EQ.NK11)) GO TO 164	MAN01630
	IT5=0	MAN01640
	KM1=K-1	MAN01650
	DO 161 K1=2,KM1	MAN01660
	IJ1=IJIJ+NIJ10*(K1-2)	MAN01670
161	IF(LB(IJ1).NE.0) IT5=IT5+1	MAN01680
	IT6=0	MAN01690
	KP1=K+1	MAN01700
	DO 162 K2=KP1,NK11	MAN01710
	IJ2=IJIJ+NIJ10*(K2-2)	MAN01720
162	IF(LB(IJ2).NE.0) IT6=IT6+1	MAN01730
	IF((IT5*IT6).GT.0) GO TO 165	MAN01740
164	NT(IJ)=0	MAN01750
165	CONTINUE	MAN01760
C	***** DONE *****	MAN01770
C	GROUP III	MAN01780
	IF(NK4.EQ.0) GO TO 170	MAN01790
	READ(5,2003) (MAQ1(K),K=2,NK11)	MAN01800
	WRITE(6,5010)	MAN01810
	WRITE(6,4002) (K,MAQ1(K),K=2,NK11)	MAN01820

170	CONTINUE	MAN01830
	READ(5,2000) FDXI,FDYJ,MDXI1,MDYJ1,MD2	MAN01840
	IF(MDXI1.EQ.1) READ(5,2000) (DXI(I),I=2,NI11)	MAN01850
	IF(MDYJ1.EQ.1) READ(5,2000) (DYJ(J),J=2,NJ11)	MAN01860
	IF(MDXI1.EQ.1) GO TO 190	MAN01870
	DO 180 I=2,NI11	MAN01880
180	DXI(I)=FDXI	MAN01890
190	IF(MDYJ1.EQ.1) GO TO 210	MAN01900
	DO 200 J=2,NJ11	MAN01910
200	DYJ(J)=FDYJ	MAN01920
210	IF(MD2.NE.0) GO TO 220	MAN01930
	WRITE(6,5001)	MAN01940
	WRITE(6,3010) (DXI(I),I=2,NI11)	MAN01950
	WRITE(6,3010) (DYJ(I),I=2,NJ11)	MAN01960
220	CONTINUE	MAN01970
	DXI(1)=1	MAN01980
	DYJ(1)=1	MAN01990
	DXI(NI12)=1	MAN02000
	DYJ(NJ12)=1	MAN02010
	WRITE(6,5055)	MAN02020
	READ(5,2020) NWEL	MAN02030
	NWEL=NWEL+1	MAN02040
	READ(5,2007) (NI(N),NJ(N),NK(N),G2(N),N=2,NWEL)	MAN02050
	WRITE(6,3007) (NI(N),NJ(N),NK(N),G2(N),N=2,NWEL)	MAN02060
C	READ IN AND PRINTING OF ARRAYS NOW COMPLETE	MAN02070
C	INITIALIZE VARIOUS ARRAYS TO ZERO	MAN02080
	DO 230 IJ=1,NNN	MAN02090
	DD(IJ)=0	MAN02100
	BB(IJ)=0	MAN02110
	ZZ(IJ)=0	MAN02120
	DT(IJ)=0	MAN02130
	E2(IJ)=0	MAN02140
	F2(IJ)=0	MAN02150
	G2(IJ)=0	MAN02160
	YQ(IJ)=0	MAN02170
230	VV(IJ)=0	MAN02180
C	DETERMINE LZ2 AND INITIAL OR FIXED XX. PUT RECHARGE RATES G2 INTO YQ.	MAN02190
C	IF IEVP=1, MODIFY XXE AND ALN.	MAN02200
	SUMG2=0	MAN02210
	DO 231 IDBZ=1,3	MAN02220
	DO 231 N=1,250	MAN02230
231	SG2(IDBZ,N)=0	MAN02240
	KOUT=0	MAN02250
	DO 280 K=2,NK11	MAN02260
	KOUT=KOUT+MAG1(K)	MAN02270
	DO 280 J=2,NJ11	MAN02280
	DO 280 I=2,NI11	MAN02290
	DXY=DXI(I)*DYJ(J)	MAN02300
	IJF=I+NI10*(J-2)	MAN02310
	IJ=IJF+NIJ10*(K-2)	MAN02320
	LBIJ=LB(IJ)	MAN02330
	KLB=NK11+KOUT	MAN02340
	IJLB=IJF+NIJ10*(KLB-2)	MAN02350
	DTIJ=LRO(IJ)*1.0D-5	MAN02360
	SV(IJ)=SV(IJ)*DXY*LBIJ	MAN02370
C	DETERMINE LZ2	MAN02380
	IJKM1=IJ-NIJ10	MAN02390
	IF(K.EQ.2) GO TO 240	MAN02400
	LZ2(IJ)=LZ2(IJKM1)+5*(LBIJ+LB(IJKM1))+10*MAG1(K)*LB(IJLB)	MAN02410
	GO TO 250	MAN02420
240	LZ2(IJ)=LBIJ*5+10*(LBB(IJ)+MAG1(K)*LB(IJLB))	MAN02430

250	CONTINUE	MAN02440
C	DETERMINE INITIAL OR FIXED XX	MAN02450
	XXMHD=XX(IJ)	MAN02460
	MHDIJ=MHD(IJ)	MAN02470
	IF(MHDIJ.NE.0) XXMHD=MHDIJ	MAN02480
	LZ2IJ=LZ2(IJ)	MAN02490
	X=((XXMHD-LZ2IJ)*(DTIJ+1)+LZ2IJ)*.1D0	MAN02500
	IF(NT(IJ).EQ.0.0) X=0.0	MAN02510
	XX(IJ)=X	MAN02520
	XXSTR(IJ)=X	MAN02530
	XXS(IJ)=X	MAN02540
	IX=0	MAN02550
	IF(MHDIJ.NE.0) IX=1	MAN02560
	IF(NT(IJ).EQ.0.0) IX=2	MAN02570
	MHD(IJ)=IX	MAN02580
C	IF IEVP=1, MODIFY XE AND ALN	MAN02590
	IF(IEVP.NE.1) GO TO 260	MAN02600
	XXE(IJ)=(XXE(IJ)*(DTIJ+1)+LZ2IJ)*.1D0	MAN02610
	ALN(IJ)=ALN(IJ)*DXY/(DTIJ+1)	MAN02620
260	CONTINUE	MAN02630
C	PUT PUMPING RATES Q2 INTO YQ	MAN02640
	YQIJ=0	MAN02650
	DO 270 N=2,NWEL	MAN02660
	IF(.NOT.((I.EQ.NI(N)).AND.((J.EQ.NJ(N)).AND.(K.EQ.NK(N)))))	MAN02670
	GO TO 270	MAN02680
	YQIJ=Q2(N)	MAN02690
270	CONTINUE	MAN02700
	YQ(IJ)=YQIJ	MAN02710
	SG2(1,I)=SG2(1,I)+YQIJ	MAN02720
	SG2(2,J)=SG2(2,J)+YQIJ	MAN02730
	SG2(3,K)=SG2(3,K)+YQIJ	MAN02740
	SUMQ2=SUMQ2+YQIJ	MAN02750
280	CONTINUE	MAN02760
C	LZ2, XX, AND YQ=Q2 ARE NOW DETERMINED.	MAN02770
C	IF ILZ2=0, CALCULATE AND PRINT THE ELEVATION OF THE TOP OF THE	MAN02780
C	UPPERMOST GRID ELEMENT LAYER.	MAN02790
	IF(ILZ2.NE.0) GO TO 310	MAN02800
	WRITE(6,8002)	MAN02810
	WRITE(6,6000)	MAN02820
	WRITE(6,4002) NK11	MAN02830
	DO 300 J=2,NJ11	MAN02840
	DO 290 I=2,NI11	MAN02850
	IJ=I+NI10*(J-2)+NIJ10*(NK11-2)	MAN02860
290	LBB(I)=LZ2(IJ)*.1D0+LB(IJ)*.5D0+.1	MAN02870
300	WRITE(6,3004) J, (LBB(I), I=2,NI11)	MAN02880
310	CONTINUE	MAN02890
C	DETERMINE THE QUANTITIES DD, BB, AND ZZ	MAN02900
	KOUT=0	MAN02910
	DO 320 K=2,NK11	MAN02920
	MAQ1K=MAQ1(K)	MAN02930
	KOUT=KOUT+MAQ1K	MAN02940
	KLB=NK11+KOUT	MAN02950
	DO 320 J=2,NJ11	MAN02960
	DO 320 I=2,NI11	MAN02970
	IJF=I+NI10*(J-2)	MAN02980
	IJ=IJF+NIJ10*(K-2)	MAN02990
	IJLB=IJF+NIJ10*(KLB-2)	MAN03000
	IM1JK=IJ-1	MAN03010
	IJM1K=IJ-NI10	MAN03020
	IJKM1=IJ-NIJ10	MAN03030
	IF(IJM1K.LT.1) IJM1K=1	MAN03040

IF(IJKM1.LT 1) IJKM1=1	MAN03050
DXII=DXI(I)	MAN03060
DYJJ=DYJ(J)	MAN03070
DXIM1=DXI(I-1)	MAN03080
DYJM1=DYJ(J-1)	MAN03090
BO=LB(IJ)	MAN03100
LBIM1=LB(IM1JK)	MAN03110
LBIJM=LB(IJM1K)	MAN03120
BDD=(LBIM1*DXII+BO*DXIM1)/(DXII+DXIM1)	MAN03130
BBB=(LBIJM*DYJJ+BO*DYJM1)/(DYJJ+DYJM1)	MAN03140
WDD=LBIM1*BO	MAN03150
WBB=LBIJM*BO	MAN03160
IF(WDD.EQ.0.0D00) BDD=0	MAN03170
IF(WBB.EQ.0.0) BBB=0	MAN03180
B4=LB(IJKM1)	MAN03190
CO=NT(IJ)	MAN03200
CD=NT(IM1JK)	MAN03210
CB=NT(IJM1K)	MAN03220
CZ=NT(IJKM1)	MAN03230
CO1=CO	MAN03240
CZ1=CZ	MAN03250
IF(1KZZ.EQ.0) GO TO 319	MAN03260
CO1=XKZZ(IJ)	MAN03270
CZ1=XKZZ(IJKM1)	MAN03280
319 CONTINUE	MAN03290
IF(I.EQ.2) CD=0	MAN03300
IF(J.EQ.2) CB=0	MAN03310
IF(K.EQ.2) CZ=0	MAN03320
IF(K.EQ.2) CZ1=0	MAN03330
DD(IJ)=-DYJJ*2*DDK(K)*BDD*CD*CO/(DXII*CD+DXIM1*CO+1.D-30)	MAN03340
BB(IJ)=-DXII*2*BBK(K)*BBB*CB*CO/(DYJJ*CB+DYJM1*CO+1.D-30)	MAN03350
CC=NT(IJLB)	MAN03360
IF(MAG1K.EQ.0) CC=1	MAN03370
ALP=.5D0*(BO*CC*CZ1+B4*CC*CO1)+MAG1K*LB(IJLB)*CO1*CZ1	MAN03380
CCC=CO1*CC*CZ1	MAN03390
ZZIJ=1.D0	MAN03400
IF(ALP.NE.0.0) ZZIJ=CCC/ALP	MAN03410
IF(CCC.EQ.0.0) ZZIJ=0	MAN03420
ZZ(IJ)=-DXI(I)*DYJ(J)*ZZIJ	MAN03430
320 CONTINUE	MAN03440
C THE QUANTITIES DD, BB, AND ZZ, ARE NOW DETERMINED.	MAN03450
C ADD VARIABLE DENSITY CONTRIBUTIONS TO YG, PUT INTO YG1.	MAN03460
SUX=0	MAN03470
NCNT=0	MAN03480
NI2=NI10*NI10	MAN03490
NJ2=NJ10*NJ10	MAN03500
NK2=NK10*NK10	MAN03510
KOUT=0	MAN03520
DO 350 K=2,NK11	MAN03530
KOUT=KOUT+MAG1(K)	MAN03540
KLB=NK11+KOUT	MAN03550
DO 350 J=2,NJ11	MAN03560
DO 340 I=2,NI11	MAN03570
IJF=I+NI10*(J-2)	MAN03580
IJ=IJF+NIJ10*(K-2)	MAN03590
IF(MHD(IJ).GE.1) GO TO 340	MAN03600
NCNT=NCNT+1	MAN03610
IJLB=IJF+NIJ10*(KLB-2)	MAN03620
IJLB1=IJLB+NIJ10	MAN03630
IP1JK=IJ+1	MAN03640
IM1JK=IJ-1	MAN03650

IJP1K=IJ+NI10	MAN03660
IJM1K=IJ-NI10	MAN03670
IJKP1=IJ+NIJ10	MAN03680
IJKM1=IJ-NIJ10	MAN03690
IF(IJM1K.LT.1) IJM1K=1	MAN03700
IF(IJKM1.LT.1) IJKM1=1	MAN03710
IF(IJP1K.GT.NNN) IJP1K=NNN	MAN03720
IF(IJKP1.GT.NNN) IJKP1=NNN	MAN03730
IF(IJLB1.GT.N325) IJLB1=N325	MAN03740
DD1=DD(IJ)	MAN03750
DD2=DD(IP1JK)	MAN03760
BB1=BB(IJ)	MAN03770
BB2=BB(IJP1K)	MAN03780
ZZ1=ZZ(IJ)	MAN03790
ZZ2=ZZ(IJKP1)	MAN03800
IF((WMAX.NE.0.0).OR.(ISOR.NE.0.0)) GO TO 330	MAN03810
D1=(BB1+BB2+ZZ1+ZZ2)/(DD1+DD2-1.D-30)	MAN03820
B1=(DD1+DD2+ZZ1+ZZ2)/(BB1+BB2-1.D-30)	MAN03830
Z1=(DD1+DD2+BB1+BB2)/(ZZ1+ZZ2-1.D-30)	MAN03840
IF(D1.GT.1.D+9) D1=0	MAN03850
IF(B1.GT.1.D+9) B1=0	MAN03860
IF(Z1.GT.1.D+9) Z1=0	MAN03870
D1=1/(NI2*(1+D1))	MAN03880
B1=1/(NJ2*(1+B1))	MAN03890
Z1=1/(NK2*(1+Z1))	MAN03900
X=D1	MAN03910
IF(B1.LT.X) X=B1	MAN03920
IF(Z1.LT.X) X=Z1	MAN03930
SUX=SUX+X	MAN03940
330 CONTINUE	MAN03950
B0=LB(IJ)	MAN03960
B4=LB(IJKM1)	MAN03970
B5=LB(IJKP1)	MAN03980
BTO=LRO(IJ)*1.D-5	MAN03990
BT4=LRO(IJKM1)*1.D-5	MAN04000
BT5=LRO(IJKP1)*1.D-5	MAN04010
BTDD=LRO(IM1JK)*1.D-5	MAN04020
BTFF=LRO(IP1JK)*1.D-5	MAN04030
BTBB=LRO(IJM1K)*1.D-5	MAN04040
BTHH=LRO(IJP1K)*1.D-5	MAN04050
X=(.5D0*(BTO*B0+BT4*B4)+MAG1(K)*(LRO(IJLB)*1.0D-5)*LB(IJLB))*ZZ1	MAN04060
1-(.5D0*(BTO*B0+BT5*B5)+MAG1(K+1)*(LRO(IJLB1)*1.0D-5)*LB(IJLB1))	MAN04070
2*ZZ2+YG(IJ)	MAN04080
LZ0=LZ2(IJ)	MAN04090
DXII=DXI(I)	MAN04100
DXIM1=DXI(I-1)	MAN04110
DXIP1=DXI(I+1)	MAN04120
DYJJ=DYJ(J)	MAN04130
DYJM1=DYJ(J-1)	MAN04140
DYJP1=DYJ(J+1)	MAN04150
BTOX=BTO*DXII	MAN04160
BTOY=BTO*DYJJ	MAN04170
YG1(IJ)=X-(((BTDD*DXIM1+BTOX)/(DXIM1+DXII))*DD1*(LZ2(IM1JK)-LZ0)	MAN04180
1+((BTFF*DXIP1+BTOX)/(DXIP1+DXII))*DD2*(LZ2(IP1JK)-LZ0)	MAN04190
2+((BTBB*DYJM1+BTOY)/(DYJM1+DYJJ))*BB1*(LZ2(IJM1K)-LZ0)	MAN04200
3+((BTHH*DYJP1+BTOY)/(DYJP1+DYJJ))*BB2*(LZ2(IJP1K)-LZ0)	MAN04210
4)*.1D0	MAN04220
340 CONTINUE	MAN04230
350 CONTINUE	MAN04240
C YG1 NOW DETERMINED	MAN04250
IF(ISOR.NE.0) GO TO 370	MAN04260

	XY= 5D0*PI*PI*SUX/NCNT	MAN04270
C	XY IS NOW DETERMINED	MAN04280
	XY=XYFC*XY	MAN04290
	IF(WMAX.NE.0.0) XY=WMAX	MAN04300
C	DETERMINE ITERATION PARAMETERS WS(I)	MAN04310
	DO 360 I=1,LENGTH	MAN04320
360	WS(I)=1-XY**((I-1.)/(LENGTH-1))	MAN04330
	WRITE(6,5056)	MAN04340
	WRITE(6,1003) L9,ITMAX,LENGTH,HMAX,XYFC,ERR,WMAX,XX10	MAN04350
	WRITE(6,5006)	MAN04360
	WRITE(6,3555) (WS(I),I=1,LENGTH)	MAN04370
	GO TO 390	MAN04380
370	IF(ISOR.NE.1) GO TO 380	MAN04390
	WRITE(6,5057)	MAN04400
	WRITE(6,1003) NSKP1,NSKP2,ITMAX,RELX1,RELX2,COEF,ERR,XX10	MAN04410
	GO TO 390	MAN04420
380	WRITE(6,5058) NUM4	MAN04430
	WRITE(6,4501) ITMAX,ERR,XX10	MAN04440
390	CONTINUE	MAN04450
	DO 640 IPINT=1,NPINT	MAN04460
	WRITE(6,8003) IPINT	MAN04470
	READ(5,2000) NINT,DT0,TFAC,TOT	MAN04480
	IF(TOT.NE.0.0) DT0=TOT*(TFAC-1)/(TFAC**NINT-1)	MAN04490
C	READ IN AND PRINT YQ FOR THIS PUMPING INTERVAL	MAN04500
	WRITE(6,5053)	MAN04510
	NK1115=NK11	MAN04520
	IT15=1	MAN04530
	ICR0=0	MAN04540
	CALL RDWRT	MAN04550
	SUMYG=SUMQ2	MAN04560
	DO 391 IDBZ=1,3	MAN04570
	DO 391 N=1,250	MAN04580
391	SYQ(IDBZ,N)=SQ2(IDBZ,N)	MAN04590
	DO 400 K=2,NK11	MAN04600
	DO 400 J=2,NJ11	MAN04610
	DO 400 I=2,NI11	MAN04620
	IJ=I+NI10*(J-2)+NIJ10*(K-2)	MAN04630
	YQIJ=NT(IJ)	MAN04640
	YQ(IJ)=YQIJ+YQ1(IJ)	MAN04650
	SYQ(1,I)=SYQ(1,I)+YQIJ	MAN04660
	SYQ(2,J)=SYQ(2,J)+YQIJ	MAN04670
	SYQ(3,K)=SYQ(3,K)+YQIJ	MAN04680
	SUMYG=SUMYG+YQIJ	MAN04690
400	CONTINUE	MAN04700
	X=SUMYG-SUMQ2	MAN04710
	WRITE(6,9011) X,SUMQ2,SUMYG	MAN04720
C	ADD YQ1 TO YQ, PUT INTO YQ.	MAN04730
	TOTIME=0	MAN04740
	DO 600 INT=1,NINT	MAN04750
	DELT=DT0*(TFAC** (INT-1))	MAN04760
	TOTIME=DELT+TOTIME	MAN04770
	WRITE(6,7000) INT,DELT,TOTIME	MAN04780
	I01=1	MAN04790
	IF((IPRNT.EQ.0).AND.(INT.LT.NINT)) I01=0	MAN04800
	IWR1=IWR1*I01	MAN04810
	LFL01=LFLOW*I01	MAN04820
	IF(IWR1.NE.1) GO TO 420	MAN04830
	WRITE(6,5007)	MAN04840
	WRITE(6,5072) NU1(1),NU2(1),NU3(1)	MAN04850
	WRITE(6,5073) NU1(2),NU2(2),NU3(2)	MAN04860
	WRITE(6,5074) NU1(3),NU2(3),NU3(3)	MAN04870

420	CONTINUE	MAN04880
C	BEGIN SIP, SOR, OR PCG ITERATIONS.	MAN04890
	IF (ISOR.EQ.0) CALL SIP	MAN04900
	IF (ISOR.EQ.1) CALL SOR	MAN04910
	IF (ISOR.GE.2) CALL PCG	MAN04920
	WRITE(6,5075) ICNT,ER5,SRZ,SUMRZ	MAN04930
C	SAVE XX, FOR USE DURING THE NEXT TIME STEP, IN XXS	MAN04940
	DO 430 IJ=2,N320	MAN04950
430	XXS(IJ)=XX(IJ)	MAN04960
	IF (LFLO1.EQ.0) GO TO 560	MAN04970
C	DETERMINE WATER FLOW RATES	MAN04980
	DO 440 IJ=1,NNN	MAN04990
440	GZ(IJ)=0	MAN05000
	DO 510 IDBZ=1,3	MAN05010
	DO 450 N=1,250	MAN05020
	SUNF(IDBZ,N)=0	MAN05030
450	SUMF(IDBZ,N)=0	MAN05040
	IRITE=0	MAN05050
	L1=LFLO(1)	MAN05060
	IF ((L1.EQ.IDBZ).OR.(L1.EQ.4)) IRITE=1	MAN05070
	IF (IRITE.NE.1) GO TO 460	MAN05080
	IF (IDBZ.EQ.1) WRITE(6,5101)	MAN05090
	IF (IDBZ.EQ.2) WRITE(6,5102)	MAN05100
	IF (IDBZ.EQ.3) WRITE(6,5103)	MAN05110
	WRITE(6,6000)	MAN05120
460	CONTINUE	MAN05130
	KOUT=0	MAN05140
	DO 510 K=2,NK11	MAN05150
	KOUT=KOUT+MAG1(K)	MAN05160
	KLB=NK11+KOUT	MAN05170
	IF ((IRITE.EQ.1).AND.(IPH(K).EQ.1)) WRITE(6,4002) K	MAN05180
	DO 510 J=2,NJ11	MAN05190
	IJMI=NI10*(J-2)+NIJ10*(K-2)	MAN05200
	IJLBM1=NI10*(J-2)+NIJ10*(KLB-2)	MAN05210
	DO 500 I=2,NI11	MAN05220
	IJ=IJMI+I	MAN05230
	IJLB=IJLBM1+I	MAN05240
	XXO=XX(IJ)	MAN05250
	BTO=LRO(IJ)*1.0D-5	MAN05260
	LZO=LZ2(IJ)	MAN05270
	IF (IDBZ.NE.1) GO TO 470	MAN05280
	DBZ=DD(IJ)	MAN05290
	IF (I.EQ.2) GO TO 490	MAN05300
	IM1JK=IJ-1	MAN05310
	XXI=XX(IM1JK)	MAN05320
	BTDD=LRO(IM1JK)*1.0D-5	MAN05330
	DXII=DXI(I)	MAN05340
	DXIM1=DXI(I-1)	MAN05350
	BTOX=BTO*DXII	MAN05360
	FLOW=((BTDD*DXIM1+BTOX)/(DXIM1+DXII))*(LZ2(IM1JK)-LZO)*.1D0	MAN05370
	GO TO 490	MAN05380
470	IF (IDBZ.NE.2) GO TO 480	MAN05390
	DBZ=BB(IJ)	MAN05400
	IF (J.EQ.2) GO TO 490	MAN05410
	IJM1K=IJ-NI10	MAN05420
	XXI=XX(IJM1K)	MAN05430
	BTBB=LRO(IJM1K)*1.0D-5	MAN05440
	DYJJ=DYJ(J)	MAN05450
	DYJM1=DYJ(J-1)	MAN05460
	BTOY=BTO*DYJJ	MAN05470
	FLOW=((BTBB*DYJM1+BTOY)/(DYJM1+DYJJ))*(LZ2(IJM1K)-LZO)*.1D0	MAN05480

	GO TO 490	MAN05490
480	DBZ=ZZ(IJ)	MAN05500
	IF(K.EQ.2) GO TO 490	MAN05510
	IJKM1=IJ-NIJ10	MAN05520
	XXI=XX(IJKM1)	MAN05530
	B0=LB(IJ)	MAN05540
	B4=LB(IJKM1)	MAN05550
	BT4=LRO(IJKM1)*1.0D-5	MAN05560
	FLOW=-(.5D0*(B0*B0+BT4*B4)+MAQ1(K)*(LRO(IJLB)*1.0D-5)*LB(IJLB))	MAN05570
490	X=DBZ*(XXI-XX0+FLOW)	MAN05580
	DT(I)=X	MAN05590
	IJK=I	MAN05600
	IF(IDBZ.EQ.2) IJK=J	MAN05610
	IF(IDBZ.EQ.3) IJK=K	MAN05620
	IF(X.GT.0) SUMF(IDBZ,IJK)=SUMF(IDBZ,IJK)+X	MAN05630
	IF(X.LT.0) SUNF(IDBZ,IJK)=SUNF(IDBZ,IJK)-X	MAN05640
	G2(IJ)=G2(IJ)+X	MAN05650
	IM=1	MAN05660
	IF(IDBZ.EQ.2) IM=NI10	MAN05670
	IF(IDBZ.EQ.3) IM=NIJ10	MAN05680
	IJM=IJ-IM	MAN05690
	IF(IJM.LT.1) IJM=1	MAN05700
	G2(IJM)=G2(IJM)-X	MAN05710
500	CONTINUE	MAN05720
510	IF((IRITE.EQ.1).AND.(IPH(K).EQ.1)) WRITE(6,4500) J,(DT(I),I=2	MAN05730
	1,NI11)	MAN05740
	IF(LFLO(2).EQ.1) WRITE(6,8010)	MAN05750
	I5=0	MAN05760
	SUMG2=0	MAN05770
	DO 549 IDBZ=1,3	MAN05780
	DO 549 N=1,250	MAN05790
549	SG2(IDBZ,N)=0	MAN05800
	DO 550 K=2,NK11	MAN05810
	DO 550 J=2,NJ11	MAN05820
	DO 550 I=2,NI11	MAN05830
	IJ=I+NI10*(J-2)+NIJ10*(K-2)	MAN05840
	IF(MHD(IJ).NE.1) GO TO 540	MAN05850
	G2IJ=G2(IJ)	MAN05860
	I5=I5+1	MAN05870
	DT(I5)=G2IJ	MAN05880
	I7(I5)=I	MAN05890
	J7(I5)=J	MAN05900
	K7(I5)=K	MAN05910
	SG2(1,I)=SG2(1,I)+G2IJ	MAN05920
	SG2(2,J)=SG2(2,J)+G2IJ	MAN05930
	SG2(3,K)=SG2(3,K)+G2IJ	MAN05940
	SUMG2=SUMG2+G2IJ	MAN05950
540	IF(I5.NE.5) GO TO 550	MAN05960
	I5=0	MAN05970
	IF(LFLO(2).EQ.1) WRITE(6,3560) (I7(L),J7(L),K7(L),DT(L),L=1,5)	MAN05980
550	CONTINUE	MAN05990
	IF((LFLO(2).EQ.1).AND.(I5.GE.1))	MAN06000
	1WRITE(6,3560) (I7(L),J7(L),K7(L),DT(L),L=1,I5)	MAN06010
	IF(LFLO(3).EQ.1) WRITE(6,9010)	MAN06020
	I5=0	MAN06030
	SUMVV=0	MAN06040
	DO 649 IDBZ=1,3	MAN06050
	DO 649 N=1,250	MAN06060
649	SVV(IDBZ,N)=0	MAN06070
	DO 650 K=2,NK11	MAN06080
	DO 650 J=2,NJ11	MAN06090

DO 650 I=2,N11	MAN06100
IJ=I+NI10*(J-2)+NIJ10*(K-2)	MAN06110
X=XX(IJ)-XXE(IJ)	MAN06120
VVIJ=X*ALN(IJ)	MAN06130
IF(.NOT. ((IEVP.EQ.1).AND.(VVIJ.GT.0))) GO TO 641	MAN06140
I5=I5+1	MAN06150
DT(I5)=VVIJ	MAN06160
I7(I5)=I	MAN06170
J7(I5)=J	MAN06180
K7(I5)=K	MAN06190
SVV(1,I)=SVV(1,I)+VVIJ	MAN06200
SVV(2,J)=SVV(2,J)+VVIJ	MAN06210
SVV(3,K)=SVV(3,K)+VVIJ	MAN06220
SUMVV=SUMVV+VVIJ	MAN06230
641 IF(I5.NE.5) GO TO 650	MAN06240
I5=0	MAN06250
IF(LFLO(3).EQ.1) WRITE(6,3560) (I7(L),J7(L),K7(L),DT(L),L=1,5)	MAN06260
650 CONTINUE	MAN06270
IF((LFLO(3).EQ.1).AND.(I5.GE.1))	MAN06280
1WRITE(6,3560) (I7(L),J7(L),K7(L),DT(L),L=1,I5)	MAN06290
WRITE(6,8011) SUMYQ,SUMQ2,SUMVV	MAN06300
IF(LFLO(4).EQ.0) GO TO 530	MAN06310
WRITE(6,7001)	MAN06320
IDBZ1=LFLO(4)	MAN06330
IDBZ3=IDBZ1	MAN06340
IF(IDBZ1.GE.4) IDBZ1=1	MAN06350
IF(IDBZ3.GE.4) IDBZ3=3	MAN06360
DO 520 IDBZ=IDBZ1,IDBZ3	MAN06370
N20=NI11	MAN06380
IF(IDBZ.EQ.2) N20=NJ11	MAN06390
IF(IDBZ.EQ.3) N20=NK11	MAN06400
DO 519 N=2,N20	MAN06410
NP1=N+1	MAN06420
519 WRITE(6,8012) IDBZ,N,SYQ(IDBZ,N),SQ2(IDBZ,N),SVV(IDBZ,N)	MAN06430
1,SUNF(IDBZ,N),SUMF(IDBZ,NP1),SUMF(IDBZ,N),SUNF(IDBZ,NP1)	MAN06440
520 CONTINUE	MAN06450
530 CONTINUE	MAN06460
560 IF(I01.EQ.0) GO TO 590	MAN06470
WRITE(6,5008)	MAN06480
WRITE(6,6000)	MAN06490
C DETERMINE HYDRAULIC HEAD FROM XX = H PRIME = (PRESSURE HEAD H) + Z	MAN06500
DO 580 K=2,NK11	MAN06510
IF(IPH(K).NE.1) GO TO 580	MAN06520
WRITE(6,4002) K	MAN06530
DO 580 J=2,NJ11	MAN06540
IJMI=NI10*(J-2)+NIJ10*(K-2)	MAN06550
DO 570 I=2,N11	MAN06560
IJ=IJMI+I	MAN06570
XZ210=LZ2(IJ)*.1D0	MAN06580
DTI=(1/(LRD(IJ)*1.0D-5+1))*(XX(IJ)-XZ210)+XZ210	MAN06590
IF(MHD(IJ).EQ.2) DTI=0	MAN06600
570 DT(I)=DTI	MAN06610
IF(IWRTXX.LE.1) WRITE(6,1001) J,(DT(I),I=2,N11)	MAN06620
IF(IWRTXX.GE.1) WRITE(6,1001) J,(XX(IJMI+I),I=2,N11)	MAN06630
580 CONTINUE	MAN06640
590 CONTINUE	MAN06650
600 CONTINUE	MAN06660
C IF IPDD=1, DETERMINE DRAWDOWNS FOR THIS PUMPING INTERVAL	MAN06670
IF(IPDD.NE.1) GO TO 630	MAN06680
WRITE(6,8004)	MAN06690
WRITE(6,6000)	MAN06700

DO 620 K=2,NK11	MAN06710
IF(IPH(K).NE.1) GO TO 620	MAN06720
WRITE(6,4002) K	MAN06730
DO 620 J=2,NJ11	MAN06740
IJMI=NI10*(J-2)+NIJ10*(K-2)	MAN06750
DO 610 I=2,NI11	MAN06760
IJ=IJMI+I	MAN06770
DT(I)=(XXSTR(IJ)-XX(IJ))/(LRO(IJ)*1.D-5+1)	MAN06780
610 XXSTR(IJ)=XX(IJ)	MAN06790
WRITE(6,1001) J, (DT(I), I=2, NI11)	MAN06800
620 CONTINUE	MAN06810
630 CONTINUE	MAN06820
640 CONTINUE	MAN06830
1001 FORMAT(I12,15F8.1/(12X,15F8.1))	MAN06840
1003 FORMAT(3I10,6D18.4)	MAN06850
1004 FORMAT(12X,15F8.1)	MAN06860
2000 FORMAT(8G10.0)	MAN06870
2003 FORMAT(20I4)	MAN06880
2007 FORMAT(4(3I3,D11.3))	MAN06890
2020 FORMAT(8I10)	MAN06900
3004 FORMAT(I12,20I6/(12X,20I6))	MAN06910
3007 FORMAT(4(I12,2I4,D11.3))	MAN06920
3010 FORMAT(' ',12F10.1)	MAN06930
3555 FORMAT(8D15.7)	MAN06940
3560 FORMAT(' ',5(3I4,D12.3))	MAN06950
4002 FORMAT(I6,I12)	MAN06960
4500 FORMAT(I12,10D12.3/(12X,10D12.3))	MAN06970
4501 FORMAT(I12,9D12.3)	MAN06980
4997 FORMAT('1',44X,'LENGTH IN FEET OF WATER COLUMN IN WELL BORE')	MAN06990
4998 FORMAT('1',64X,'MOLALITY')	MAN07000
4999 FORMAT('1',53X,'TEMPERATURE DEGREES CENTIGRADE')	MAN07010
5000 FORMAT('1',52X,'FIXED HYDRAULIC HEAD')	MAN07020
5001 FORMAT('1',49X,'X AND Y DIMENSIONS OF GRID ELEMENTS')	MAN07030
5002 FORMAT('1',41X,'(DENSITY OF WATER RHO, IN GRAMS PER CUBIC CENTIMETER)-1.0')	MAN07040
5003 FORMAT('1',59X,'BASE ELEVATION')	MAN07050
5004 FORMAT('1',52X,'Z DIMENSION OF GRID ELEMENTS')	MAN07060
5005 FORMAT('1',54X,'HYDRAULIC CONDUCTIVITY')	MAN07070
5052 FORMAT('1',56X,'INITIAL HYDRAULIC HEAD')	MAN07080
5053 FORMAT('0',53X,'RECHARGE RATE YQ (L*L*L/T)')	MAN07090
5054 FORMAT('1',57X,'SPECIFIC STORAGE')	MAN07100
5055 FORMAT('1',53X,'RECHARGE RATES G2 (L*L*L/T)')	MAN07110
5056 FORMAT('1',51X,'SIP CONVERGENCE PARAMETERS CHOSEN'//	MAN07120
18X,'L9',5X,'ITMAX',4X,'LENGTH',14X,'HMAX',14X,'XYFC',	MAN07130
215X,'ERR',14X,'WMAX',14X,'XX10')	MAN07140
5057 FORMAT('1',51X,'SOR CONVERGENCE PARAMETERS CHOSEN'//	MAN07150
15X,'NSKP1',5X,'NSKP2',5X,'ITMAX',13X,'RELX1',13X,'RELX2',	MAN07160
214X,'COEF',15X,'ERR',14X,'XX10')	MAN07170
5058 FORMAT('1',51X,'PCG('I1,') CONVERGENCE PARAMETERS CHOSEN'//	MAN07180
17X,'ITMAX',9X,'ERR',8X,'XX10')	MAN07190
5060 FORMAT('1',50X,'Z COMPONENT OF HYDRAULIC CONDUCTIVITY')	MAN07200
5006 FORMAT('0',58X,'SIP COEFFICIENTS')	MAN07210
5007 FORMAT('0',56X,'WATCHING CONVERGENCE'//25X,'I,J,K, IS THE LOCATION	MAN07220
1 AT WHICH THE MAXIMUM CHANGE IN XX OCCURED.//25X,'MAXIMUM RESIDUAL	MAN07230
2 ERROR = THE MAXIMUM OVER ALL THE GRID ELEMENTS OF THE'//25X,'DIFF	MAN07240
ERENCE BETWEEN THE WATER FLOW RATE INTO AND OUT OF EACH GRID ELEMEN	MAN07250
4NT.')	MAN07260
5074 FORMAT(7X,' I J K',9X,'XX(I,J,K)',9X,'XX(I,J,K)',13X,'ERROR'	MAN07270
1,3(12X,'K=',I4))	MAN07280
5072 FORMAT('0',72X,3(6X,'XX AT I=',I4))	MAN07290
5073 FORMAT(46X,'CHANGE IN',6X,'MAX RESIDUAL',3(12X,'J=',I4))	MAN07300
	MAN07310


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5075  FORMAT('0','ITERATIONS USED =',I3,                                MAN07320
      1'    MAXIMUM CHANGE IN XX BETWEEN LAST 2 ITERATIONS =',D11.3/    MAN07330
      2' MAXIMUM RESIDUAL ERROR FOR GRID ELEMENTS NOT HAVING FIXED HYDRAU MAN07340
      3LIC HEAD =',D11.3,'    TOTAL =',D11.3)                            MAN07350
5008  FORMAT('1',59X,'HYDRAULIC HEAD')                                MAN07360
5010  FORMAT('1',37X,                                                  MAN07370
      1'LAYERS UNDERLAIN BY A CONFINING BED HAVE 1, OTHER LAYERS 0')    MAN07380
5101  FORMAT('1',46X,'WATER FLOW RATE IN NEGATIVE I DIRECTION')        MAN07390
5102  FORMAT('1',46X,'WATER FLOW RATE IN NEGATIVE J DIRECTION')        MAN07400
5103  FORMAT('1',46X,'WATER FLOW RATE OUT GRID ELEMENT BOTTOM')        MAN07410
6000  FORMAT('0','LAYER    ROW')                                       MAN07420
7000  FORMAT('1','TIME INTERVAL NUMBER',I3,'    DURATION =',D11.4,'    MAN07430
      1  TOTAL ELAPSED TIME =',D11.4)                                    MAN07440
7001  FORMAT('0',31X,'FLOW FROM',1X,'HEAD DEPENDANT',8X,'FLOW IN'      MAN07450
      1,8X,'FLOW IN',7X,'FLOW OUT',7X,'FLOW OUT'                      MAN07460
      2/18X,'RECHARGE',4X,'FIXED HEADS',6X,'DISCHARGE',9X,'BOTTOM'     MAN07470
      3,12X,'TOP',9X,'BOTTOM',12X,'TOP'//)                             MAN07480
8000  FORMAT('1',25X,'THE ELEVATION OF THE HYDRAULIC HEAD (MEASURED RELA MAN07490
      1TIVE TO THE CENTER OF'/26X,'THE GRID ELEMENT) AT WHICH HEAD DEPENDMAN07500
      2ANT DISCHARGE BEGINS')                                           MAN07510
8001  FORMAT('1',20X,'(RATE OF LOSS (L/T))/(((HYDRAULIC HEAD)-(ELEVATIONMAN07520
      1 AT WHICH DISCHARGE BEGINS)) (L))')                             MAN07530
8002  FORMAT ('1',36X,'THE ELEVATION OF THE TOP OF THE UPPERMOST GRID ELMAN07540
      1EMENT LAYER')                                                    MAN07550
8003  FORMAT('1','PUMPING INTERVAL=',I5)                              MAN07560
8004  FORMAT('1',45X,'DRAWDOWN DURING THIS PUMPING INTERVAL')          MAN07570
8010  FORMAT('1',30X,'WATER FLOW RATES OUT OF FIXED HEAD GRID ELEMENTS')MAN07580
8011  FORMAT('1',50X,'FLOW RATE BUDGETS'///5X                          MAN07590
      1,'TOTAL RECHARGE TO MODELED REGION=',D13.4/5X                  MAN07600
      2,'TOTAL FLOW FROM FIXED HEAD GRID ELEMENTS INTO MODELED REGION='  MAN07610
      3,D13.4/5X,'TOTAL HEAD DEPENDANT DISCHARGE FROM MODELED REGION'   MAN07620
      4,D13.4)                                                           MAN07630
8012  FORMAT(' ',2I5,7D15.3)                                           MAN07640
9010  FORMAT('1',50X,'HEAD DEPENDANT DISCHARGE RATES')                 MAN07650
9011  FORMAT('0',4X,'TOTAL YQ RECHARGE RATE TO MODELED REGION=',D13.4/  MAN07660
      15X,'TOTAL Q2 RECHARGE RATE TO MODELED REGION=',D13.4/          MAN07670
      25X,'TOTAL RECHARGE RATE TO MODELED REGION=',D13.4)            MAN07680
      STOP                                                                MAN07690
      END                                                                MAN07700
      SUBROUTINE RDWRT                                                    RDW00010
      IMPLICIT REAL*8 (A-H,O-Z)                                         RDW00020
      COMMON WS,HMAX,RELX1,RELX2,COEF,ERR,XX10,DELT,ER5,SRZ,SUMRZ        RDW00030
      1,XX,DT,VV,E2,F2,G2,YQ,NIJ10,NI11,NJ11,NK11,NNN,NSKP1            RDW00040
      2,NSKP2,ITMAX,ICNT,IEVP,IWR1,NW1,NW2,NW3,N320,NUM4               RDW00050
      3,L9,LENGTH,NK1115,IT01,IT15,ICRO,DDK,BBK                       RDW00060
      4,NT,DD,BB,ZZ,XXE,XXS,ALN,SV                                     RDW00070
      5,NI10,NJ10,NK10,NI12,NJ12,NK12,LB,MHD                           RDW00080
      REAL*4 DD(377),BB(377),ZZ(377),XXE(377),XXS(377),ALN(377),      RDW00090
      1SV(377),YQ(377),DDK(50),BBK(50),NT(502)                        RDW00100
      DIMENSION XX(377),DT(377),VV(377),E2(377),F2(377)              RDW00110
      1,WS(10),MHD(377),G2(377),LB(502)                               RDW00120
      2,IF1(10),IF2(10),NNT(250)                                       RDW00130
      READ(5,1000) I1,(IF1(I1),I1=1,9),(IF2(I2),I2=1,10)              RDW00140
      WRITE(6,6000)                                                       RDW00150
      DO 161 K=2,NK1115                                                  RDW00160
      READ(5,2000) FCNTK,IVAR,IPRN,DDK(K),BBK(K)                       RDW00170
      IF(IPRN.EQ.1) GO TO 158                                             RDW00180
      IF(IT15.EQ.1) WRITE(6,1002) K,FCNTK                               RDW00190
      IF(IT15.EQ.2) WRITE(6,1002) K,FCNTK,DDK(K),BBK(K)               RDW00200
158   DO 161 J=2,NJ11                                                  RDW00210
      IJMI=NI10*(J-2)+NIJ10*(K-2)                                       RDW00220

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	IF (IVAR.EQ.1) READ(5,IF1) (NT(IJMI+I), I=2, NI11)	RDW00230
	DO 159 I=2, NI11	RDW00240
	IJ=IJMI+I	RDW00250
	X=1	RDW00260
	IF (IVAR.EQ.1) X=NT(IJ)	RDW00270
159	NT(IJ)=X	RDW00280
	IF (ICRO.EQ.0) GO TO 1605	RDW00290
	DO 13 I=2, NI11	RDW00300
	IJ=IJMI+I	RDW00310
	LBIJ=LB(IJ)	RDW00320
	IF (LBIJ.NE.-30000) NT(IJ)=LBIJ*1.D-5/FCNTK	RDW00330
13	CONTINUE	RDW00340
1605	IF (.NOT. ((IPRN.EQ.0).AND.(IVAR.EQ.1))) GO TO 41	RDW00350
	DO 40 I=2, NI11	RDW00360
40	NNT(I)=NT(IJMI+I)	RDW00370
	IF (II.EQ.0) WRITE(6,IF2) J, (NNT(I), I=2, NI11)	RDW00380
	IF (II.EQ.1) WRITE(6,IF2) J, (NT(IJMI+I), I=2, NI11)	RDW00390
41	CONTINUE	RDW00400
	DO 42 I=2, NI11	RDW00410
	IJ=IJMI+I	RDW00420
42	NT(IJ)=NT(IJ)*FCNTK	RDW00430
161	CONTINUE	RDW00440
1000	FORMAT(I4,19A4)	RDW00450
1002	FORMAT(I6,6D18.4)	RDW00460
2000	FORMAT(BG10.0)	RDW00470
4000	FORMAT(I6,I10)	RDW00480
6000	FORMAT('O', 'LAYER ROW')	RDW00490
	RETURN	RDW00500
	END	RDW00510
	SUBROUTINE SOR	SOR00010
	IMPLICIT REAL*8 (A-H, O-Z)	SOR00020
	COMMON WS, HMAX, RELX1, RELX2, COEF, ERR, XX10, DELT, ER5, SRZ, SUMRZ	SOR00030
	1, XX, DT, VV, E2, F2, G2, YG, NIJ10, NI11, NJ11, NK11, NNN, NSKP1	SOR00040
	2, NSKP2, ITMAX, ICNT, IEVP, IWR1, NW1, NW2, NW3, N320, NUM4	SOR00050
	3, L9, LENGTH, NK1115, IT01, IT15, ICRO, DDK, BBK	SOR00060
	4, NT, DD, BB, ZZ, XXE, XXS, ALN, SV	SOR00070
	5, NI10, NJ10, NK10, NI12, NJ12, NK12, LB, MHD	SOR00080
	REAL*4 DD(377), BB(377), ZZ(377), XXE(377), XXS(377), ALN(377),	SOR00090
	1SV(377), YG(377), DDK(50), BBK(50), NT(502)	SOR00100
	DIMENSION XX(377), DT(377), VV(377), E2(377), F2(377)	SOR00110
	1, WS(10), MHD(377), G2(377), LB(502)	SOR00120
	ICNT=0	SOR00130
	ER5S=100	SOR00140
	DO 200 ITER=1,100	SOR00150
	ICNT=ICNT+1	SOR00160
	IF (ICNT.EQ.ITMAX) GO TO 202	SOR00170
	RELX3=1	SOR00180
	IF (ICNT.GE.6) RELX3=RELX2	SOR00190
	IF (ICNT.GE.21) RELX3=RELX2*(1-(ICNT-20)*COEF)	SOR00200
	IF (RELX3.LT..2) RELX3=.2	SOR00210
	DO 101 I3=1,3	SOR00220
	IF ((I3.EQ.NSKP1).OR.(I3.EQ.NSKP2)) GO TO 101	SOR00230
	GO TO (1,2,3), I3	SOR00240
1	MI11=NI11	SOR00250
	MJ11=NJ11	SOR00260
	MK11=NK11	SOR00270
	GO TO 4	SOR00280
2	MI11=NJ11	SOR00290
	MJ11=NK11	SOR00300
	MK11=NI11	SOR00310
	GO TO 4	SOR00320

3	MI11=NK11	SOR00330
	MJ11=NI11	SOR00340
	MK11=NJ11	SOR00350
4	CONTINUE	SOR00360
	SUMRZ=0	SOR00370
	SRZ=0	SOR00380
	DO 100 K1=2, MK11	SOR00390
	DO 100 J1=2, MJ11	SOR00400
	GO TO (8, 9, 10), I3	SOR00410
8	J=J1	SOR00420
	K=K1	SOR00430
	GO TO 11	SOR00440
9	K=J1	SOR00450
	I=K1	SOR00460
	GO TO 11	SOR00470
10	I=J1	SOR00480
	J=K1	SOR00490
11	CONTINUE	SOR00500
	MI12=MI11+1	SOR00510
	DO 12 IJ=1, MI12	SOR00520
	DT(IJ)=0	SOR00530
12	VV(IJ)=0	SOR00540
	DO 90 I1=2, MI11	SOR00550
	IF(I3.EQ.1) I=I1	SOR00560
	IF(I3.EQ.2) J=I1	SOR00570
	IF(I3.EQ.3) K=I1	SOR00580
	IJ=I+NI10*(J-2)+NIJ10*(K-2)	SOR00590
	IF(MHD(IJ).GE.1) GO TO 90	SOR00600
	IJM1K=IJ-NI10	SOR00610
	IJP1K=IJ+NI10	SOR00620
	IJKM1=IJ-NIJ10	SOR00630
	IJKP1=IJ+NIJ10	SOR00640
	IF(IJM1K.LT.1) IJM1K=1	SOR00650
	IF(IJP1K.GT.NNN) IJP1K=NNN	SOR00660
	IF(IJKM1.LT.1) IJKM1=1	SOR00670
	IF(IJKP1.GT.NNN) IJKP1=NNN	SOR00680
	XXIJ=XX(IJ)	SOR00690
	D=DD(IJ)	SOR00700
	B=BB(IJ)	SOR00710
	Z=ZZ(IJ)	SOR00720
	F=DD(IJ+1)	SOR00730
	H=BB(IJP1K)	SOR00740
	S=ZZ(IJKP1)	SOR00750
	SVDT=SV(IJ)/DELT	SOR00760
	E=-(D+F+B+H+Z+S)+SVDT	SOR00770
	LEV=0	SOR00780
	IF((IEVP.EQ.1).AND.(XXIJ.GT.XXE(IJ))) LEV=1	SOR00790
	IF(LEV.NE.1) GO TO 44	SOR00800
	ALNI=ALN(IJ)	SOR00810
	E=E+ALNI	SOR00820
44	CONTINUE	SOR00830
	DF=D*XX(IJ-1)+F*XX(IJ+1)	SOR00840
	BH=B*XX(IJM1K)+H*XX(IJP1K)	SOR00850
	ZS=Z*XX(IJKM1)+S*XX(IJKP1)	SOR00860
	AFLW=DF+BH+ZS	SOR00870
	GO TO (18, 19, 20), I3	SOR00880
18	DI=D	SOR00890
	FI=F	SOR00900
	QP=BH+ZS	SOR00910
	GO TO 21	SOR00920
19	DI=B	SOR00930

	FI=H	SOR00940
	GP=DF+ZS	SOR00950
	GO TO 21	SOR00960
20	DI=Z	SOR00970
	FI=S	SOR00980
	GP=DF+BH	SOR00990
21	CONTINUE	SOR01000
	AI=DI	SOR01010
	BI=E-AI*DT(I1-1)	SOR01020
	DT(I1)=FI/BI	SOR01030
	YQIJ=YQ(IJ)+SVDT*XXS(IJ)	SOR01040
	IF(LEV.EQ.1) YQIJ=YQIJ+ALNI*XXE(IJ)	SOR01050
	VV(I1)=(YQIJ-GP-AI*VV(I1-1))/BI	SOR01060
	RZ=YQIJ-AFLW-XXIJ*E	SOR01070
	SUMRZ=SUMRZ+RZ	SOR01080
	DSR=DABS(RZ)	SOR01090
	IF(DSR.GT.SRZ) SRZ=DSR	SOR01100
90	CONTINUE	SOR01110
	DO 95 I1R=2,MI11	SOR01120
	I1=MI11+2-I1R	SOR01130
	IF(I3.EQ.1) I=I1	SOR01140
	IF(I3.EQ.2) J=I1	SOR01150
	IF(I3.EQ.3) K=I1	SOR01160
	IJ=I+NI10*(J-2)+NIJ10*(K-2)	SOR01170
	IF(MHD(IJ).GE.1) GO TO 95	SOR01180
	F2(IJ)=XX(IJ)	SOR01190
	IP=IJ+1	SOR01200
	IF(I3.EQ.2) IP=IJ+NI10	SOR01210
	IF(I3.EQ.3) IP=IJ+NIJ10	SOR01220
	IF(IP.GT.NNN) IP=NNN	SOR01230
	X=VV(I1)-DT(I1)*XX(IP)	SOR01240
	XX(IJ)=X	SOR01250
95	CONTINUE	SOR01260
	DO 96 I1=2,MI11	SOR01270
	IF(I3.EQ.1) I=I1	SOR01280
	IF(I3.EQ.2) J=I1	SOR01290
	IF(I3.EQ.3) K=I1	SOR01300
	IJ=I+NI10*(J-2)+NIJ10*(K-2)	SOR01310
	IF(MHD(IJ).GE.1) GO TO 96	SOR01320
	XX(IJ)=RELX1*XX(IJ)+(1-RELX1)*F2(IJ)	SOR01330
96	CONTINUE	SOR01340
100	CONTINUE	SOR01350
101	CONTINUE	SOR01360
	ER5=0	SOR01370
	DO 150 K=2,NK11	SOR01380
	DO 150 J=2,NJ11	SOR01390
	DO 150 I=2,NI11	SOR01400
	IJ=I+NI10*(J-2)+NIJ10*(K-2)	SOR01410
	E2IJ=E2(IJ)	SOR01420
	X=RELX3*XX(IJ)+(1-RELX3)*E2IJ	SOR01430
	CHG=DABS(X-E2IJ)	SOR01440
	IF(CHG.LT.ER5) GO TO 111	SOR01450
	IMX=I	SOR01460
	JMX=J	SOR01470
	KMX=K	SOR01480
	XXPMX=X	SOR01490
	ER5=CHG	SOR01500
111	CONTINUE	SOR01510
	XX(IJ)=X	SOR01520
150	E2(IJ)=X	SOR01530
	IF(IWR1.EQ.1) WRITE(6,1000) ICNT,IMX,JMX,KMX,XXPMX,ER5,SRZ,	SOR01540

	1XX(NW1), XX(NW2), XX(NW3)	SOR01550
	IF((ER5+ER5S).LT.ERR) GO TO 202	SOR01560
	IF(SRZ.LT.XX10) GO TO 202	SOR01570
	ER5S=ER5	SOR01580
200	CONTINUE	SOR01590
202	CONTINUE	SOR01600
1000	FORMAT(' ', I3, 3I5, 6D18.7)	SOR01610
	RETURN	SOR01620
	END	SOR01630
	SUBROUTINE PCG	PCG00010
	IMPLICIT REAL*8 (A-H, O-Z)	PCG00020
	COMMON WS, HMAX, RELX1, RELX2, COEF, ERR, XX10, DELT, ER5, SRZ, SUMRZ	PCG00030
	1, XX, DT, VV, E2, F2, G2, YQ, NIJ10, NI11, NJ11, NK11, NNN, NSKP1	PCG00040
	2, NSKP2, ITMAX, ICNT, IEVP, IWR1, NW1, NW2, NW3, N320, NUM4	PCG00050
	3, L9, LENGTH, NK1115, IT01, IT15, ICRO, DDK, BBK	PCG00060
	4, NT, DD, BB, ZZ, XXE, XXS, ALN, SV	PCG00070
	5, NI10, NJ10, NK10, NI12, NJ12, NK12, LB, MHD	PCG00080
	REAL*4 DD(377), BB(377), ZZ(377), XXE(377), XXS(377), ALN(377),	PCG00090
	1SV(377), YQ(377), DDK(50), BBK(50), NT(502)	PCG00100
	2, D2S(377), E22(377)	PCG00110
	DIMENSION XX(377), DT(377), VV(377), E2(377), F2(377)	PCG00120
	1, WS(10), MHD(377), G2(377), LB(502)	PCG00130
C	IF YOU WANT TO SAVE STORAGE, REMOVE D2S AND E22 FROM THE DIMENSION	PCG00140
C	STATEMENT AND CARDS "76 CONTINUE" THROUGH "56 CONTINUE", AND "86	PCG00150
C	CONTINUE" THROUGH "662 CONTINUE". THIS REMOVES PCG METHODS SIPCG	PCG00160
C	AND SFPCG.	PCG00170
	IG31=0	PCG00180
	IF(NUM4.EQ.3) IG31=1	PCG00190
	DO 1 IJ=1, NNN	PCG00200
	D2S(IJ)=0	PCG00210
	E22(IJ)=0	PCG00220
	DT(IJ)=0	PCG00230
	E2(IJ)=0	PCG00240
	F2(IJ)=0	PCG00250
	G2(IJ)=0	PCG00260
1	VV(IJ)=0	PCG00270
	DO 16 IJ=2, N320	PCG00280
	E2(IJ)=XX(IJ)	PCG00290
	IF(MHD(IJ).GE.1) GO TO 16	PCG00300
	DELY=(SV(IJ)/DELT)*XXS(IJ)	PCG00310
	IF((IEVP.EQ.1).AND.(XX(IJ).GT.XXE(IJ))) DELY=DELY+ALN(IJ)*XXE(IJ)	PCG00320
	VV(IJ)=YQ(IJ)+DELY	PCG00330
16	CONTINUE	PCG00340
	DO 2 IJ=2, N320	PCG00350
	DELE=0	PCG00360
	IF(MHD(IJ).GE.1) GO TO 19	PCG00370
	DELE=SV(IJ)/DELT	PCG00380
	IF((IEVP.EQ.1).AND.(XX(IJ).GT.XXE(IJ))) DELE=DELE+ALN(IJ)	PCG00390
19	XXS(IJ)=DELE	PCG00400
2	CONTINUE	PCG00410
	GO TO (71, 71, 71, 80, 74, 74, 76, 76), NUM4	PCG00420
71	CONTINUE	PCG00430
	DO 51 IJ=2, N320	PCG00440
	IF(.NOT.(MHD(IJ).GE.1)) GO TO 777	PCG00450
	Y1=0	PCG00460
	Z1=0	PCG00470
	GO TO 51	PCG00480
777	CONTINUE	PCG00490
	IJP1K=IJ+NI10	PCG00500
	IJM1K=IJ-NI10	PCG00510
	IJKP1=IJ+NIJ10	PCG00520

	IJKM1=IJ-NIJ10	PCG00530
	IF(IJP1K GT NNN) IJP1K=NNN	PCG00540
	IF(IJKP1 GT NNN) IJKP1=NNN	PCG00550
	IF(IJM1K LT 1) IJM1K=1	PCG00560
	IF(IJKM1 LT 1) IJKM1=1	PCG00570
	X=DD(IJ)	PCG00580
	Y=BB(IJ)	PCG00590
	Z=ZZ(IJ)	PCG00600
	Y1Z1=0	PCG00610
	XP=X	PCG00620
	F2X=F2(IJ-1)	PCG00630
	F2Y=F2(IJM1K)	PCG00640
	F2Z=F2(IJKM1)	PCG00650
	IF(NUM4.EQ.1) GO TO 20	PCG00660
	JP1=IJM1K+1	PCG00670
	KP1=IJKM1+1	PCG00680
	IJMMN=IJ-(NIJ10-NI10)	PCG00690
	IF(IJMMN LT 1) IJMMN=1	PCG00700
	WY1=0	PCG00710
	WZ1=0	PCG00720
	IF(F2Y.NE.0.0) WY1=Y/F2Y	PCG00730
	IF(F2Z.NE.0.0) WZ1=Z/F2Z	PCG00740
	XP=X-(WY1*Y1+WZ1*Z1)	PCG00750
	G2(IJ)=XP	PCG00760
	Y1=-WY1*G2(JP1)	PCG00770
	Z1=-WZ1*G2(KP1)	PCG00780
	ZB=-WZ1*BB(IJMMN)*IG31	PCG00790
	F21=F2(JP1)	PCG00800
	F22=F2(KP1)	PCG00810
	F23=F2(IJMMN)	PCG00820
	P1=0	PCG00830
	P2=0	PCG00840
	P3=0	PCG00850
	IF(F21.NE.0.0) P1=Y1*Y1/F21	PCG00860
	IF(F22.NE.0.0) P2=Z1*Z1/F22	PCG00870
	IF(F23.NE.0.0) P3=ZB*ZB/F23	PCG00880
	Y1Z1=P1+P2+P3	PCG00890
20	CONTINUE	PCG00900
	EEIJ=-(X+Y+Z+DD(IJ+1)+BB(IJP1K)+ZZ(IJKP1))+XXS(IJ)	PCG00910
	XF=0	PCG00920
	YF=0	PCG00930
	ZF=0	PCG00940
	IF(F2X.NE.0.0) XF=XP*XP/F2X	PCG00950
	IF(F2Y.NE.0.0) YF=Y*Y/F2Y	PCG00960
	IF(F2Z.NE.0.0) ZF=Z*Z/F2Z	PCG00970
	F2(IJ)=EEIJ-(XF+YF+ZF+Y1Z1)	PCG00980
51	CONTINUE	PCG00990
	GO TO 80	PCG01000
74	CONTINUE	PCG01010
	DO 54 IJ=2,N320	PCG01020
	IF(MHD(IJ).GE.1) GO TO 54	PCG01030
	IJP1K=IJ+NI10	PCG01040
	IJKP1=IJ+NIJ10	PCG01050
	IF(IJP1K GT NNN) IJP1K=NNN	PCG01060
	IF(IJKP1 GT NNN) IJKP1=NNN	PCG01070
	EEIJ= -(DD(IJ)+BB(IJ)+ZZ(IJ)+DD(IJ+1)	PCG01080
	1+BB(IJP1K)+ZZ(IJKP1))+XXS(IJ))	PCG01090
	IF(NUM4.EQ.5) GO TO 539	PCG01100
	X=DD(IJ)	PCG01110
	F2X=F2(IJ-1)	PCG01120
	XF=0	PCG01130

	IF(F2X.NE.0.0) XF=X*X/F2X	PCG01140
	F2(IJ)=EEIJ-XF	PCG01150
	GO TO 54	PCG01160
539	F2(IJ)=EEIJ	PCG01170
54	CONTINUE	PCG01180
	GO TO 80	PCG01190
76	CONTINUE	PCG01200
	W=.95-(NUM4-7)*.55	PCG01210
	DO 56 IJ=2,N320	PCG01220
	IF(MHD(IJ).GE.1) GO TO 56	PCG01230
	IP1JK=IJ+1	PCG01240
	IJP1K=IJ+NI10	PCG01250
	IJKP1=IJ+NIJ10	PCG01260
	IM1JK=IJ-1	PCG01270
	IJM1K=IJ-NI10	PCG01280
	IJKM1=IJ-NIJ10	PCG01290
	IF(IJP1K.GT.NNN) IJP1K=NNN	PCG01300
	IF(IJKP1.GT.NNN) IJKP1=NNN	PCG01310
	IF(IJM1K.LT.1) IJM1K=1	PCG01320
	IF(IJKM1.LT.1) IJKM1=1	PCG01330
	Z=ZZ(IJ)	PCG01340
	B=BB(IJ)	PCG01350
	D=DD(IJ)	PCG01360
	F=DD(IP1JK)	PCG01370
	H=BB(IJP1K)	PCG01380
	S=ZZ(IJKP1)	PCG01390
	E=-(Z+B+D+F+H+S)+XXS(IJ)	PCG01400
	E2I=E22(IM1JK)	PCG01410
	E2J=E22(IJM1K)	PCG01420
	E2K=E22(IJKM1)	PCG01430
	F2I=F2(IM1JK)	PCG01440
	F2J=F2(IJM1K)	PCG01450
	F2K=F2(IJKM1)	PCG01460
	G2I=G2(IM1JK)	PCG01470
	G2J=G2(IJM1K)	PCG01480
	G2K=G2(IJKM1)	PCG01490
	IF(NUM4.EQ.8) GO TO 761	PCG01500
	A2=Z/(1+W*(E2K+F2K))	PCG01510
	B2=B/(1+W*(G2J+E2J))	PCG01520
	C2=D/(1+W*(G2I+F2I))	PCG01530
	GO TO 762	PCG01540
761	A2=G2K*D2S(IJKM1)	PCG01550
	B2=F2J*D2S(IJM1K)	PCG01560
	C2=E2I*D2S(IM1JK)	PCG01570
762	CONTINUE	PCG01580
	AC=W*(A2*E2K+B2*E2J)	PCG01590
	TG=W*(A2*F2K+C2*F2I)	PCG01600
	WU=W*(C2*G2I+B2*G2J)	PCG01610
	D2=E+(AC+TG+WU)-C2*E2I-B2*F2J-A2*G2K	PCG01620
	D2S(IJ)=D2	PCG01630
	D2=1/D2	PCG01640
	E22(IJ)=D2*(F-AC)	PCG01650
	F2(IJ)=D2*(H-TG)	PCG01660
	G2(IJ)=D2*(S-WU)	PCG01670
56	CONTINUE	PCG01680
80	CONTINUE	PCG01690
	SPR=1.D-50	PCG01700
	ICNT=0	PCG01710
	ER5S=100	PCG01720
	L78=.2.5*ER5S	PCG01730
	DO 100 ITER=1,L78	PCG01740

	ICNT=ICNT+1	PCG01750
	IF(ICNT.EQ.ITMAX) GO TO 202	PCG01760
	SPP=0	PCG01770
	DO 3 IJ=2,N320	PCG01780
	IF(MHD(IJ).GE.1) GO TO 3	PCG01790
	IP1JK=IJ+1	PCG01800
	IJP1K=IJ+NI10	PCG01810
	IJM1K=IJ-NI10	PCG01820
	IJKP1=IJ+NIJ10	PCG01830
	IJKM1=IJ-NIJ10	PCG01840
	IF(IJP1K.GT.NNN) IJP1K=NNN	PCG01850
	IF(IJKP1.GT.NNN) IJKP1=NNN	PCG01860
	IF(IJM1K.LT.1) IJM1K=1	PCG01870
	IF(IJKM1.LT.1) IJKM1=1	PCG01880
	DDIJ=DD(IJ)	PCG01890
	DDIP1=DD(IP1JK)	PCG01900
	BBIJ=BB(IJ)	PCG01910
	BBIJP=BB(IJP1K)	PCG01920
	ZZIJ=ZZ(IJ)	PCG01930
	ZZIJK=ZZ(IJKP1)	PCG01940
	E2IJ=E2(IJ)	PCG01950
	DTIJ=(-(DDIJ+DDIP1+BBIJ+BBIJP+ZZIJ+ZZIJK)+XXS(IJ))*E2IJ	PCG01960
	1+DDIJ*E2(IJ-1)+DDIP1*E2(IP1JK)	PCG01970
	2+BBIJ*E2(IJM1K)+BBIJP*E2(IJP1K)	PCG01980
	3+ZZIJ*E2(IJKM1)+ZZIJK*E2(IJKP1)	PCG01990
	DT(IJ)=DTIJ	PCG02000
3	SPP=SPP+E2IJ*DTIJ	PCG02010
	CONTINUE	PCG02020
	A1=SPR/(SPP+1.D-70)	PCG02030
	A2=A1	PCG02040
	IF(ITER.GT.1) GO TO 35	PCG02050
	A1=0	PCG02060
	A2=1.	PCG02070
35	SRZ=0	PCG02080
	SUMRZ=0	PCG02090
	ER5=0	PCG02100
	DO 4 K=2,NK11	PCG02110
	DO 4 J=2,NJ11	PCG02120
	DO 4 I=2,NI11	PCG02130
	IJ=I+NI10*(J-2)+NIJ10*(K-2)	PCG02140
	IF(MHD(IJ).GE.1) GO TO 4	PCG02150
	DX=A1*E2(IJ)	PCG02160
	X=XX(IJ)+DX	PCG02170
	XX(IJ)=X	PCG02180
	ADX=DABS(DX)	PCG02190
	IF(ADX.LT.ER5) GO TO 111	PCG02200
	IMX=I	PCG02210
	JMX=J	PCG02220
	KMX=K	PCG02230
	XXPMX=X	PCG02240
	ER5=ADX	PCG02250
111	CONTINUE	PCG02260
	X=VV(IJ)-A2*DT(IJ)	PCG02270
	SUMRZ=SUMRZ+X	PCG02280
	DSR=DABS(X)	PCG02290
	IF(DSR.GT.SRZ) SRZ=DSR	PCG02300
	VV(IJ)=X	PCG02310
4	CONTINUE	PCG02320
	IF(IWR1.EQ.1) WRITE(6,1000) ICNT,IMX,JMX,KMX,XXPMX,ER5,SRZ,	PCG02330
	1XX(NW1),XX(NW2),XX(NW3)	PCG02340
	IF((ER5+ER55).LT.ERR) GO TO 202	PCG02350

	IF(SRZ.LT.XX10) GO TO 202	PCG02360
	ERS=ERS	PCG02370
	SPRS=SPR	PCG02380
	SPR=0	PCG02390
	GO TO (B1, B1, B1, B3, B3, B5, B6, B6), NUM4	PCG02400
81	CONTINUE	PCG02410
	DO 10 IJ=2, N320	PCG02420
	IF(MHD(IJ).GE.1) GO TO 10	PCG02430
	IJM1K=IJ-NI10	PCG02440
	IJKM1=IJ-NIJ10	PCG02450
	IF(IJM1K.LT.1) IJM1K=1	PCG02460
	IF(IJKM1.LT.1) IJKM1=1	PCG02470
	B6=0	PCG02480
	Z6=0	PCG02490
	DDIJ=DD(IJ)	PCG02500
	IF(NUM4.EQ.1) GO TO 21	PCG02510
	DDIJ=G2(IJ)	PCG02520
	JP1=IJM1K+1	PCG02530
	KP1=IJKM1+1	PCG02540
	IJMMN=IJ-(NIJ10-NI10)	PCG02550
	IF(IJMMN.LT.1) IJMMN=1	PCG02560
	B6=DT(JP1)*G2(JP1)/(F2(IJM1K)+1.D-40)	PCG02570
	Z6=(DT(KP1)*G2(KP1)+DT(IJMMN)*BB(IJMMN)*IG31)/(F2(IJKM1)+1.D-40)	PCG02580
21	CONTINUE	PCG02590
	DT(IJ)=(VV(IJ)-DDIJ*DT(IJ-1)-BB(IJ)*(DT(IJM1K)-B6)	PCG02600
	1-ZZ(IJ)*(DT(IJKM1)-Z6))/F2(IJ)	PCG02610
10	CONTINUE	PCG02620
	DO 11 IJB=2, N320	PCG02630
	IJ=N320+2-IJB	PCG02640
	IF(MHD(IJ).GE.1) GO TO 11	PCG02650
	IP1JK=IJ+1	PCG02660
	IJP1K=IJ+NI10	PCG02670
	IJKP1=IJ+NIJ10	PCG02680
	JM1=IJP1K-1	PCG02690
	KM1=IJKP1-1	PCG02700
	IF(IJP1K.GT.NNN) IJP1K=NNN	PCG02710
	IF(IJKP1.GT.NNN) IJKP1=NNN	PCG02720
	XAD=0	PCG02730
	DDD=DD(IP1JK)	PCG02740
	IF(NUM4.EQ.1) GO TO 22	PCG02750
	IF(JM1.GT.NNN) JM1=NNN	PCG02760
	IF(KM1.GT.NNN) KM1=NNN	PCG02770
	IJM1K=IJ-NI10	PCG02780
	IJPMN=IJ+(NIJ10-NI10)	PCG02790
	IF(IJM1K.LT.1) IJM1K=1	PCG02800
	IF(IJPMN.GT.NNN) IJPMN=NNN	PCG02810
	DDD=G2(IP1JK)	PCG02820
	X=G2(IJ)/(F2(IJ-1)+1.D-40)	PCG02830
	XAD=-(BB(JM1)*DT(JM1)+ZZ(KM1)*DT(KM1))*X	PCG02840
	1-ZZ(IJPMN)*BB(IJ)*DT(IJPMN)*IG31/(F2(IJM1K)+1.D-40)	PCG02850
22	CONTINUE	PCG02860
	DTIJ=DT(IJ)-(DDD*DT(IP1JK)+BB(IJP1K)*DT(IJP1K)+ZZ(IJKP1)	PCG02870
	1*DT(IJKP1)+XAD)/F2(IJ)	PCG02880
	DT(IJ)=DTIJ	PCG02890
	SPR=SPR+DTIJ*VV(IJ)	PCG02900
11	CONTINUE	PCG02910
	GO TO 90	PCG02920
83	CONTINUE	PCG02930
	DO 63 IJ=2, N320	PCG02940
	IF(MHD(IJ).GE.1) GO TO 63	PCG02950
	F2IJ=1	PCG02960

	IF(NUM4.EQ.5) F2IJ=F2(IJ)	PCG02970
	VVIJ=VV(IJ)	PCG02980
	DTIJ=VVIJ/F2IJ	PCG02990
	DT(IJ)=DTIJ	PCG03000
	SPR=SPR+DTIJ*VVIJ	PCG03010
63	CONTINUE	PCG03020
	GO TO 90	PCG03030
85	CONTINUE	PCG03040
	DO 651 IJ=2,N320	PCG03050
	IF(MHD(IJ).GE.1) GO TO 651	PCG03060
	DT(IJ)=(VV(IJ)-DD(IJ)*DT(IJ-1))/F2(IJ)	PCG03070
651	CONTINUE	PCG03080
	DO 652 IJB=2,N320	PCG03090
	IJ=N320+2-IJB	PCG03100
	IF(MHD(IJ).GE.1) GO TO 652	PCG03110
	IP1JK=IJ+1	PCG03120
	DTIJ=DT(IJ)-DD(IP1JK)*DT(IP1JK)/F2(IJ)	PCG03130
	DT(IJ)=DTIJ	PCG03140
	SPR=SPR+DTIJ*VV(IJ)	PCG03150
652	CONTINUE	PCG03160
	GO TO 90	PCG03170
86	CONTINUE	PCG03180
	DO 661 IJ=2,N320	PCG03190
	IF(MHD(IJ).GE.1) GO TO 661	PCG03200
	IM1JK=IJ-1	PCG03210
	IJM1K=IJ-NI10	PCG03220
	IJKM1=IJ-NIJ10	PCG03230
	IF(IJM1K.LT.1) IJM1K=1	PCG03240
	IF(IJKM1.LT.1) IJKM1=1	PCG03250
	C2S=D2S(IM1JK)*E22(IM1JK)	PCG03260
	B2S=D2S(IJM1K)*F2(IJM1K)	PCG03270
	A2S=D2S(IJKM1)*G2(IJKM1)	PCG03280
	DT(IJ)=(VV(IJ)-C2S*DT(IJ-1)-B2S*DT(IJM1K)	PCG03290
	1-A2S*DT(IJKM1))/D2S(IJ)	PCG03300
661	CONTINUE	PCG03310
	DO 662 IJB=2,N320	PCG03320
	IJ=N320+2-IJB	PCG03330
	IF(MHD(IJ).GE.1) GO TO 662	PCG03340
	IP1JK=IJ+1	PCG03350
	IJP1K=IJ+NI10	PCG03360
	IJKP1=IJ+NIJ10	PCG03370
	IF(IJP1K.GT.NNN) IJP1K=NNN	PCG03380
	IF(IJKP1.GT.NNN) IJKP1=NNN	PCG03390
	DTIJ=DT(IJ)-(E22(IJ)*DT(IP1JK)+F2(IJ)*DT(IJP1K)	PCG03400
	1+G2(IJ)*DT(IJKP1))	PCG03410
	DT(IJ)=DTIJ	PCG03420
	SPR=SPR+DTIJ*VV(IJ)	PCG03430
662	CONTINUE	PCG03440
90	CONTINUE	PCG03450
	B6=SPR/SPRS	PCG03460
	IF(ITER.EQ.1) B6=0	PCG03470
	DO 5 IJ=2,N320	PCG03480
	E2IJ=DT(IJ)+B6*E2(IJ)	PCG03490
	IF(MHD(IJ).GE.1) E2IJ=0	PCG03500
	E2(IJ)=E2IJ	PCG03510
5	CONTINUE	PCG03520
100	CONTINUE	PCG03530
202	CONTINUE	PCG03540
1000	FORMAT(' ',I3,3I5,6D18.7)	PCG03550
	RETURN	PCG03560
	END	PCG03570

SUBROUTINE SIP	SIP00010
IMPLICIT REAL*8 (A-H, O-Z)	SIP00020
COMMON WS, HMAX, RELX1, RELX2, COEF, ERR, XX10, DELT, ER5, SRZ, SUMRZ	SIP00030
1, XX, DT, VV, E2, F2, G2, YQ, NIJ10, NI11, NJ11, NK11, NNN, NSKP1	SIP00040
2, NSKP2, ITMAX, ICNT, IEVP, IWR1, NW1, NW2, NW3, N320, NUM4	SIP00050
3, L9, LENGTH, NK1115, IT01, IT15, ICRO, DDK, BBK	SIP00060
4, NT, DD, BB, ZZ, XXE, XXS, ALN, SV	SIP00070
5, NI10, NJ10, NK10, NI12, NJ12, NK12, LB, MHD	SIP00080
REAL*4 DD(377), BB(377), ZZ(377), XXE(377), XXS(377), ALN(377),	SIP00090
1SV(377), YQ(377), DDK(50), BBK(50), NT(502)	SIP00100
DIMENSION XX(377), DT(377), VV(377), E2(377), F2(377)	SIP00110
1, WS(10), MHD(377), G2(377), LB(502)	SIP00120
DO 889 IJ=1, NNN	SIP00130
E2(IJ)=0	SIP00140
DO 889 IJ=1, NNN	SIP00150
E2(IJ)=0	SIP00160
F2(IJ)=0	SIP00170
G2(IJ)=0	SIP00180
VV(IJ)=0	SIP00190
889 DT(IJ)=0	SIP00200
ICNT=0	SIP00210
ICT=0	SIP00220
ER5=100	SIP00230
DO 501 ITER0=1, 60	SIP00240
DO 499 I33=1, 2	SIP00250
I3=I33	SIP00260
I4=1	SIP00270
IF(L9.EQ.2) I4=I3	SIP00280
IF(L9.LT.3) GO TO 195	SIP00290
I3=1	SIP00300
I4=I33	SIP00310
195 CONTINUE	SIP00320
ICT=ICT+1	SIP00330
IF(ICT.EQ.(LENGTH+1)) ICT=1	SIP00340
ICNT=ICNT+1	SIP00350
IF(ICNT.EQ.ITMAX) GO TO 202	SIP00360
W=WS(ICT)	SIP00370
JJM1=2*I3-3	SIP00380
JJP1=-JJM1	SIP00390
KKM1=2*I4-3	SIP00400
KKP1=-KKM1	SIP00410
C ACCOMPLISH EQUATIONS (10) AND (14) BY WEINSTEIN [1969]	SIP00420
SRZ=0	SIP00430
SUMRZ=0	SIP00440
DO 100 KB=2, NK11	SIP00450
ISF1=0	SIP00460
IF((KB.GE.3).AND.(KB.LE.NK10)) ISF1=1	SIP00470
DO 100 JB=2, NJ11	SIP00480
ISF2=0	SIP00490
IF((JB.GE.3).AND.(JB.LE.NJ10)) ISF2=1	SIP00500
J=JB	SIP00510
K=KB	SIP00520
IF(I3.EQ.2) J=NJ12+1-JB	SIP00530
IF(I4.EQ.2) K=NK12+1-KB	SIP00540
DO 50 I=2, NI11	SIP00550
IJF=I+NI10*(J-2)	SIP00560
IJ=IJF+NIJ10*(K-2)	SIP00570
IF(MHD(IJ).GE.1) GO TO 50	SIP00580
IM1JK=IJ-1	SIP00590
IP1JK=IJ+1	SIP00600
IJM1K=IJ+JJM1*NI10	SIP00610

	IJP1K=IJ+JJP1*NI10	SIP00620
	IJP2K=IJ+NI10	SIP00630
	IJKM1=IJ+KKM1*NIJ10	SIP00640
	IJKP1=IJ+KKP1*NIJ10	SIP00650
	IJKP2=IJ+NIJ10	SIP00660
	IF(ISF1.EQ.1) GO TO 91	SIP00670
	IF(IJKM1.LT.1) IJKM1=1	SIP00680
	IF(IJKM1.GT.NNN) IJKM1=NNN	SIP00690
	IF(IJKP1.LT.1) IJKP1=1	SIP00700
	IF(IJKP1.GT.NNN) IJKP1=NNN	SIP00710
	IF(IJKP2.GT.NNN) IJKP2=NNN	SIP00720
	IF(ISF2.EQ.1) GO TO 91	SIP00730
	IF(IJM1K.LT.1) IJM1K=1	SIP00740
	IF(IJM1K.GT.NNN) IJM1K=NNN	SIP00750
	IF(IJP1K.LT.1) IJP1K=1	SIP00760
	IF(IJP1K.GT.NNN) IJP1K=NNN	SIP00770
	IF(IJP2K.GT.NNN) IJP2K=NNN	SIP00780
91	CONTINUE	SIP00790
	XXIJ=XX(IJ)	SIP00800
	Z=ZZ(IJ)	SIP00810
	B=BB(IJ)	SIP00820
	D=DD(IJ)	SIP00830
	F=DD(IP1JK)	SIP00840
	H=BB(IJP2K)	SIP00850
	S=ZZ(IJKP2)	SIP00860
	IF(I3.EQ.1) GO TO 42	SIP00870
	BS=B	SIP00880
	B=H	SIP00890
	H=BS	SIP00900
42	CONTINUE	SIP00910
	IF(I4.EQ.1) GO TO 43	SIP00920
	ZS=Z	SIP00930
	Z=S	SIP00940
	S=ZS	SIP00950
43	CONTINUE	SIP00960
	SVDT=SV(IJ)/DELT	SIP00970
	E=-(Z+B+D+F+H+S)+SVDT	SIP00980
	LEV=0	SIP00990
	IF((IEVP.EQ.1).AND.(XXIJ.GT.XXE(IJ))) LEV=1	SIP01000
	IF(LEV.NE.1) GO TO 44	SIP01010
	ALNI=ALN(IJ)	SIP01020
	E=E+ALNI	SIP01030
44	CONTINUE	SIP01040
	E2I=E2(IM1JK)	SIP01050
	E2J=E2(IJM1K)	SIP01060
	E2K=E2(IJKM1)	SIP01070
	F2I=F2(IM1JK)	SIP01080
	F2J=F2(IJM1K)	SIP01090
	F2K=F2(IJKM1)	SIP01100
	G2I=G2(IM1JK)	SIP01110
	G2J=G2(IJM1K)	SIP01120
	G2K=G2(IJKM1)	SIP01130
	A2=Z/(1+W*(E2K+F2K))	SIP01140
	B2=B/(1+W*(G2J+E2J))	SIP01150
	C2=D/(1+W*(G2I+F2I))	SIP01160
	AC=W*(A2+E2K+B2+E2J)	SIP01170
	TG=W*(A2+F2K+C2+F2I)	SIP01180
	WU=W*(C2+G2I+B2+G2J)	SIP01190
	D2=E+(AC+TG+WU)-C2*E2I-B2*F2J-A2*G2K	SIP01200
	D2=1/D2	SIP01210
	E2(IJ)=D2*(F-AC)	SIP01220

	F2(IJ)=D2*(H-TG)	SIP01230
	G2(IJ)=D2*(S-WU)	SIP01240
	RZ=YQ(IJ)-(XX(IM1JK)*D+XX(IP1JK)*F+XX(IJM1K)*B+XX(IJP1K)*H	SIP01250
	1+XX(IJKM1)*Z+XX(IJKP1)*S+XXIJ*E)+SVDT*XXS(IJ)	SIP01260
	IF(LEV.EQ.1) RZ=RZ+ALNI*XXE(IJ)	SIP01270
	SUMRZ=SUMRZ+RZ	SIP01280
	DSR=DABS(RZ)	SIP01290
	IF(DSR.GT.SRZ) SRZ=DSR	SIP01300
	VV(IJ)=D2*(RZ-A2*VV(IJKM1)-B2*VV(IJM1K)-C2*VV(IM1JK))	SIP01310
50	CONTINUE	SIP01320
100	CONTINUE	SIP01330
C	EQUATIONS (10) AND (14) ARE NOW ACCOMPLISHED	SIP01340
C	ACCOMPLISH EQUATION (15) BY WEINSTEIN [1969]	SIP01350
	ER5=0	SIP01360
	DO 102 KB=2,NK11	SIP01370
	ISF1=0	SIP01380
	IF((KB.GE.3).AND.(KB.LE.NK10)) ISF1=1	SIP01390
	DO 102 JB=2,NJ11	SIP01400
	ISF2=0	SIP01410
	IF((JB.GE.3).AND.(JB.LE.NJ10)) ISF2=1	SIP01420
	J=NJ12+1-JB	SIP01430
	K=NK12+1-KB	SIP01440
	IF(I3.EQ.2) J=JB	SIP01450
	IF(I4.EQ.2) K=KB	SIP01460
	DO 62 IB=2,NI11	SIP01470
	I=NI12+1-IB	SIP01480
	IJ=I+NI10*(J-2)+NIJ10*(K-2)	SIP01490
	IF(MHD(IJ).GE.1) GO TO 62	SIP01500
	IP1JK=IJ+1	SIP01510
	IJP1K=IJ+JJP1*NI10	SIP01520
	IJKP1=IJ+KKP1*NIJ10	SIP01530
	IF(ISF1.EQ.1) GO TO 92	SIP01540
	IF(IJKP1.LT.1) IJKP1=1	SIP01550
	IF(IJKP1.GT.NNN) IJKP1=NNN	SIP01560
	IF(ISF2.EQ.1) GO TO 92	SIP01570
	IF(IJP1K.LT.1) IJP1K=1	SIP01580
	IF(IJP1K.GT.NNN) IJP1K=NNN	SIP01590
92	CONTINUE	SIP01600
	X=VV(IJ)-E2(IJ)*DT(IP1JK)-F2(IJ)*DT(IJP1K)-G2(IJ)*DT(IJKP1)	SIP01610
	DT(IJ)=X	SIP01620
	X=X*HMAX	SIP01630
	XXP=XX(IJ)+X	SIP01640
	XX(IJ)=XXP	SIP01650
	X=DABS(X)	SIP01660
	IF(X.LE.ER5) GO TO 111	SIP01670
	IMX=I	SIP01680
	JMX=J	SIP01690
	KMX=K	SIP01700
	XXPMX=XXP	SIP01710
	ER5=X	SIP01720
111	CONTINUE	SIP01730
62	CONTINUE	SIP01740
102	CONTINUE	SIP01750
C	EQUATION (15) IS NOW ACCOMPLISHED	SIP01760
	IF(IWR1.EQ.1) WRITE(6,1000)	SIP01770
	1 ICNT,IMX,JMX,KMX,XXPMX,ER5,SRZ,XX(NW1),XX(NW2),XX(NW3)	SIP01780
	IF((ER5+ER5S).LT.ERR) GO TO 202	SIP01790
	IF(SRZ.LT.XX10) GO TO 202	SIP01800
	ER5S=ER5	SIP01810
499	CONTINUE	SIP01820
501	CONTINUE	SIP01830

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202  CONTINUE
1000  FORMAT( ' ', I3, 3I5, 6D18. 7 )
      RETURN
      END
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SIP01840
SIP01850
SIP01860
SIP01870
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